

Improving Speed and Security in Updatable Encryption Schemes

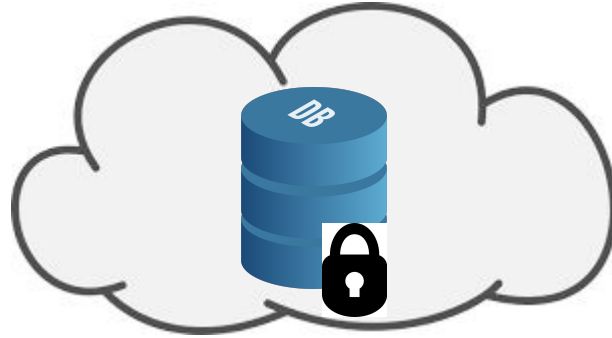
Dan Boneh
Stanford University

Saba Eskandarian
Stanford University

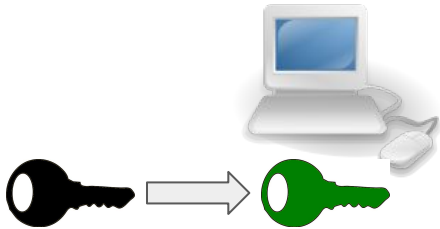
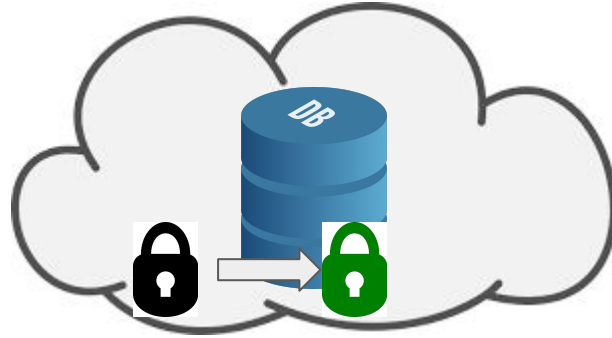
Sam Kim
Stanford University

Maurice Shih
Cisco Systems

Key Rotation



Key Rotation

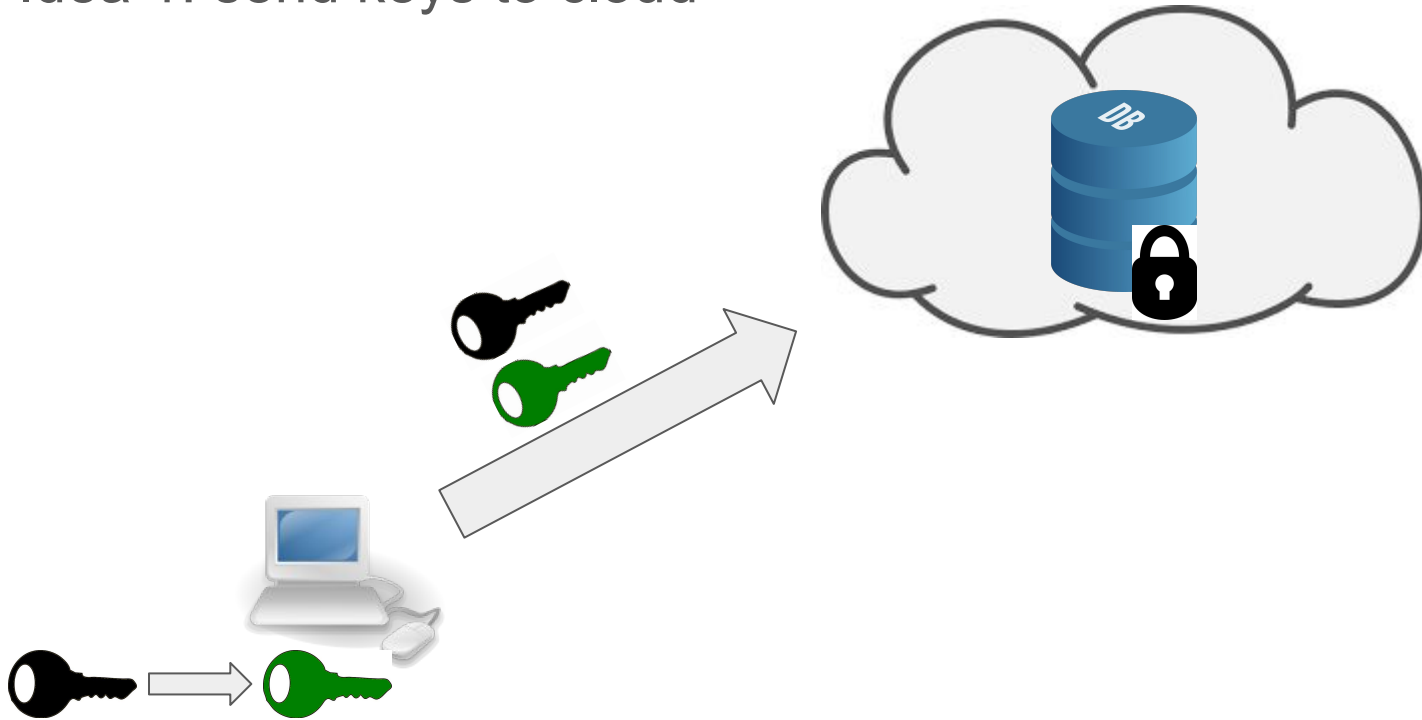


Many Good Reasons to Rotate Keys

1. Retire compromised keys
2. Proactively refresh keys
3. Access control enforcement
4. Recommended by NIST (Special Publication 800-57)
5. Recommended by Google (cloud.google.com/kms/docs/key-rotation)
6. Required by PCI DSS (PCI DSS 3.6.4)

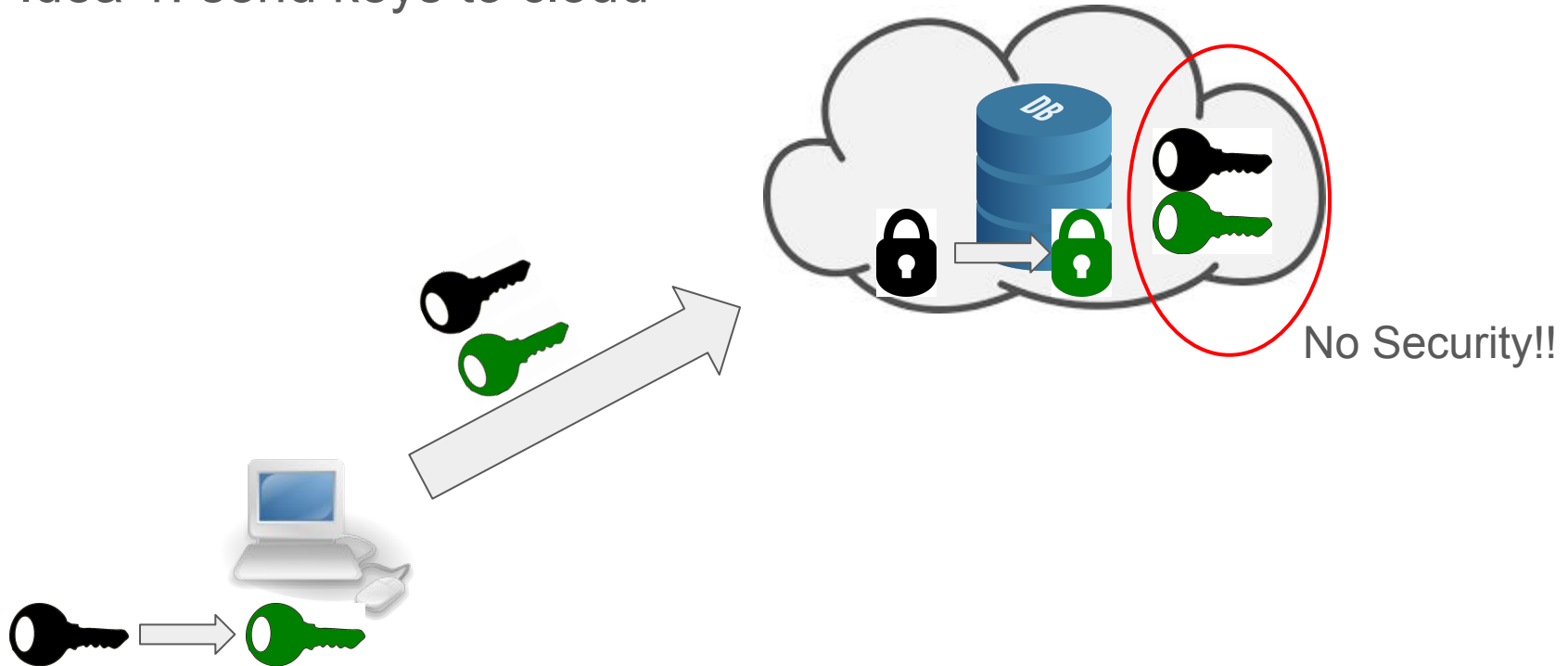
How to Rotate Keys in the Cloud?

Idea 1: send keys to cloud



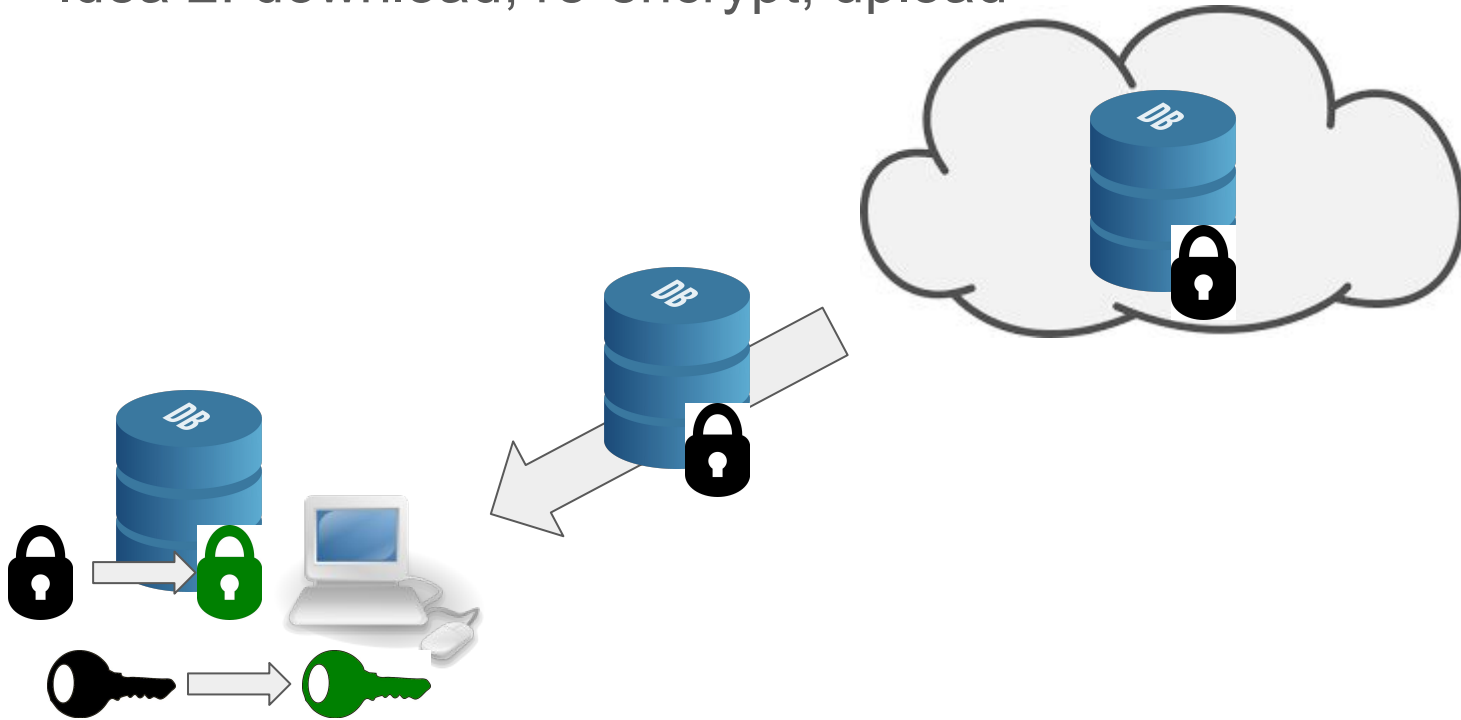
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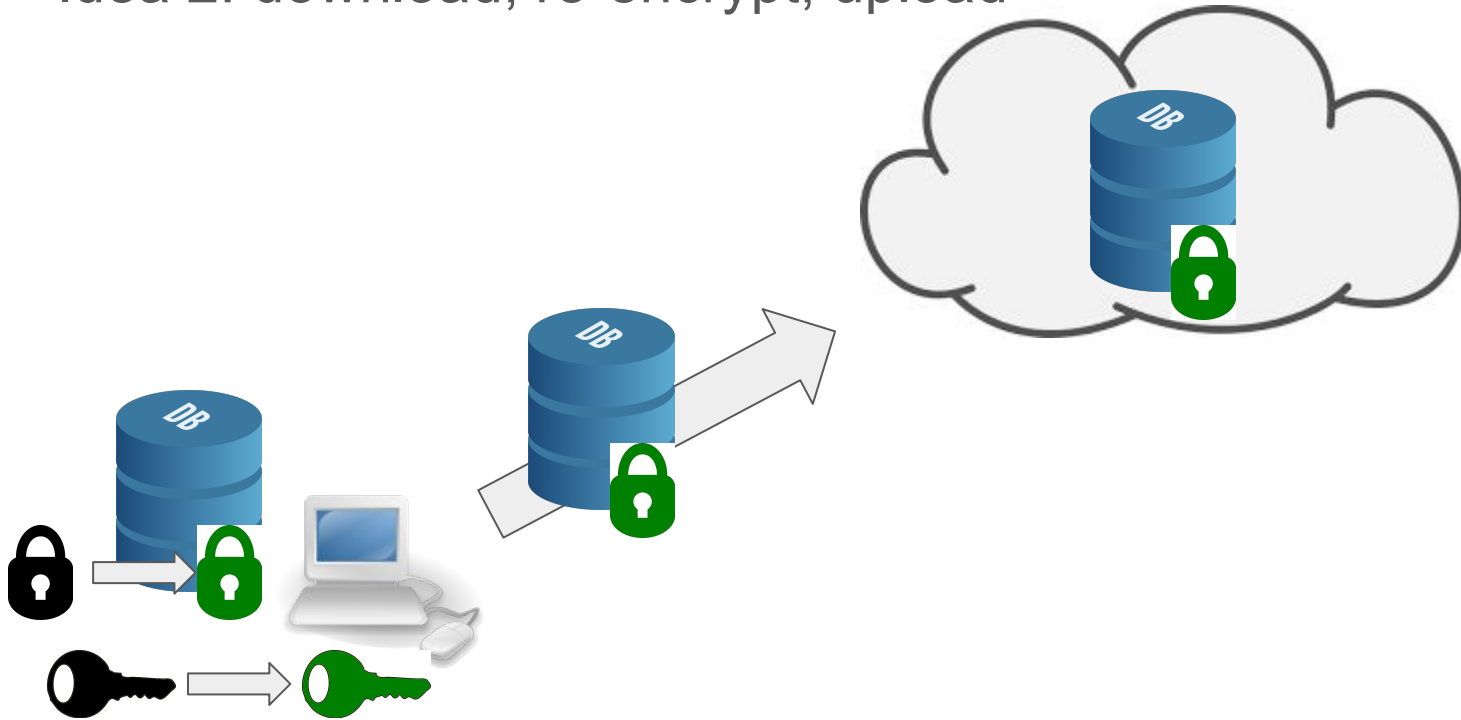
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Idea 2: download, re-encrypt, upload



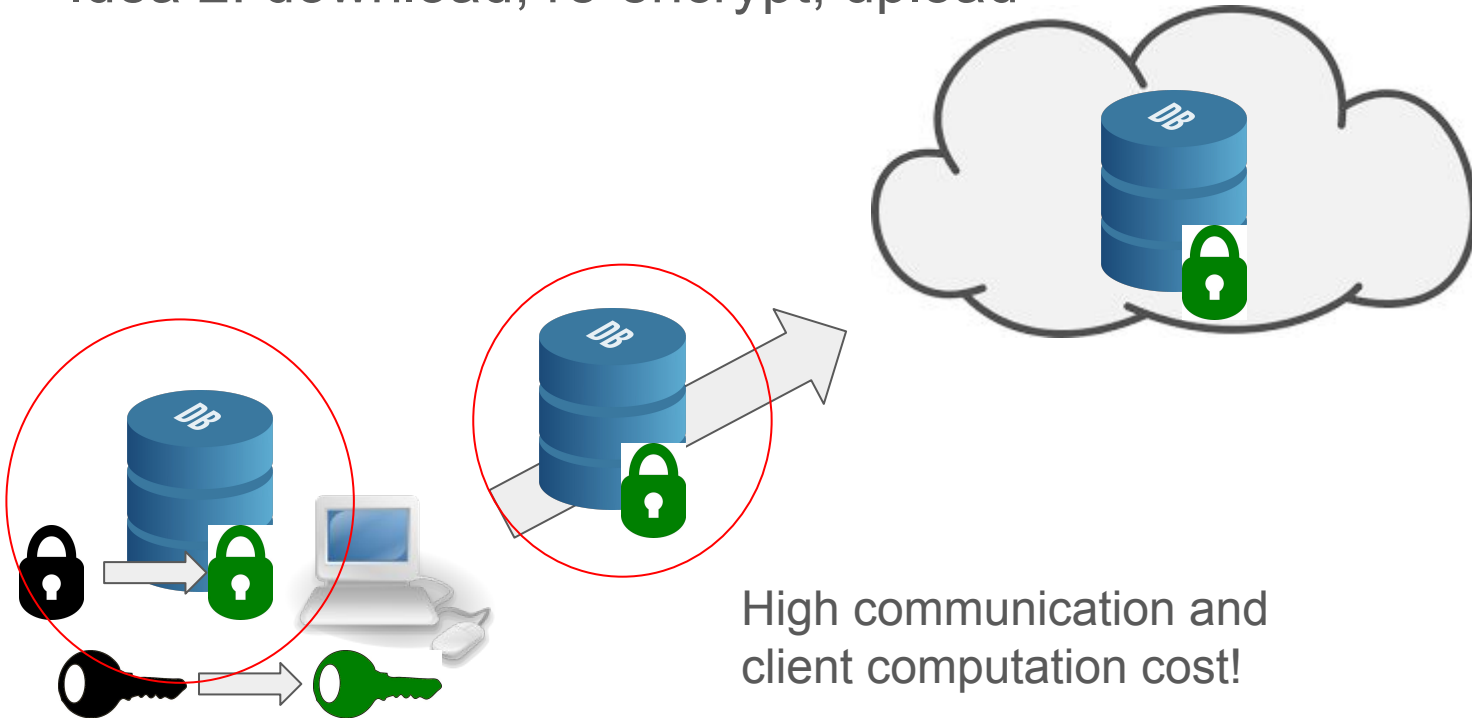
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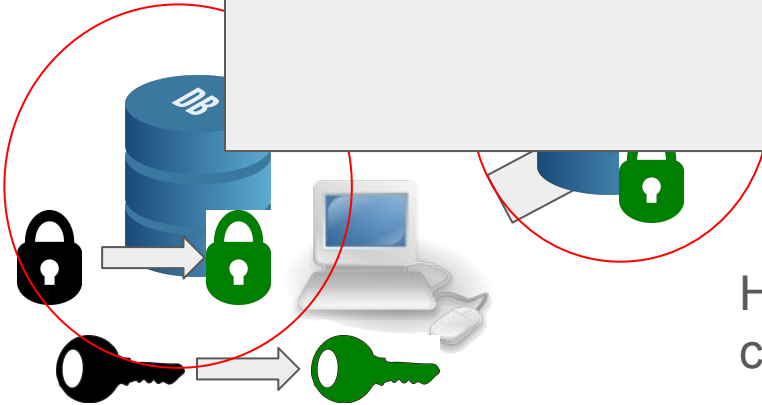
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How to Rotate Keys in the Cloud?

Idea 2: download re-encrypt upload

Can we do better?

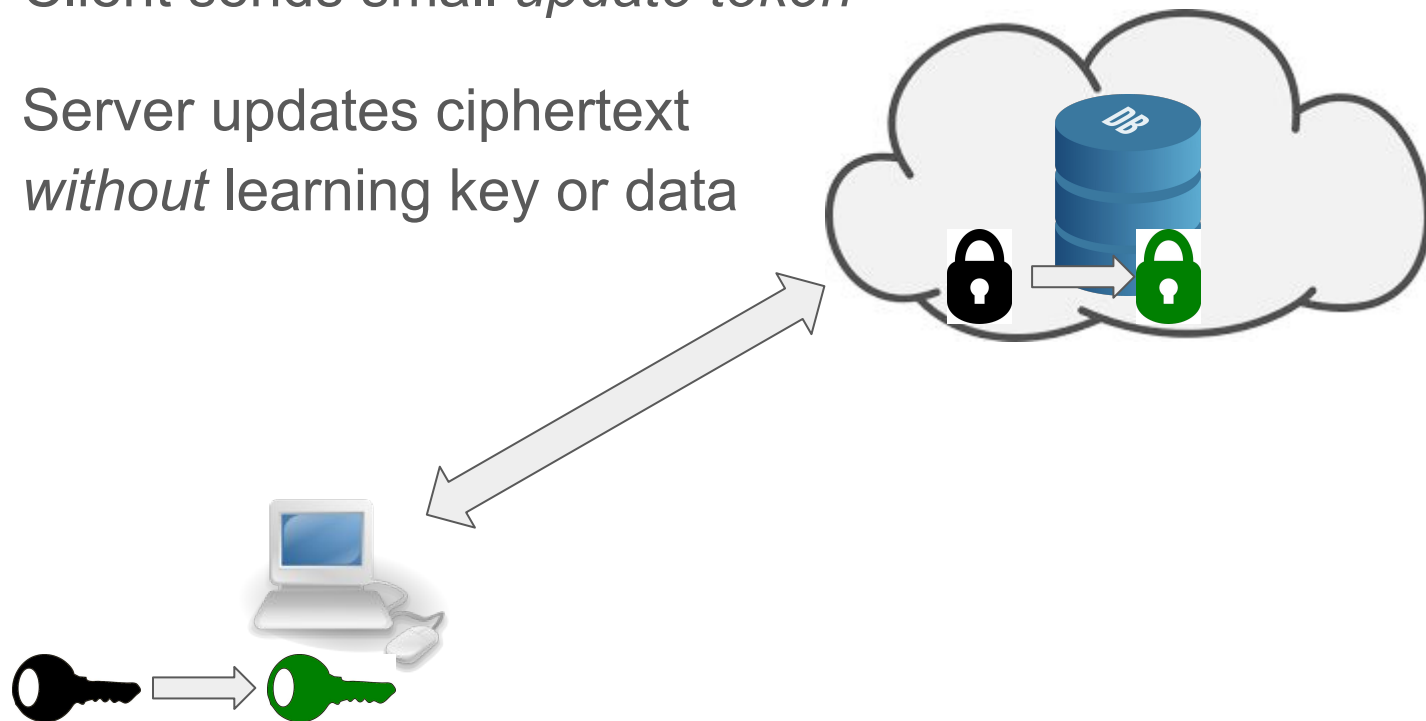


High communication and
client computation cost!

Updatable Encryption [BLMR13, EPRS17, LT18, KLR19, BDGJ19]

Client sends small *update token*

Server updates ciphertext
without learning key or data



Our Contributions

Improvements over prior security definitions

- Additional requirements for security

Two new constructions of updatable encryption

- From Nested AES: very fast, only supports *bounded* updates
- From KH-PRF based on RLWE: ~500x faster than prior work

Performance evaluation and comparison to prior work

Defining Security [EPRS17]

Four properties to achieve:

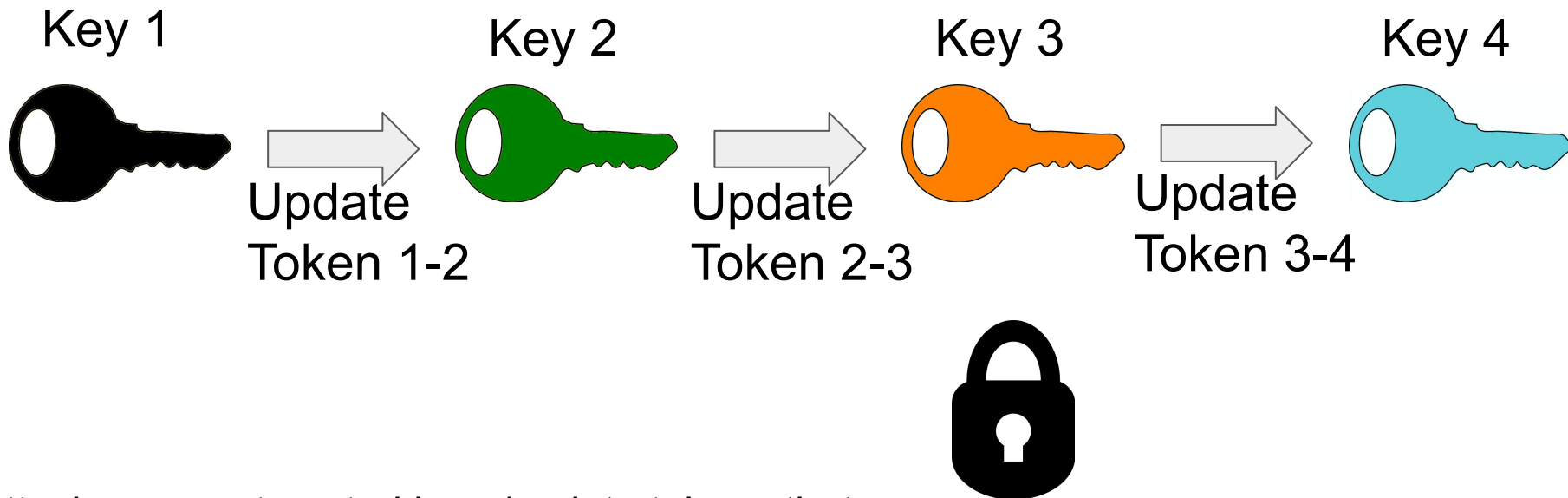
- Correctness
- Compactness
- Confidentiality
- Integrity

Defining Security [EPRS17]

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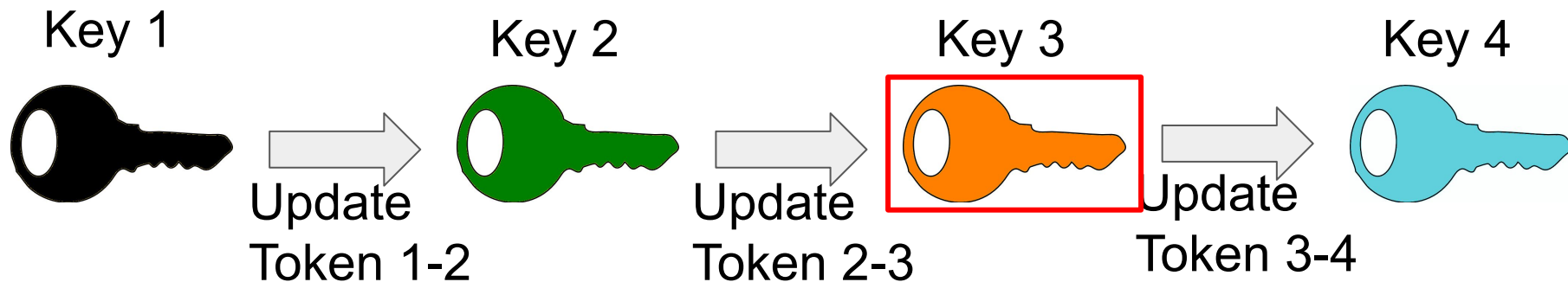
- Correctness
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Confidentiality



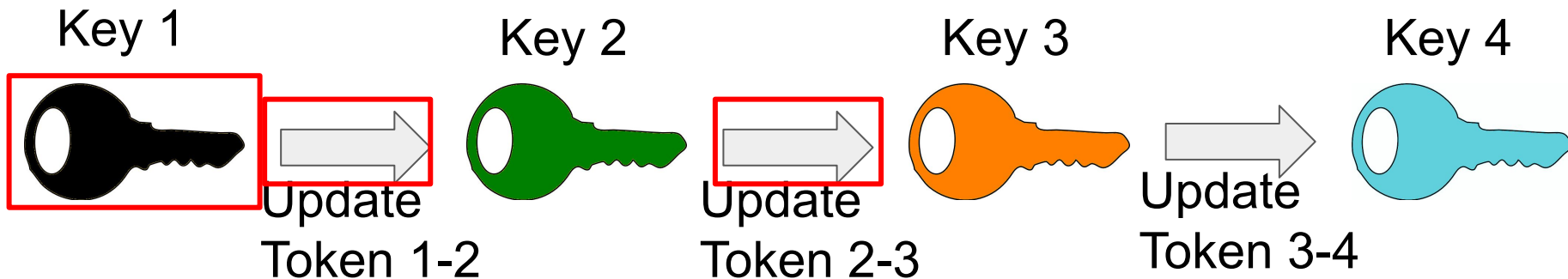
Attacker cannot control keys/update tokens that give a path to key used to encrypt a ciphertext

Confidentiality



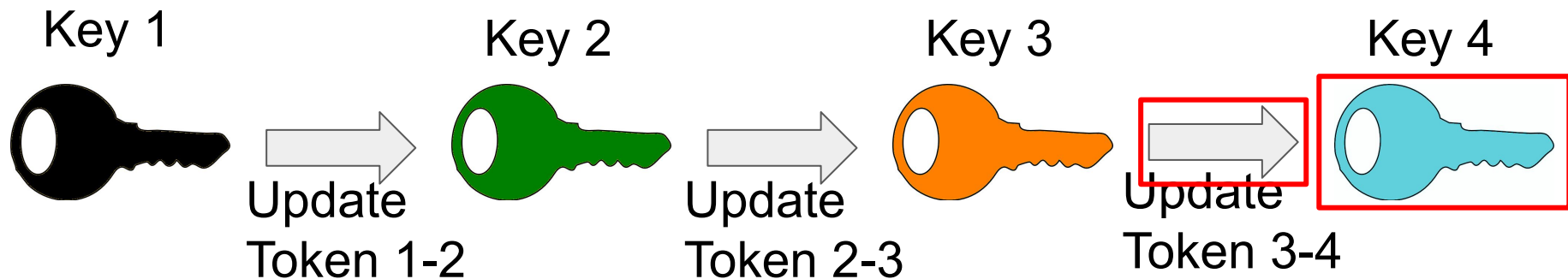
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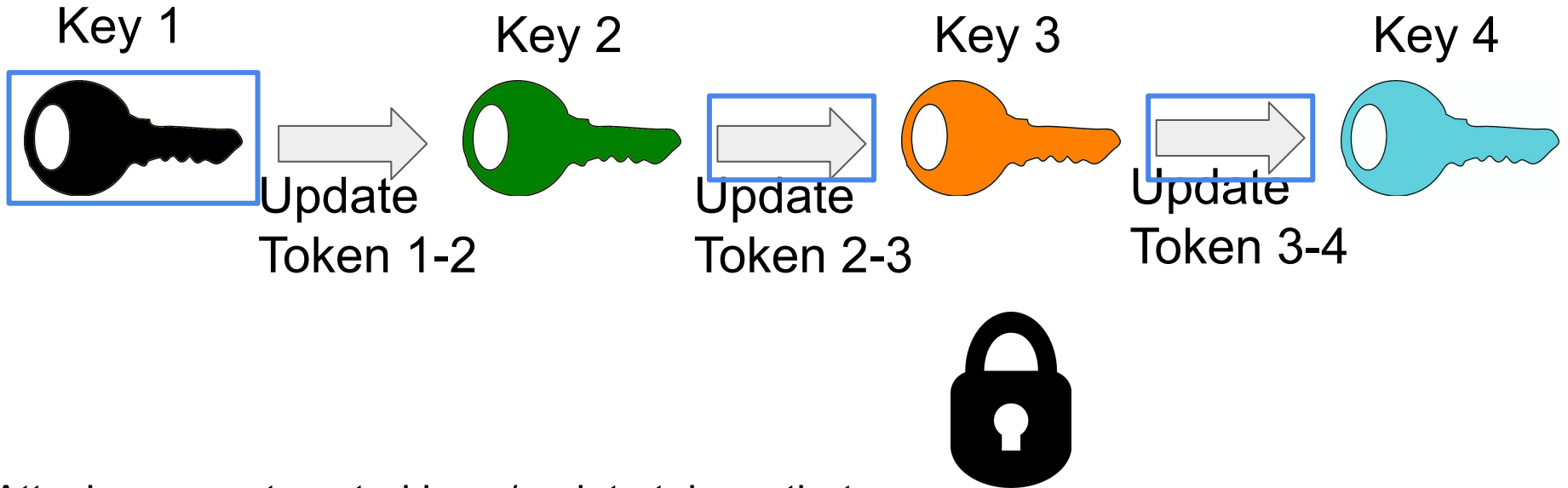
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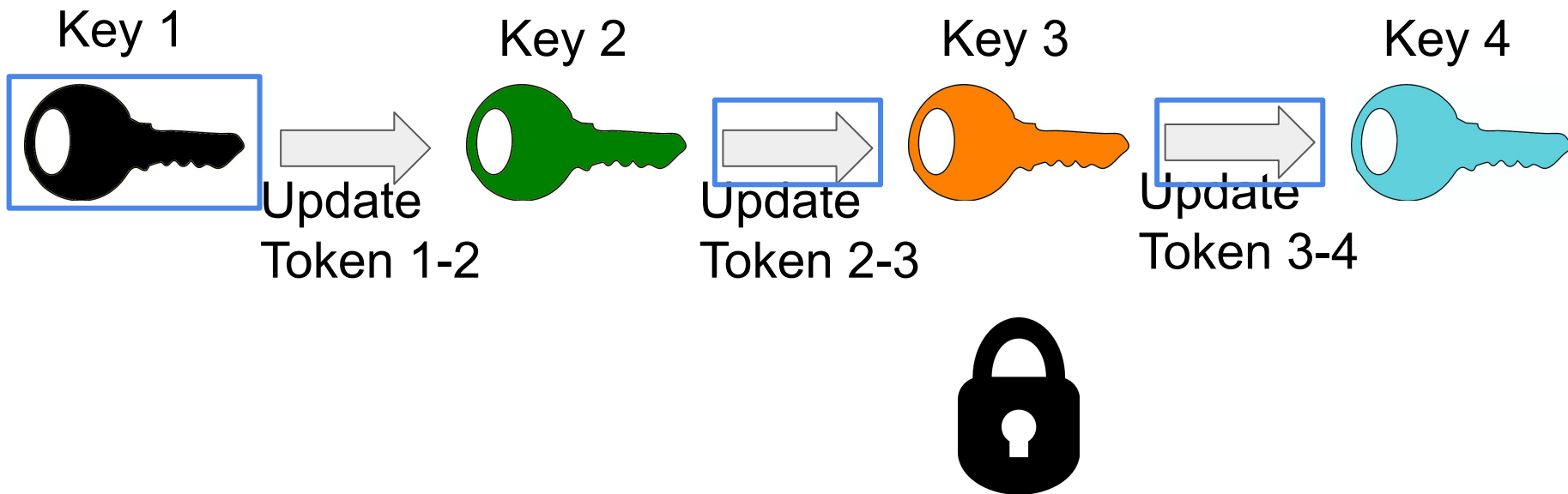


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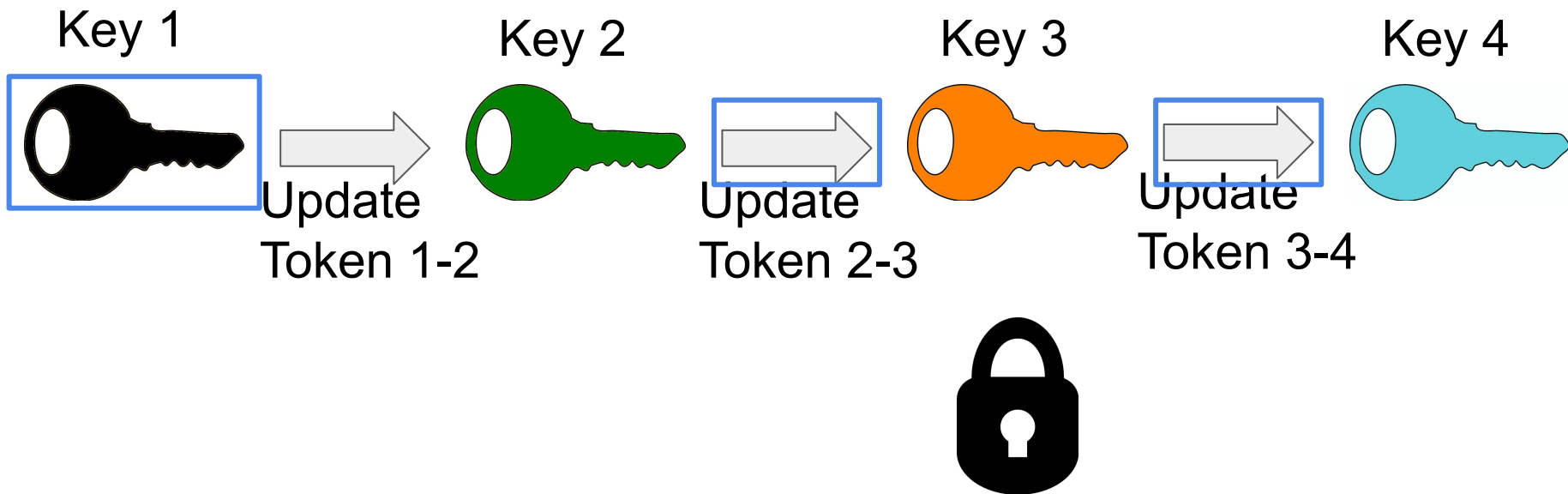
Confidentiality



Our definitions additionally require hiding ciphertext age from attacker

Confidentiality

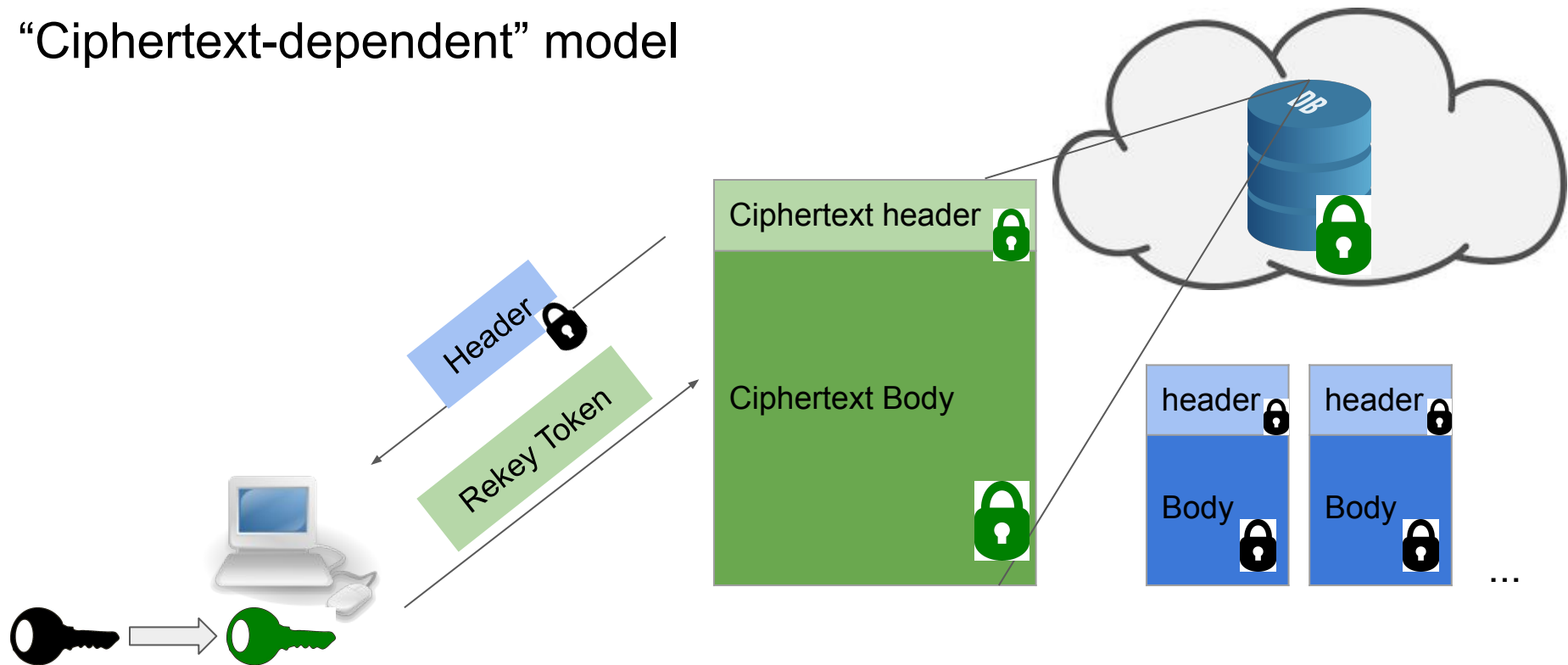
Note: cloud must always be trusted not to keep old ciphertexts



Our definitions additionally require hiding ciphertext age from attacker

Building Updatable Encryption [BLMR13, EPRS17]

“Ciphertext-dependent” model



Updatable Encryption from Nested AES

Very fast, simple scheme

Only requires authenticated encryption (AES-GCM) and a PRG

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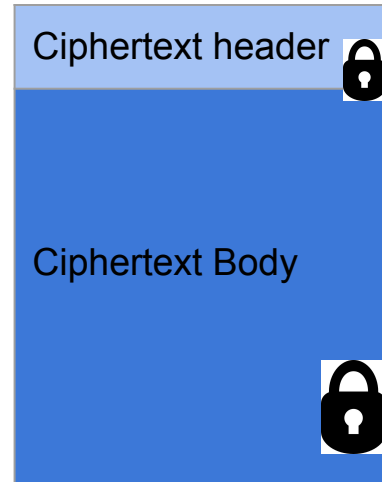
Caveats:

- Only works for a *bounded* number of re-encryptions, decided at encryption time
- Decryption time will be linear in the number of re-encryptions

Updatable Encryption from Nested AES



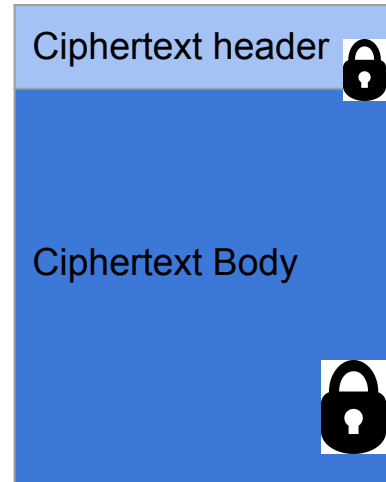
Header key



Updatable Encryption from Nested AES



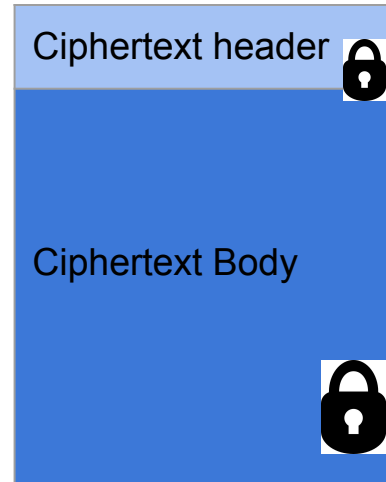
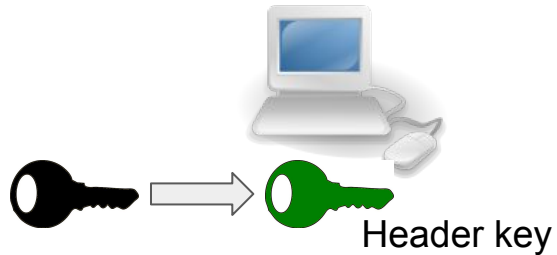
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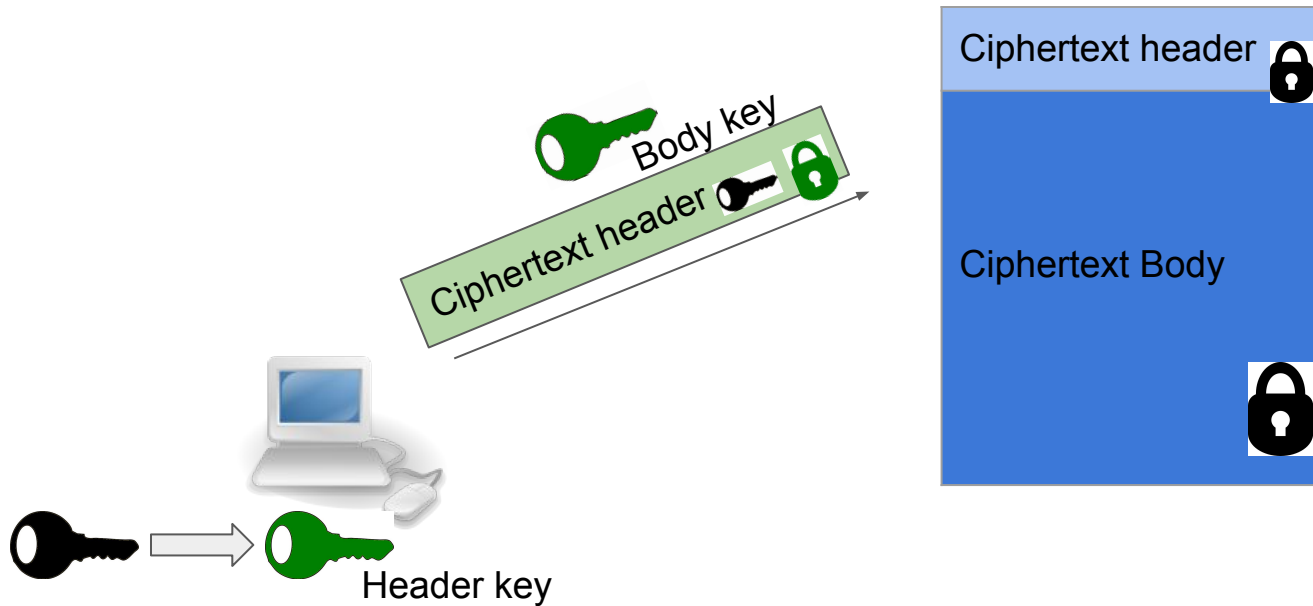
Body key used for
this lock held in
ciphertext header



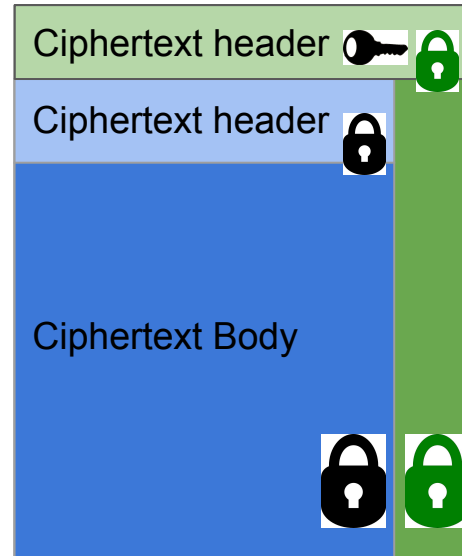
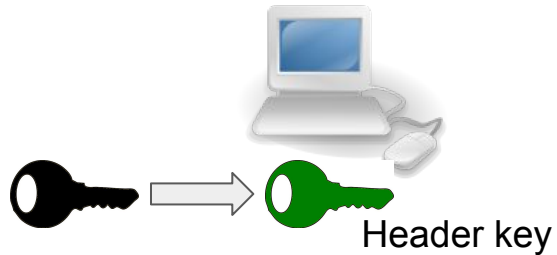
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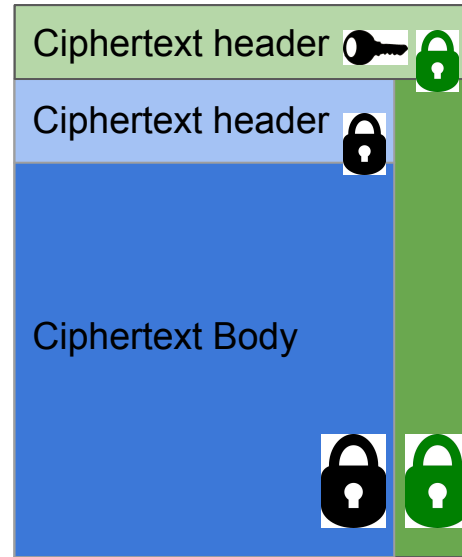
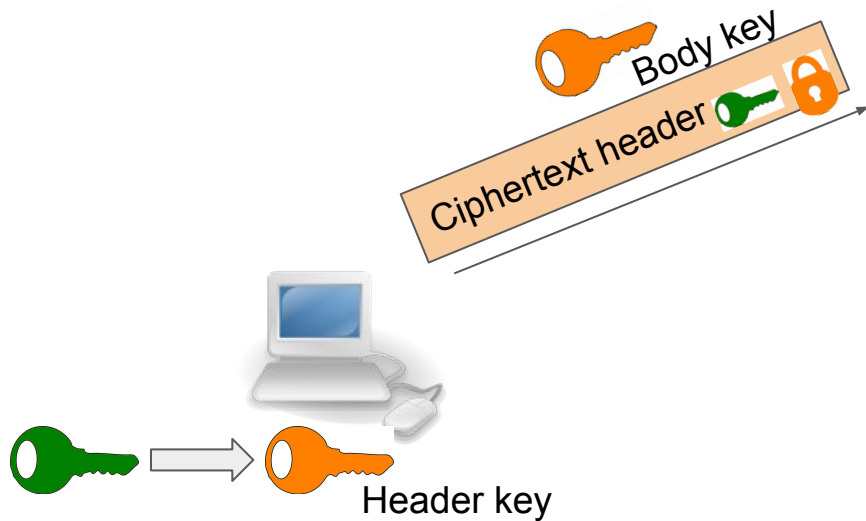
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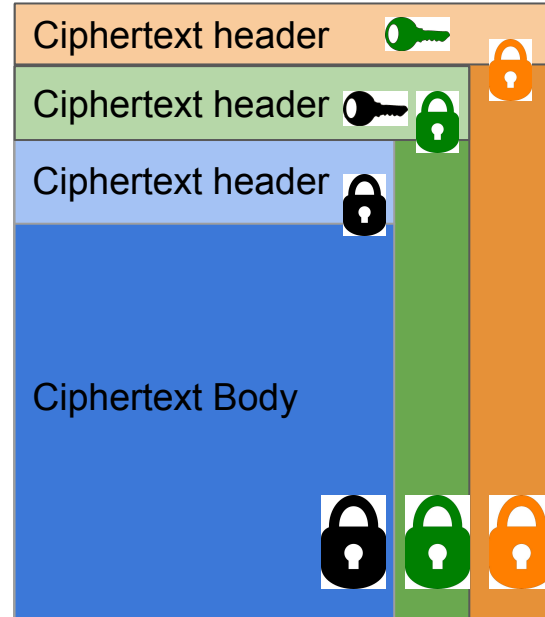
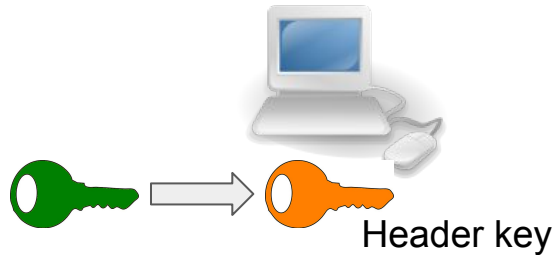
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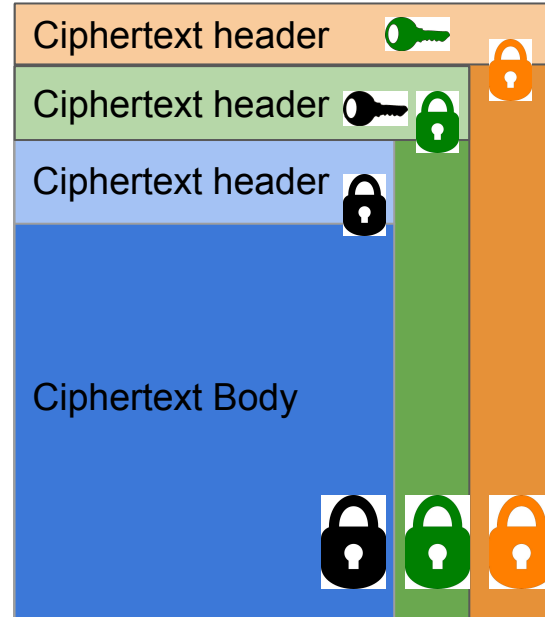
Updatable Encryption from Nested AES



Updatable Encryption from Nested AES

Re-Encryption: wrap previous layer

Decryption: unwrap all layers

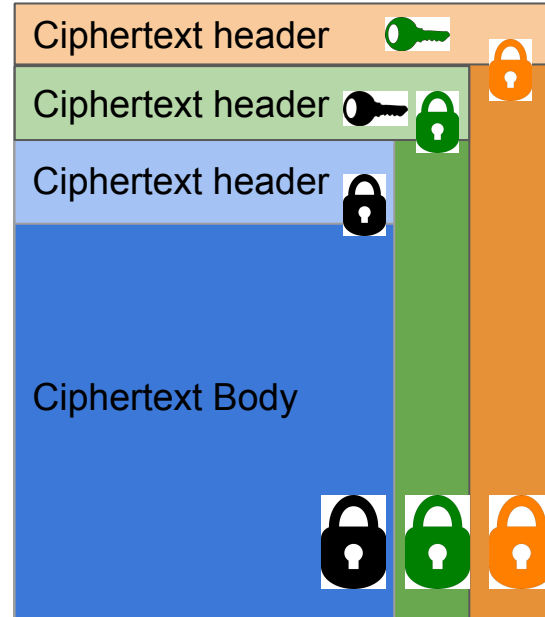


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Issue: leaks ciphertext age



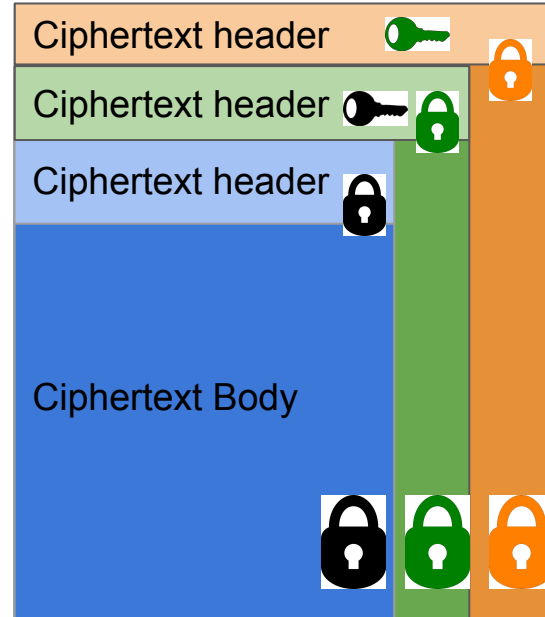
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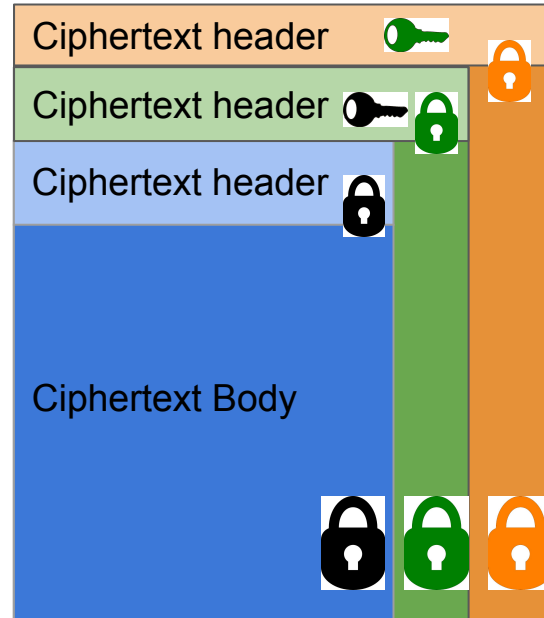
Issue: leaks ciphertext age

Note: this satisfies prior definitions



Updatable Encryption from Nested AES

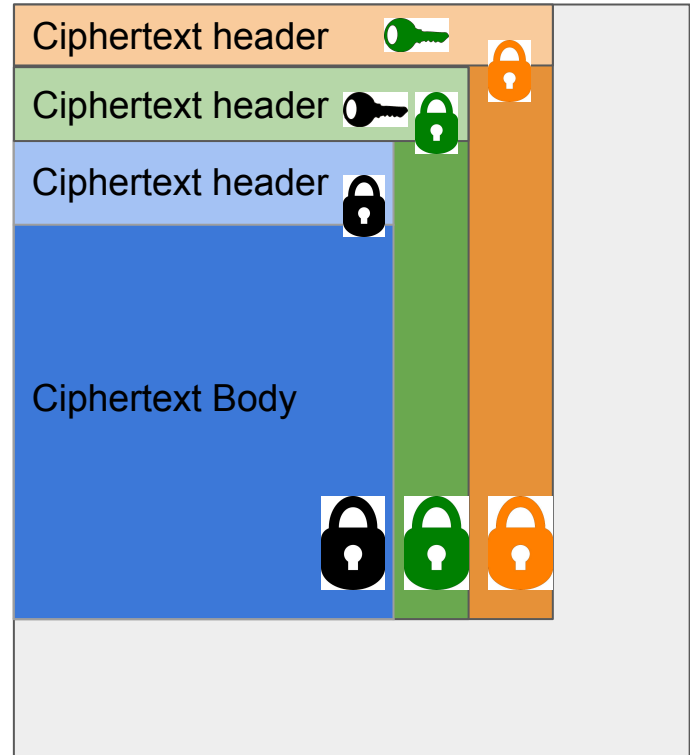
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Idea 1: pad up to fixed max size with random data

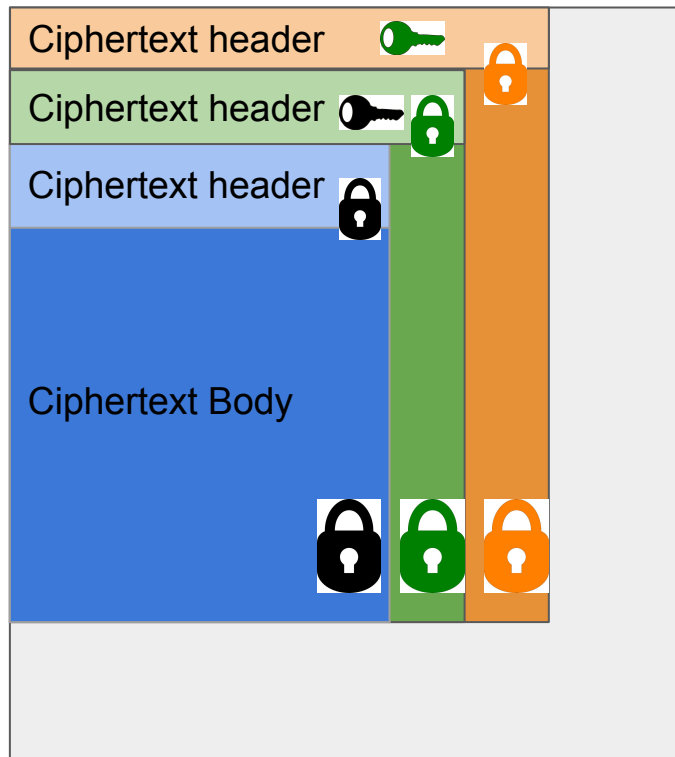


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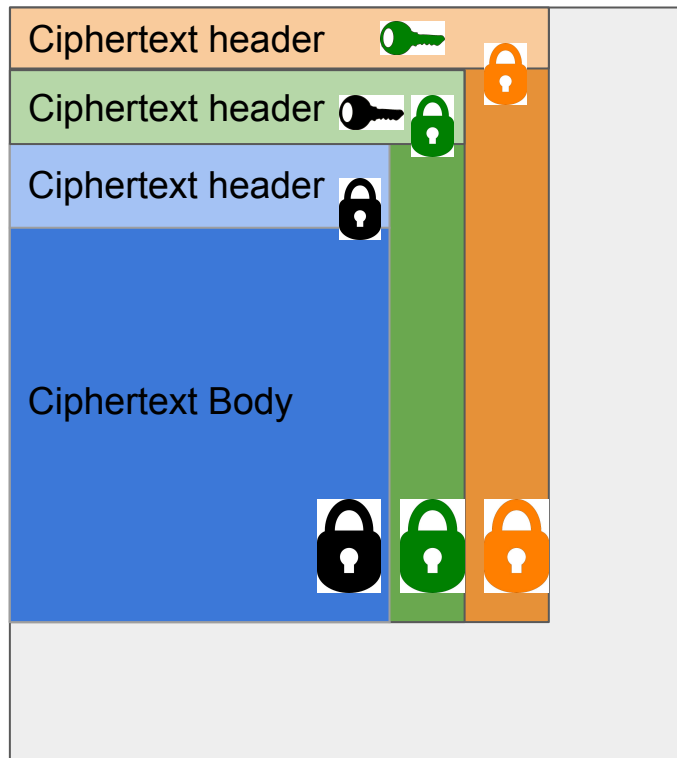
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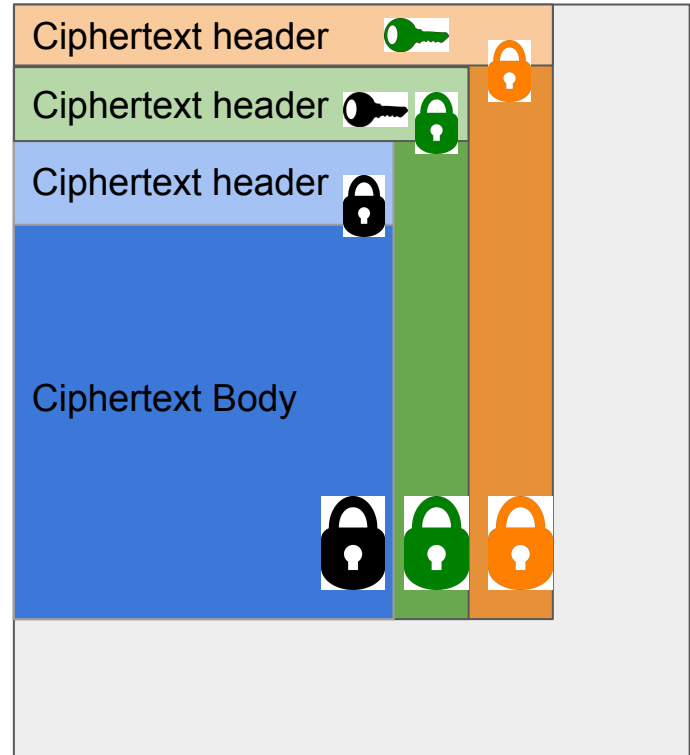
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See paper for full scheme



Updatable Encryption from KH-PRFs [BLMR13, EPRS17]

Supports as many re-encryptions as you want

Decryption time does not depend on number of re-encryptions

Still fast, but slower than nested scheme

New caveat: somewhat weaker integrity and age-hiding guarantee

Tool: Key-Homomorphic PRFs (KHPRFs) [NPR99]

Standard PRF (e.g. AES): $F(k, x)$ looks random if not given k

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Key-Homomorphic PRF: Same security property, new functionality

$$F(k_1, x) \boxplus F(k_2, x) = F(k_1 + k_2, x)$$

Example: $F(k, x) = H(x)^k$

Updatable Encryption from KH-PRFs [EPRS17]

Ciphertext header:

Authenticated Encryption of $H(msg)$ and KH-PRF key k_1

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Update process:

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2. Pick key k_2
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Server updates body encryptions with k_{up}

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Almost KH-PRFs [BLMR13]

EPRS17 uses a KH-PRF based on the DDH assumption*

$$F(k_1, x) + F(k_2, x) = F(k_1 + k_2, x)$$

*In Random Oracle model

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$$F(k_1, x) + F(k_2, x) = F(k_1 + k_2, x)$$

We use a new *almost KH-PRF* based on the Ring-LWE assumption*

$$F(k_1, x) + F(k_2, x) = F(k_1 + k_2, x) \underline{+ e} \quad (\text{where } e \text{ is small in } \mathbb{Z}_q^n)$$

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See paper for construction

Result: ~500x faster performance

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Why lattice crypto?

We use

assumption*

$F(k_1)$

\mathbb{Z}_q^n

See paper for construction

Result: ~500x faster performance

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Evaluation

Encryption and Re-encryption

Throughput for encrypting/re-encrypting 32KB messages (MB/sec)

	ReCrypt [EPRS17]	Almost KH-PRF	Nested (128 layers)
Encrypt	0.12	61.90	1836.9
Re-encrypt	0.15	83.06	2606.8

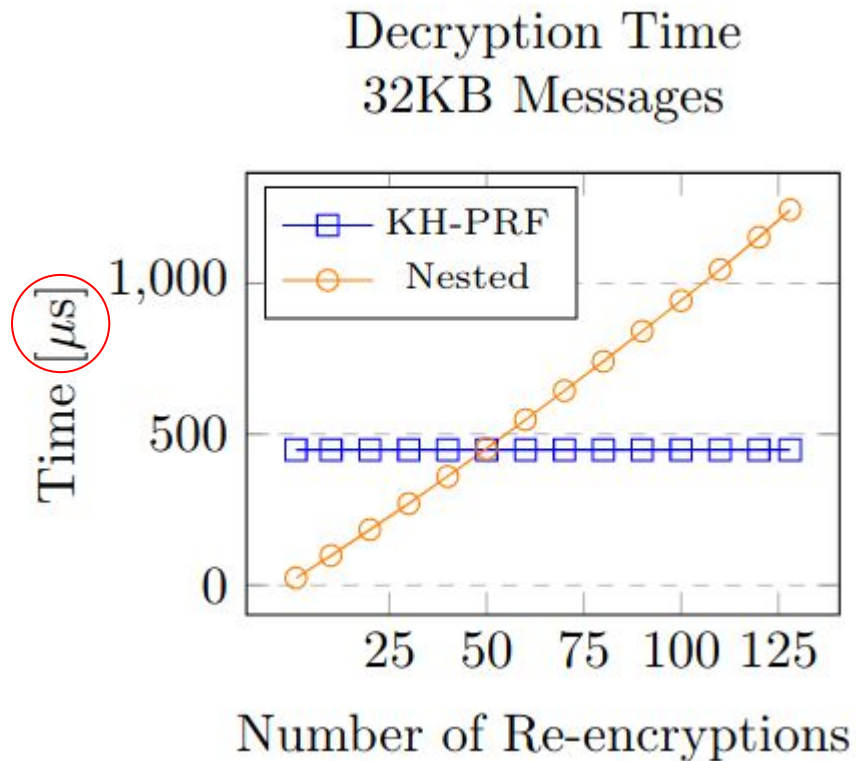
Almost KH-PRF is ~500x faster than ReCrypt

Nested AES is ~30x faster than almost KH-PRF

Decryption

Nested construction faster for up to 50 re-encryptions

ReCrypt (not shown) 500x slower than KH-PRF construction



Ciphertext Expansion

Nested AES and ReCrypt have smallest ciphertext expansion

KH-PRF or Nested AES for many re-encryptions have larger ciphertext expansion

Ciphertext Expansion 32KB Messages	
KH-PRF UAE	
$ q = 28$	133%
$ q = 60$	36%
$ q = 120$	20%
$ q = 128$	19%
Nested UAE	
$t = 20$	3%
$t = 128$	19%
ReCrypt [EPRS17]	3%

Improving Updatable Encryption

Improved security definitions for updatable encryption

Two new constructions -- from Nested AES and RLWE-based KH-PRF

Orders of magnitude performance improvement over prior work

Paper: eprint.iacr.org/2020/222.pdf

Source Code: https://github.com/moshih/UpdateableEncryption_Code

Contact: saba@cs.stanford.edu