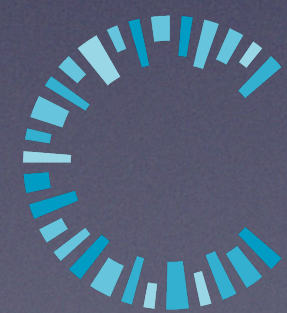


Gossiping for Communication- Efficient Broadcast

G. Tsimos, Julian Loss, Charalampos Papamanthou



CISPA
HELMHOLTZ CENTER FOR
INFORMATION SECURITY



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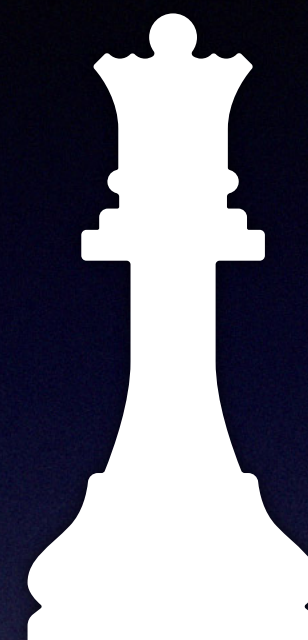
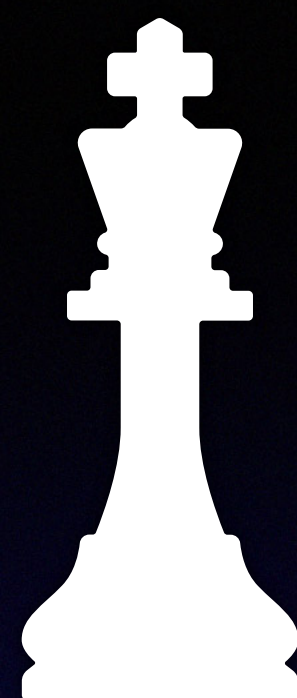
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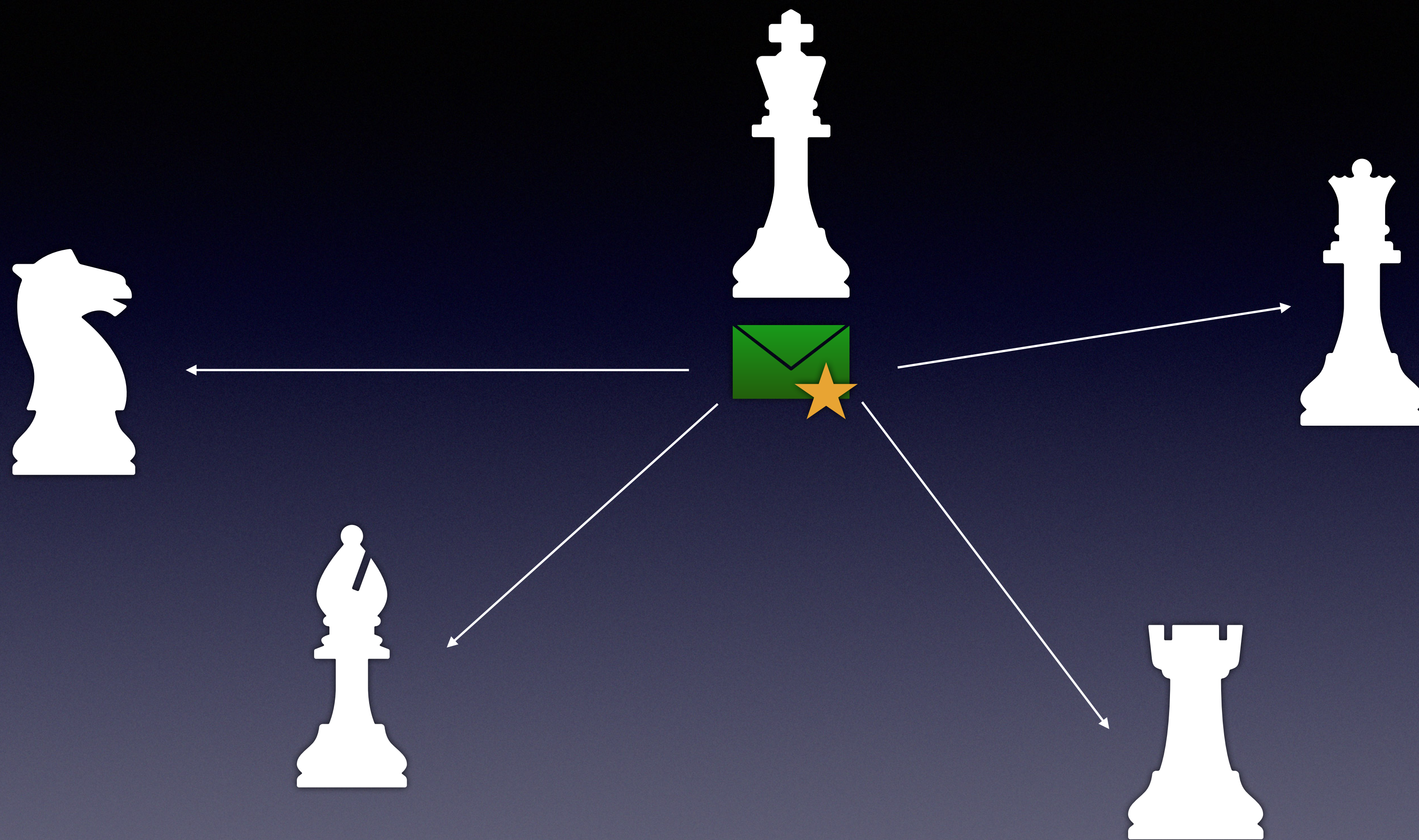
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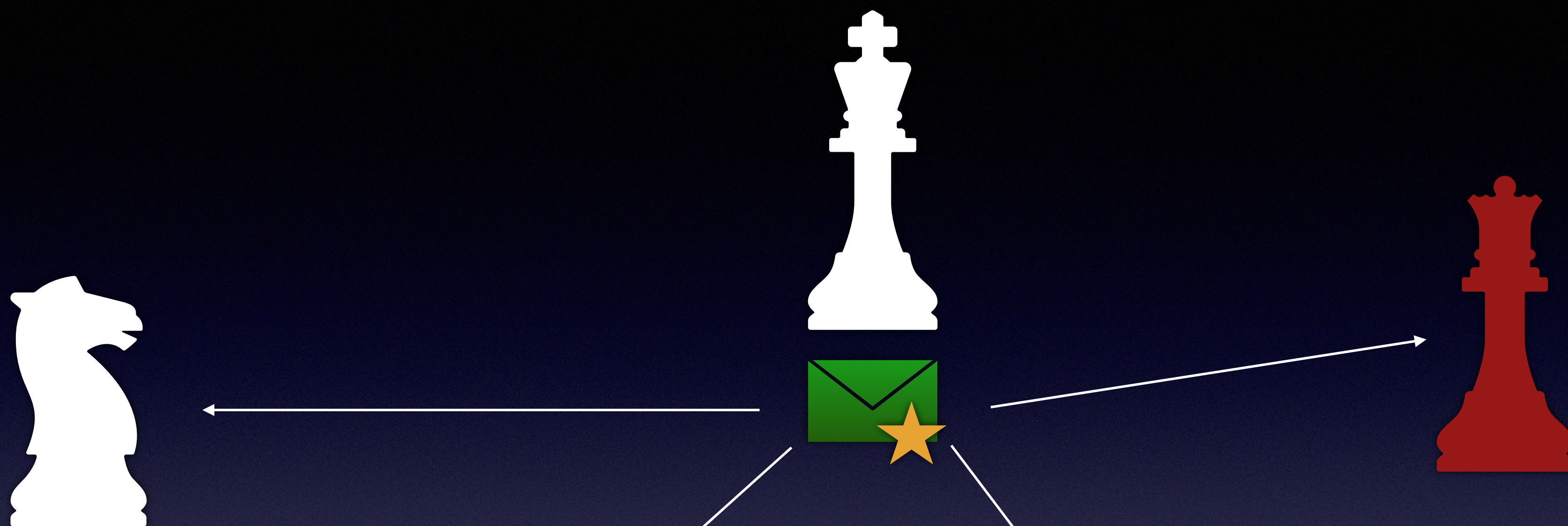
- A designated sender s w. input value u_s
- s wants to broadcast u_s to all n parties
 - s might be dishonest
- Honest parties want to agree on the same value.

Authenticated Broadcast

- Authenticated Broadcast:
 - Broadcast **BUT** with Use of a Public Key Infrastructure (PKI)
 - Bulletin Board \ Trusted PKI
 - Each party can sign with a **signature** each message they send
 - P_i holds (pk_i, sk_i) and posts pk_i publicly







All honest parties output the same message

If S is honest, all honest parties output S's message

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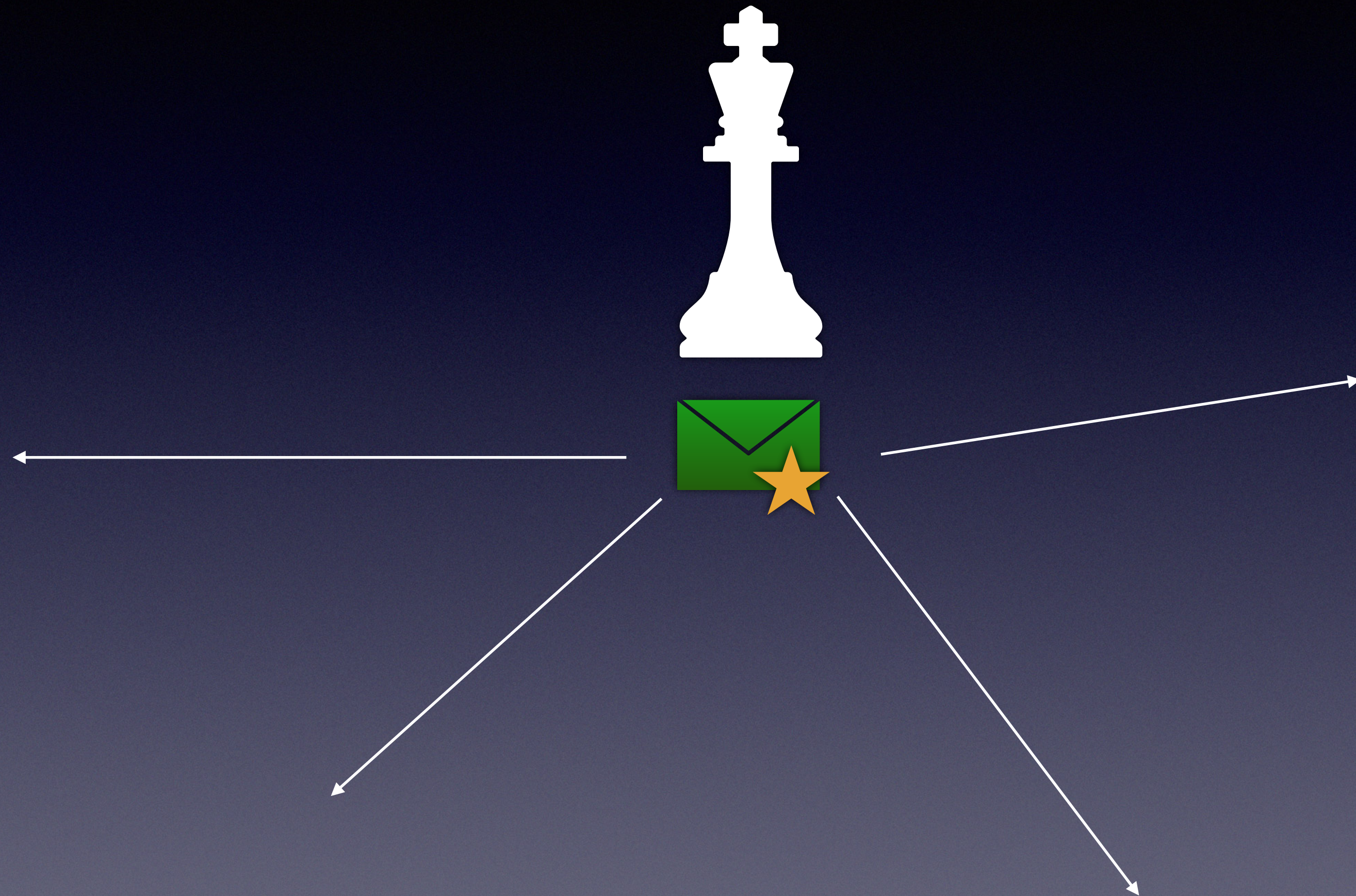
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$\mathcal{O}(n^2)$ CC using **trusted PKI**, against $t < (1 - \epsilon)n$ **adaptive** corruptions.


Dolev-Strong

S sends 📧 with S's signature ★ to all parties



For each $r \leq t + 1$:
 p checks if it received some new “valid” 



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Valid  at round r :

At least r  from
distinct parties.
One is from S .



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If so, it adds its signature  and sends ... to all parties.



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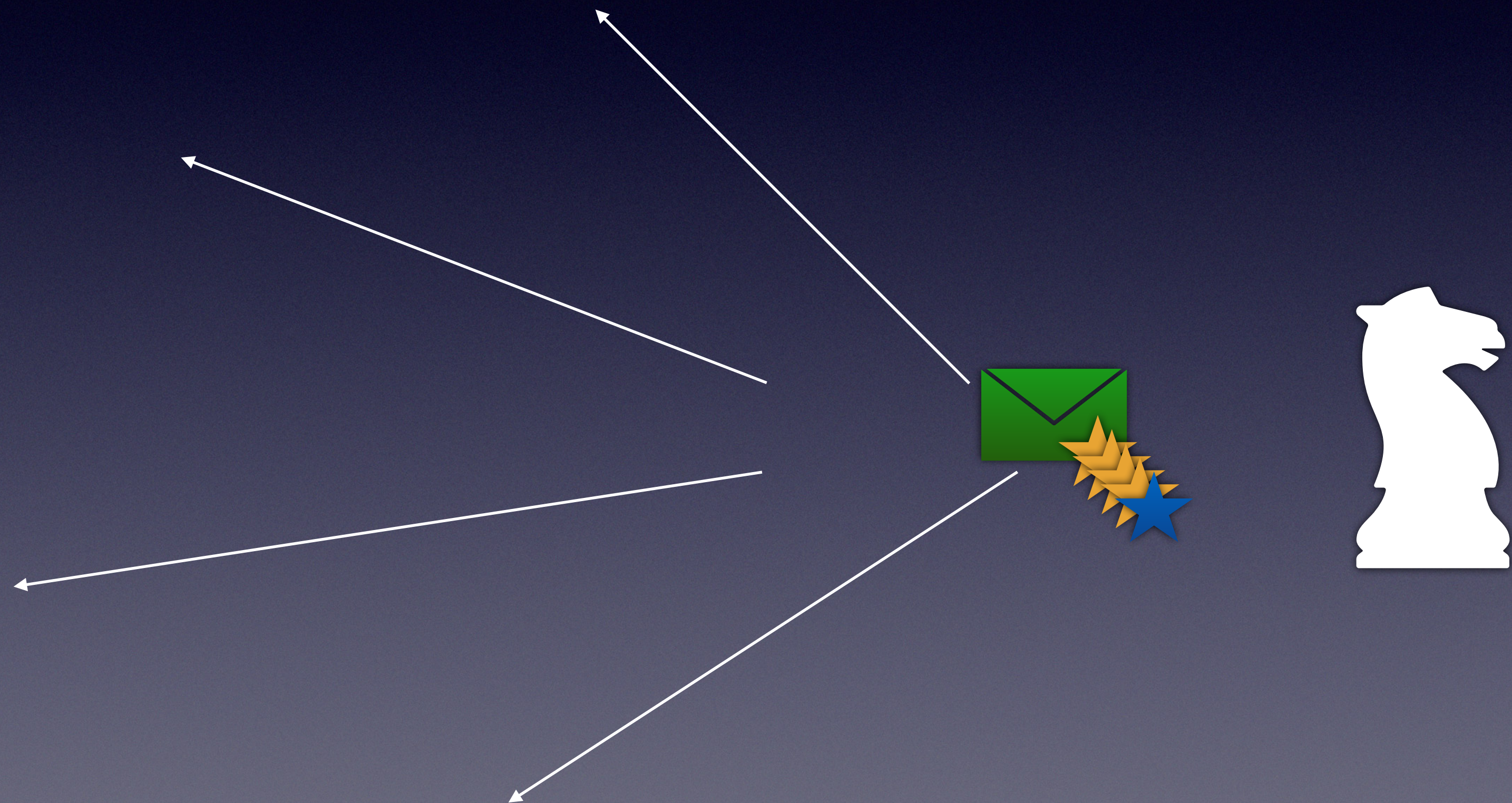
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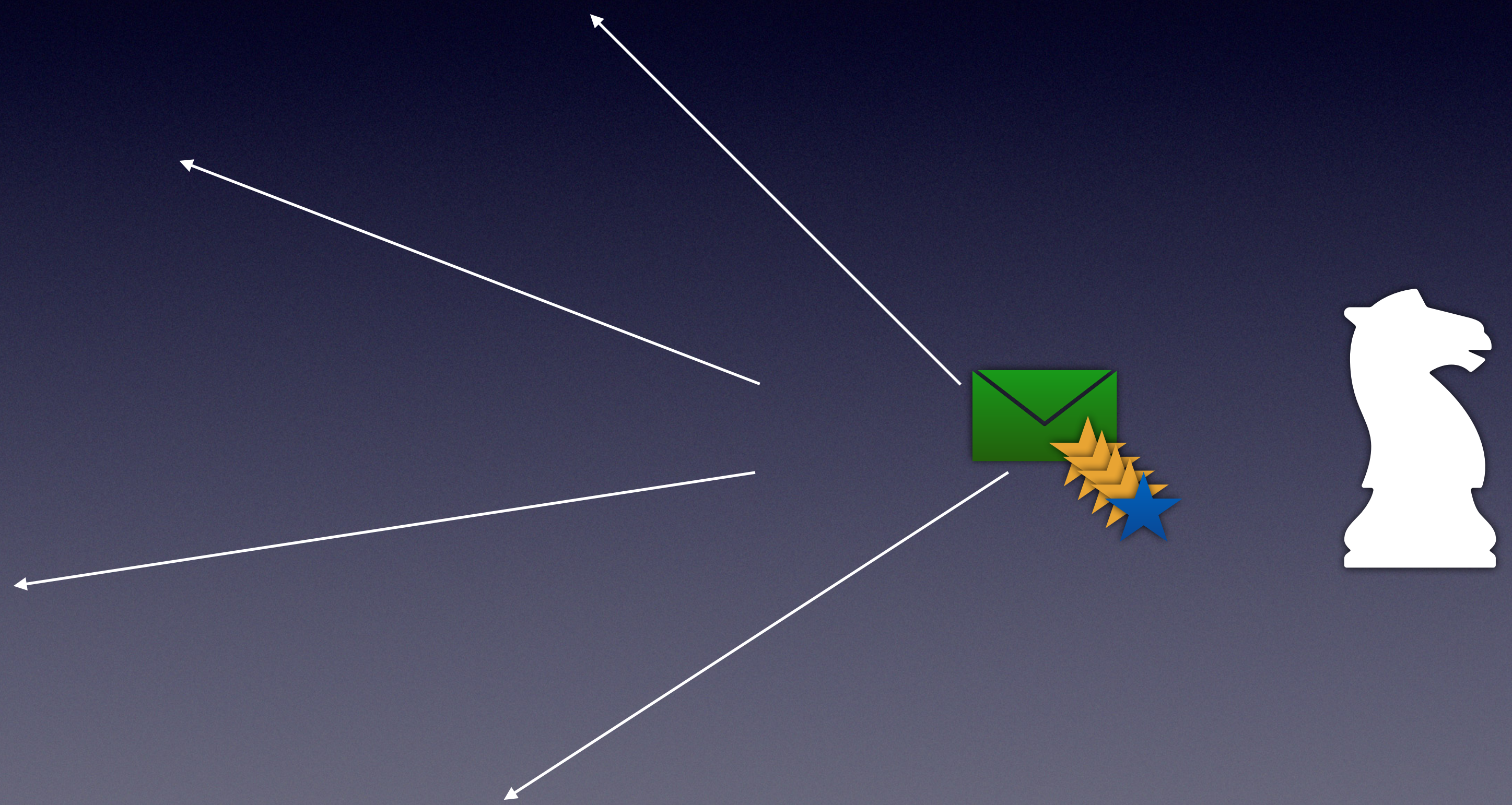
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Our Observation

- What do parties want to achieve with sending?
- Perhaps, sending to everyone takes more communication than what needed for the property.

“Do I send the message to party j?”



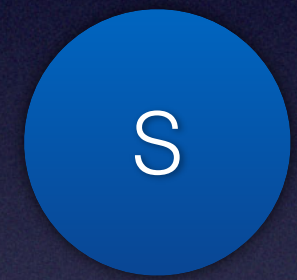
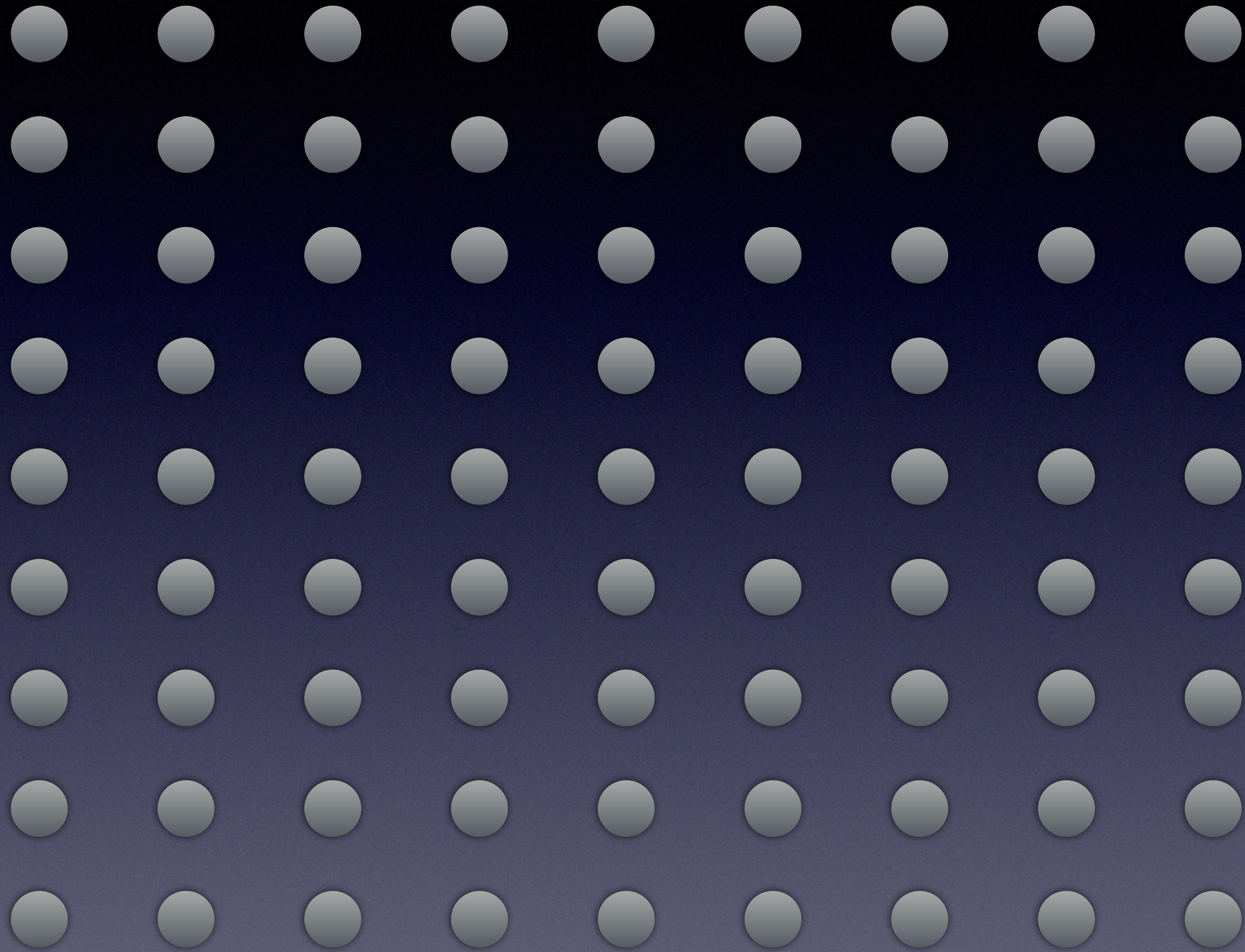
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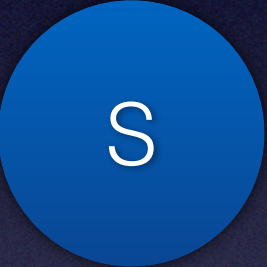
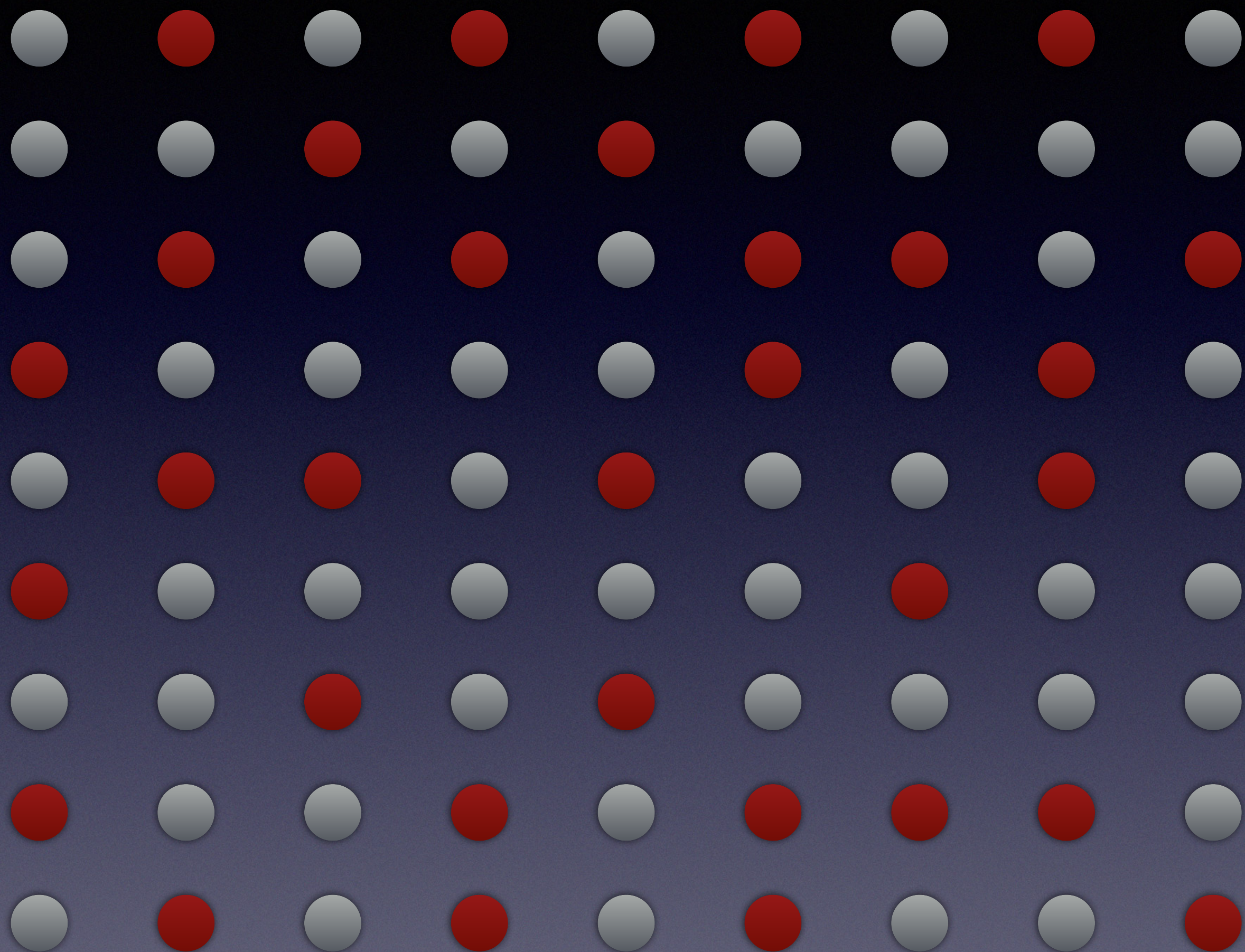
Flip a coin with prob. m/n
If Heads, then I send, else I don't



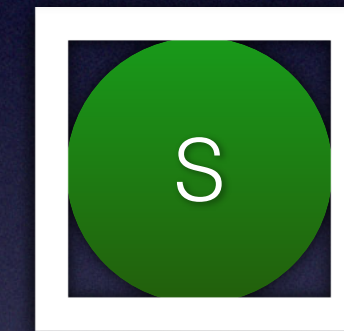
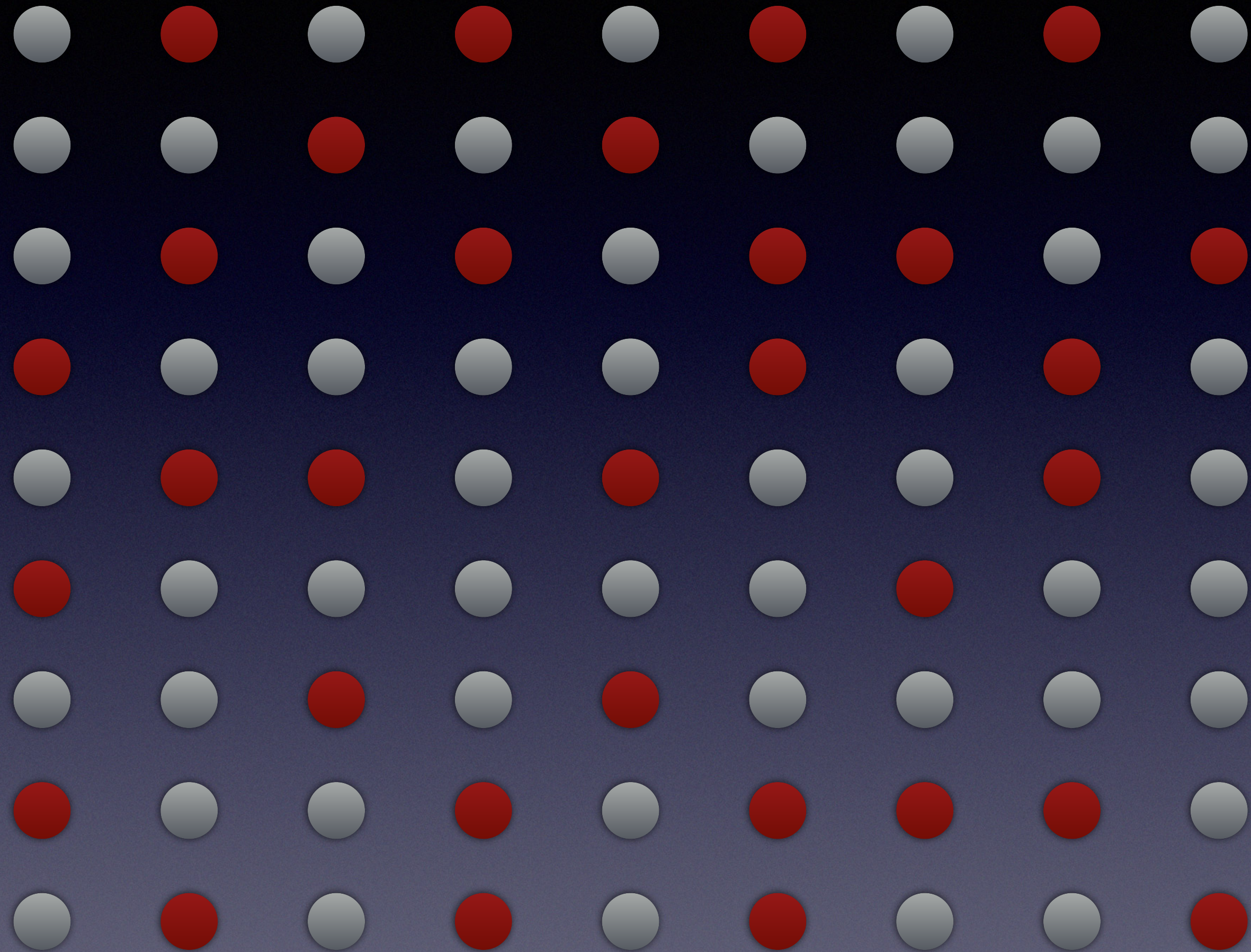
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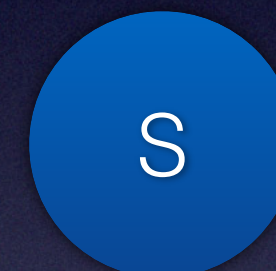
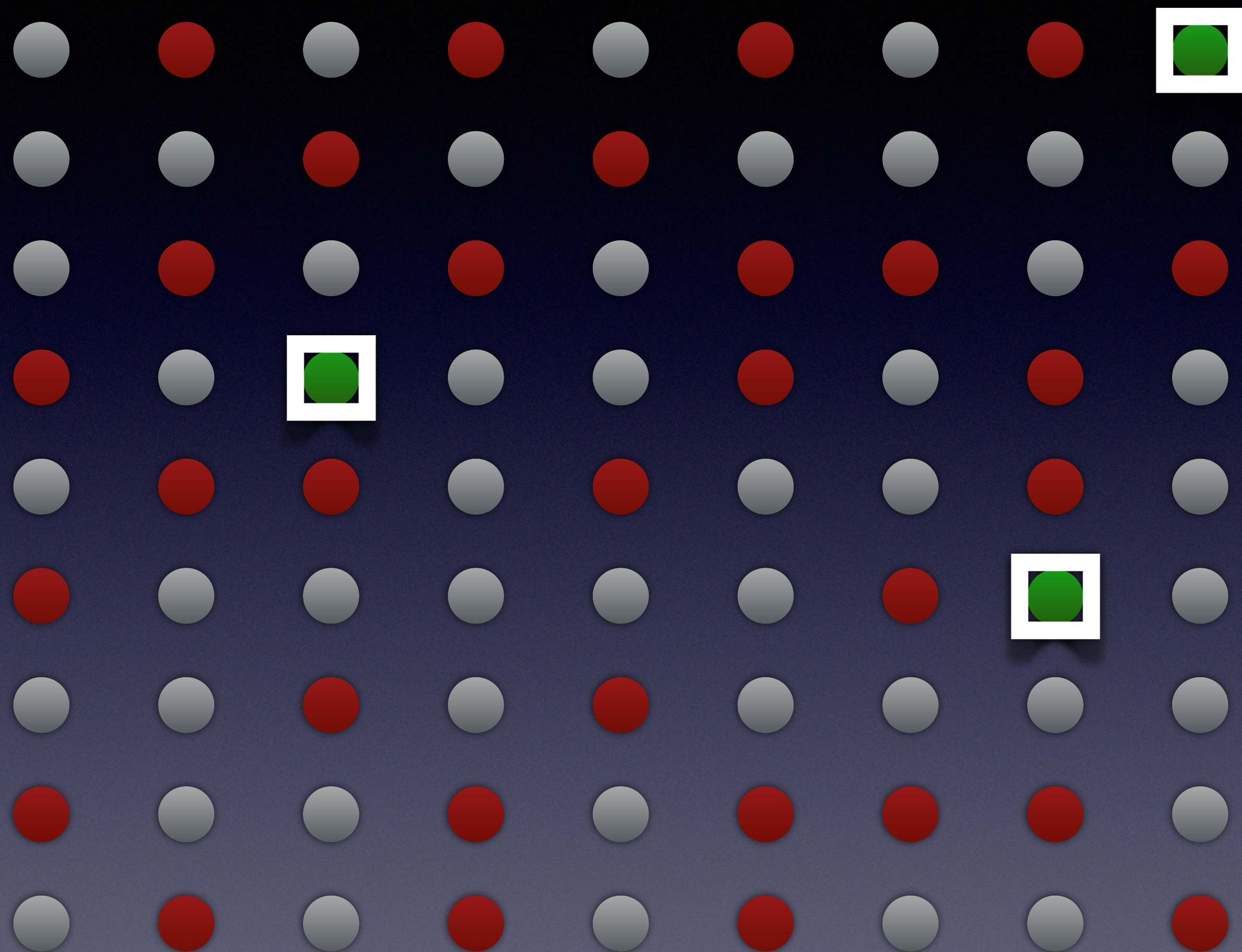




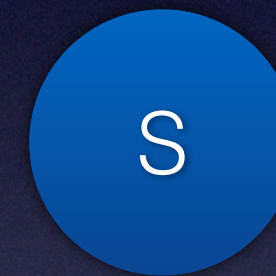
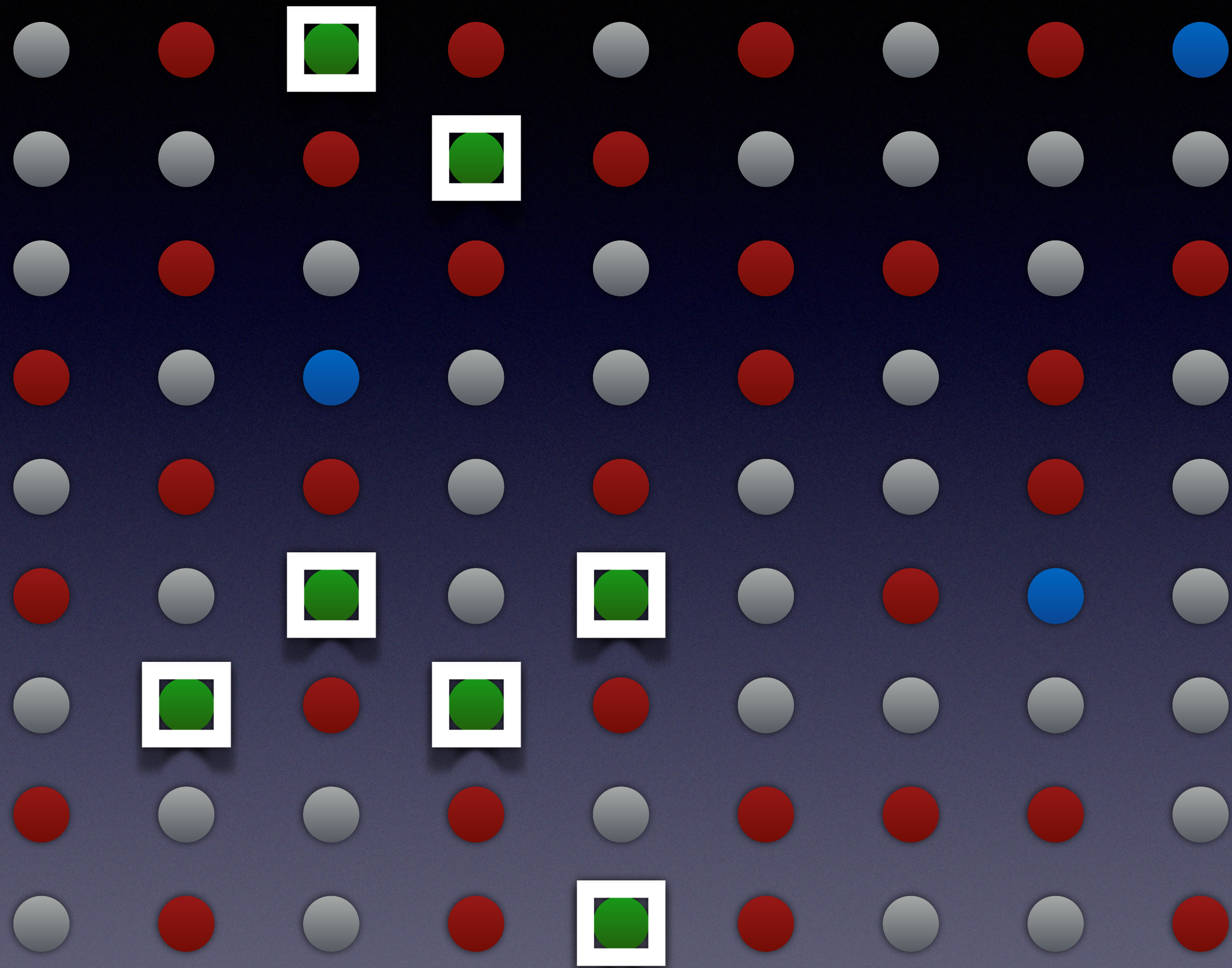
$$r=a < t+1$$



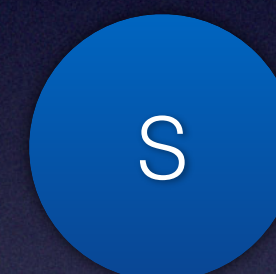
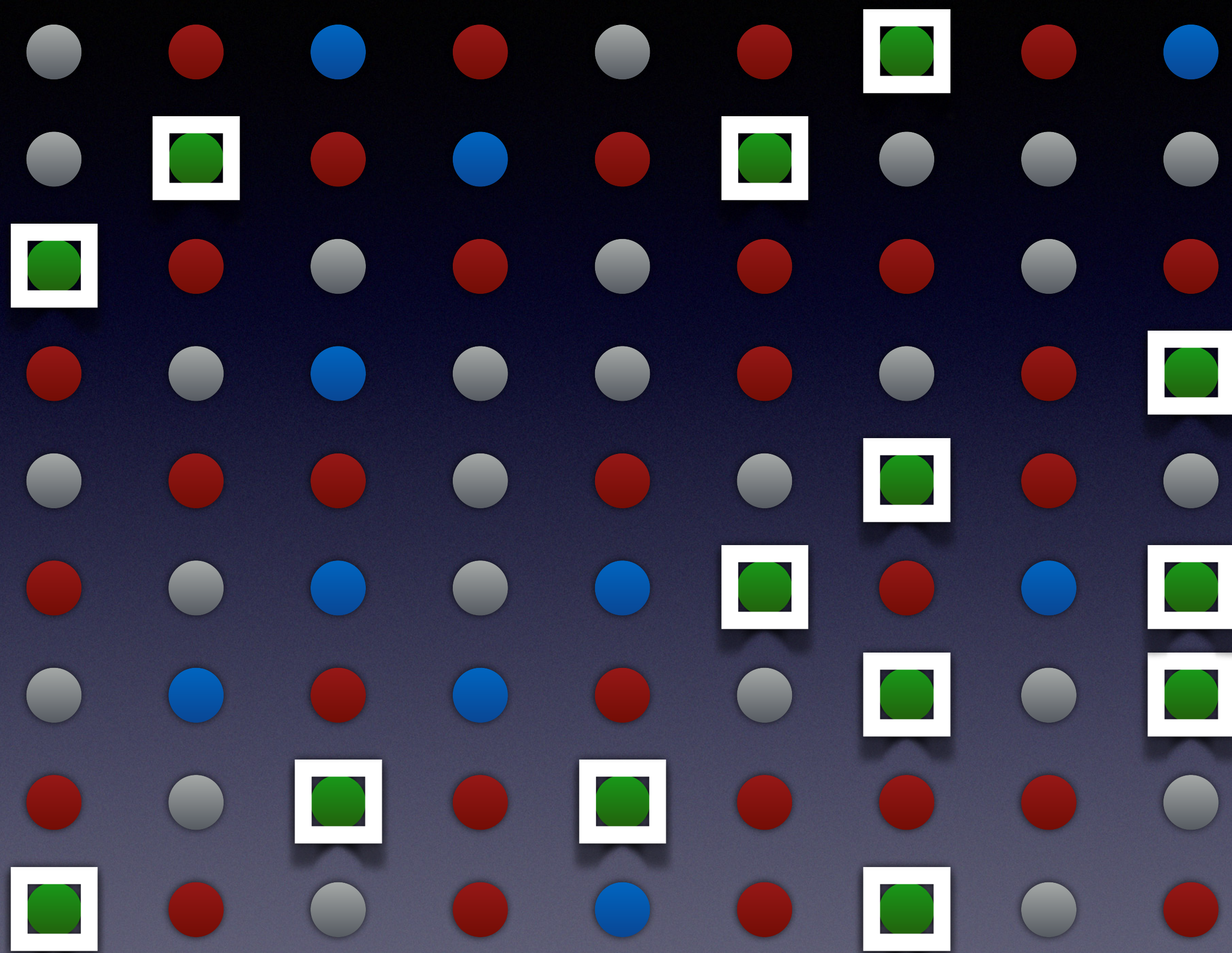
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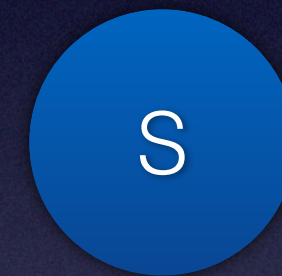
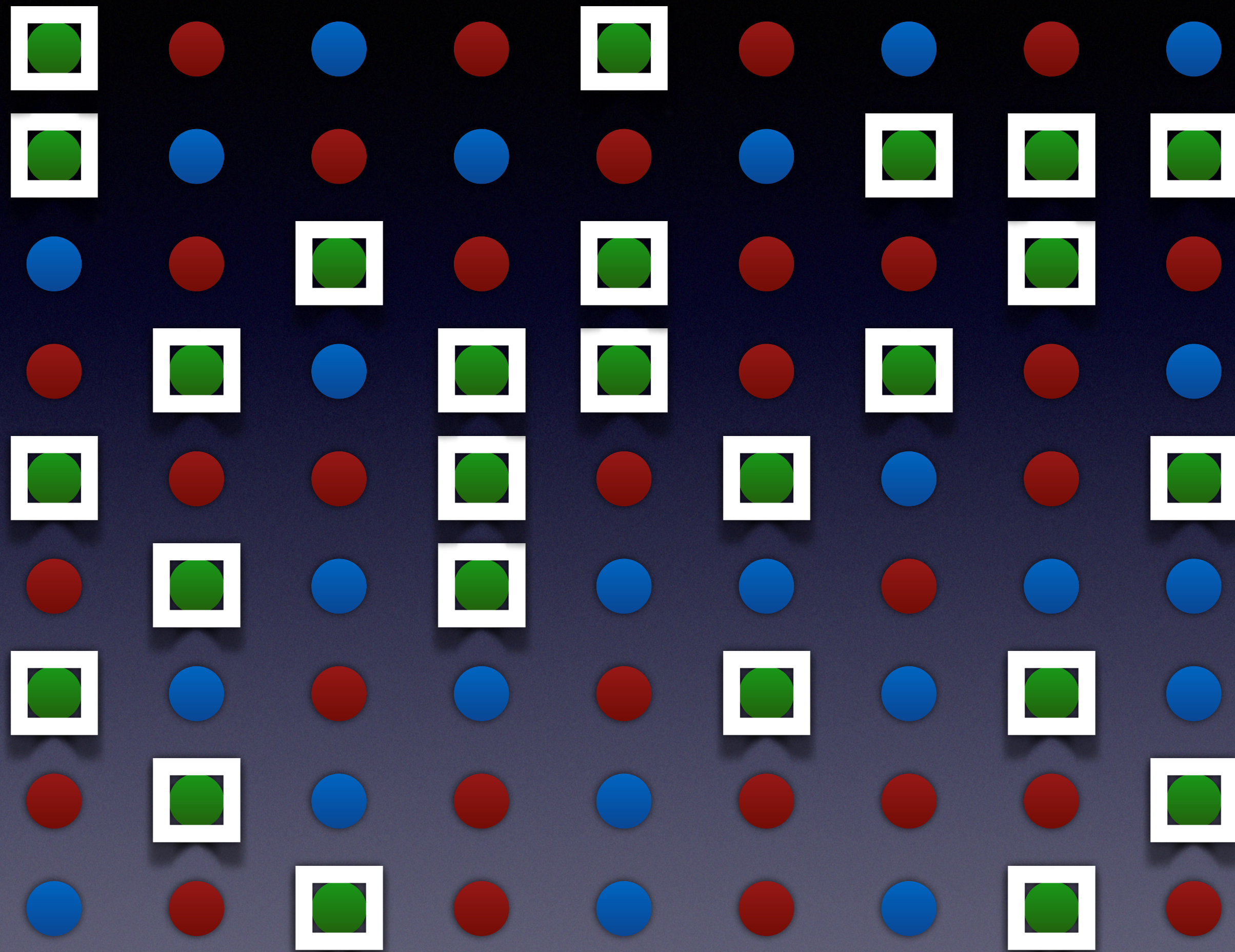
$$r=a+2$$



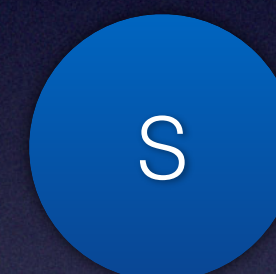
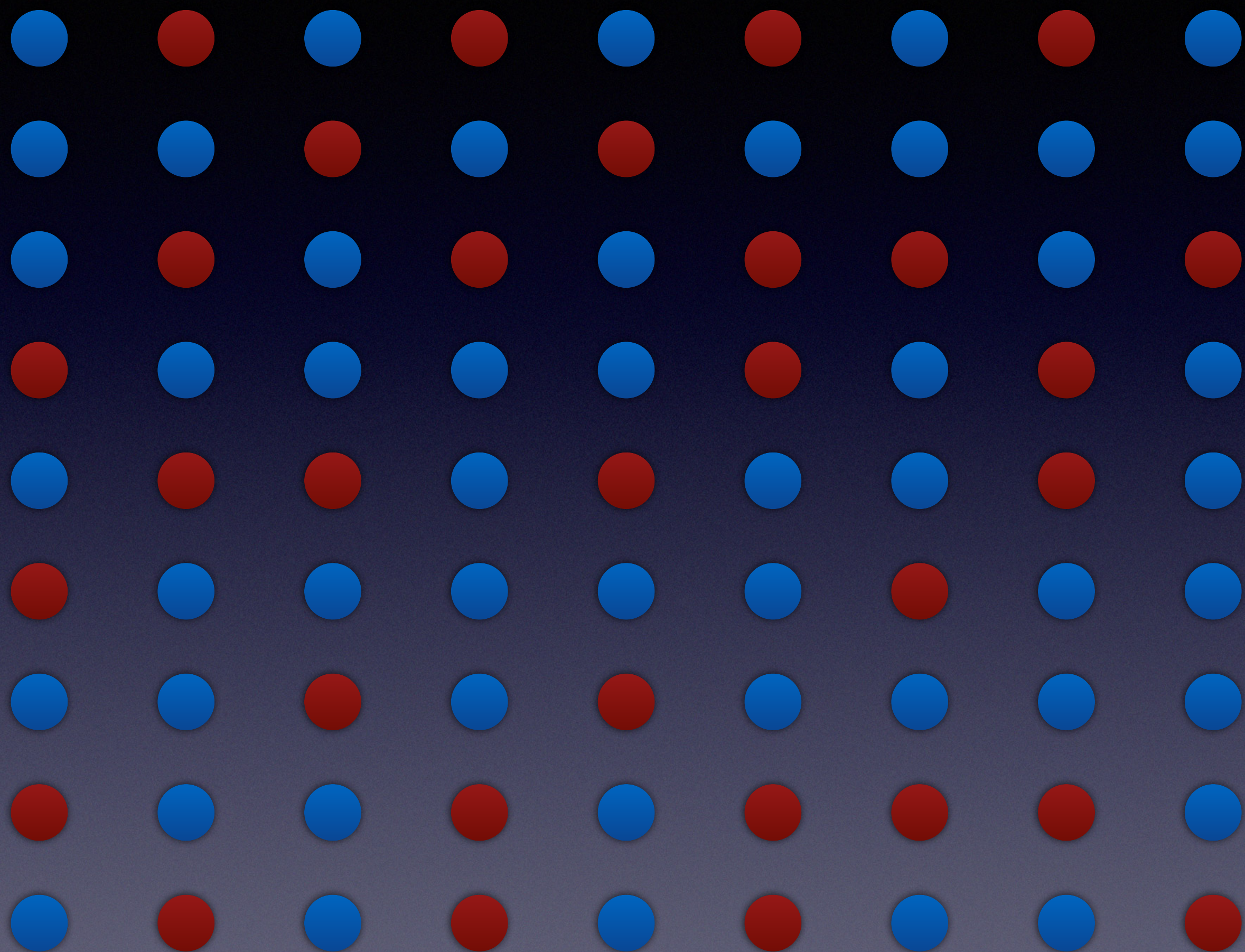
$$r=a+3$$



$$r=a+4$$



$$r=a+5$$

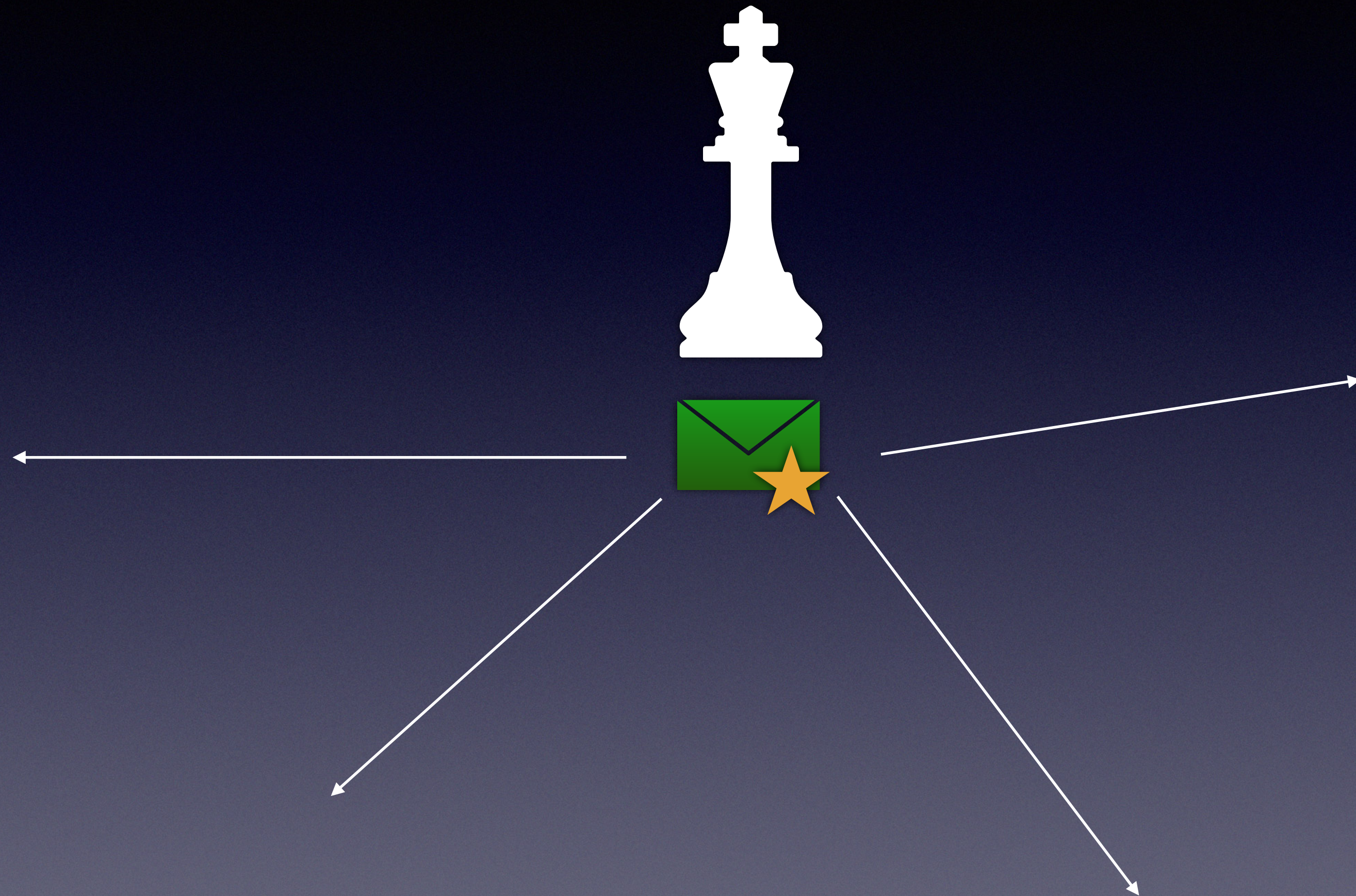








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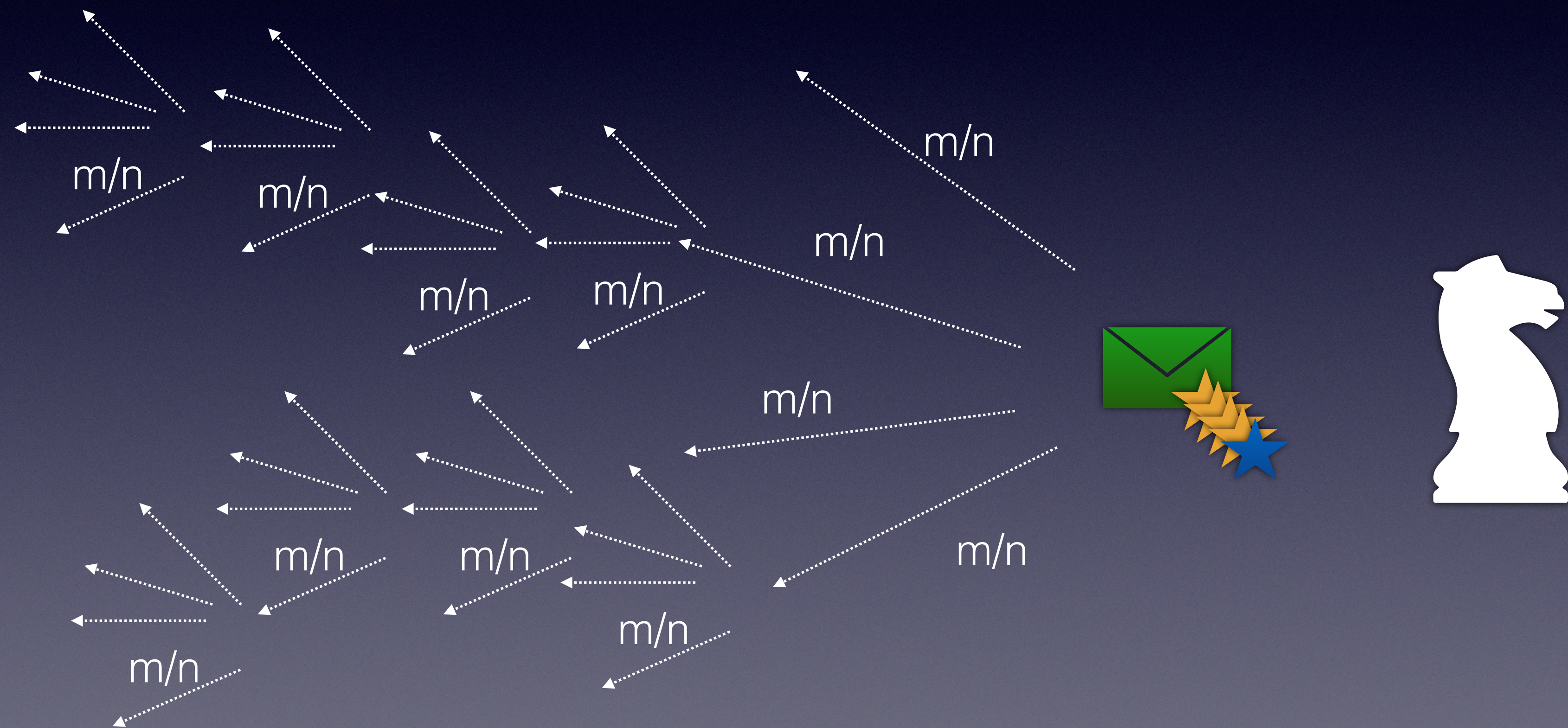
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 p checks if it received some new “valid” 
If so, it adds its signature  and gossips   ...  



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Comparison

- Bulletin-Board PKI (**NO trusted setup**)
- State-of-the-art **Communication Complexity** for $t > n/2$

Protocol	Model	CC	RC	Adversary	Corruptions	Type
Dolev-Strong	Bulletin	$O(n^3\kappa)$	$O(n)$	Adaptive	$< n$	BC
BulletinBC	Bulletin	$\tilde{O}(n^2\kappa^2)$	$O(n)$	Static	$< (1 - \epsilon)n$	BC
Abraham et al.	Trusted	$\tilde{O}(n\kappa)$	$O(1)$	Adaptive	$< n/2$	BC
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Limitations so far

- **Static** vs **Adaptive** adversary:
- An adaptive adversary can break the security of the process.
 - Any ideas how?

But... Broadcast?

- Back to our motivation:
 - Many times in practical uses of Broadcast, we require **all parties to broadcast** values.
 - (E.g. MPC, VSS applications)

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 - Consistency: For each slot s_i , all honest parties output the same bit

1. Caesar



2. Washington



3. Charlemagne



4. Napoleon



5. Alexander



1. Caesar



$[b_1, \text{sig}_1(b_1)]$

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$[b_2, \text{sig}_2(b_2)]$

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$[b_3, \text{sig}_3(b_3)]$

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$[b_4, \text{sig}_4(b_4)]$

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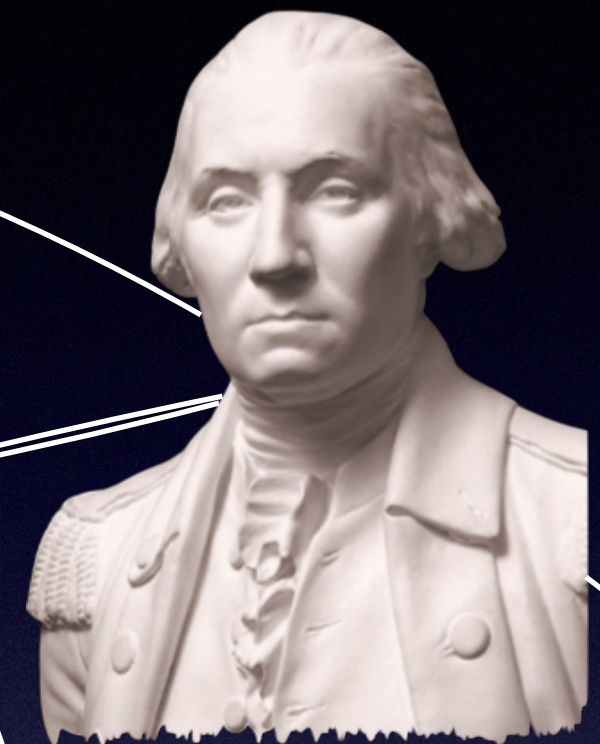
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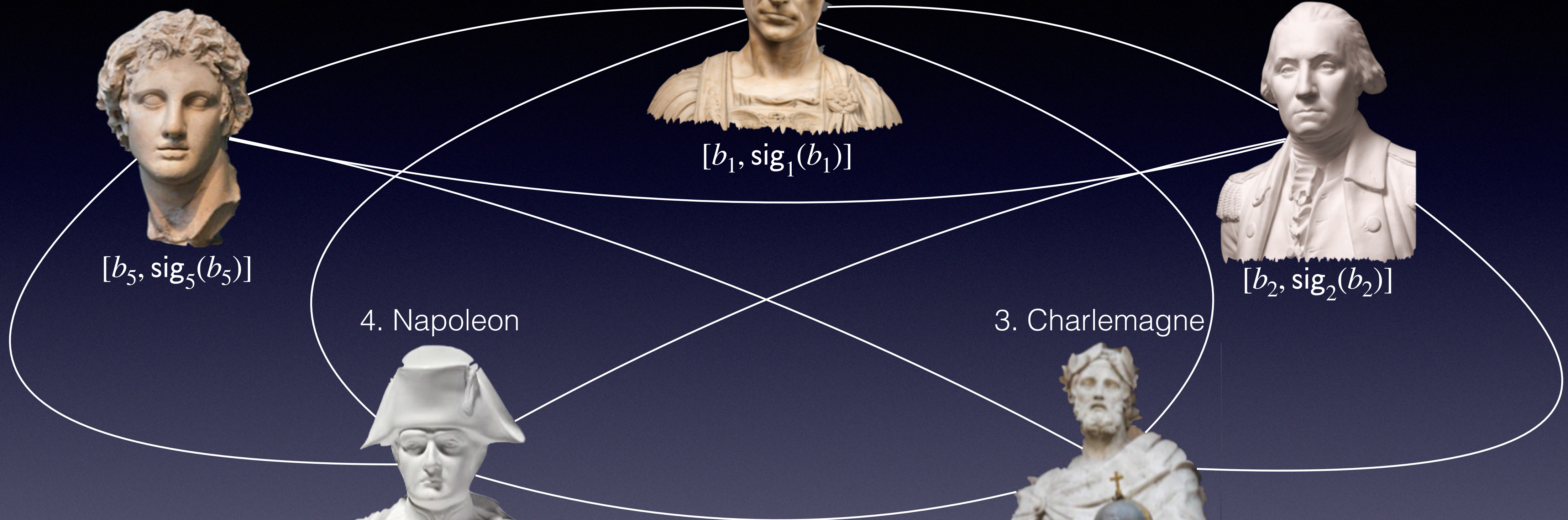


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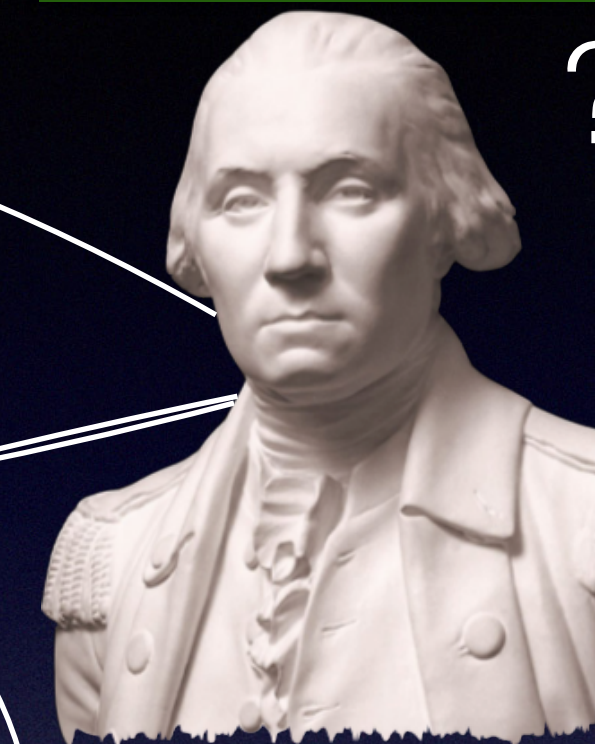
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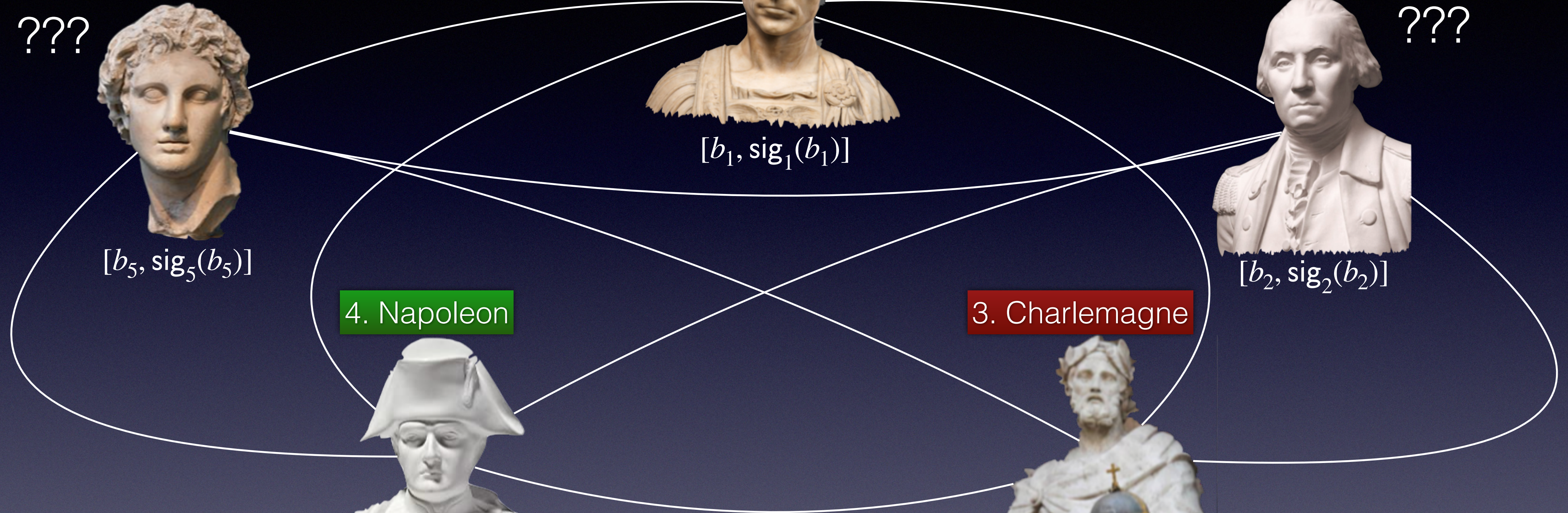
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 - If C is the Communication of the Broadcast protocol:
 - Then, overall Communication: $\mathcal{O}(n \cdot C)$
- Can we do **better**?

~~Authenticated Broadcast with $\mathcal{O}(n^2)$ CC using **bulletin board PKI**, against $t < (1 - c)n$ **static** corruptions.~~

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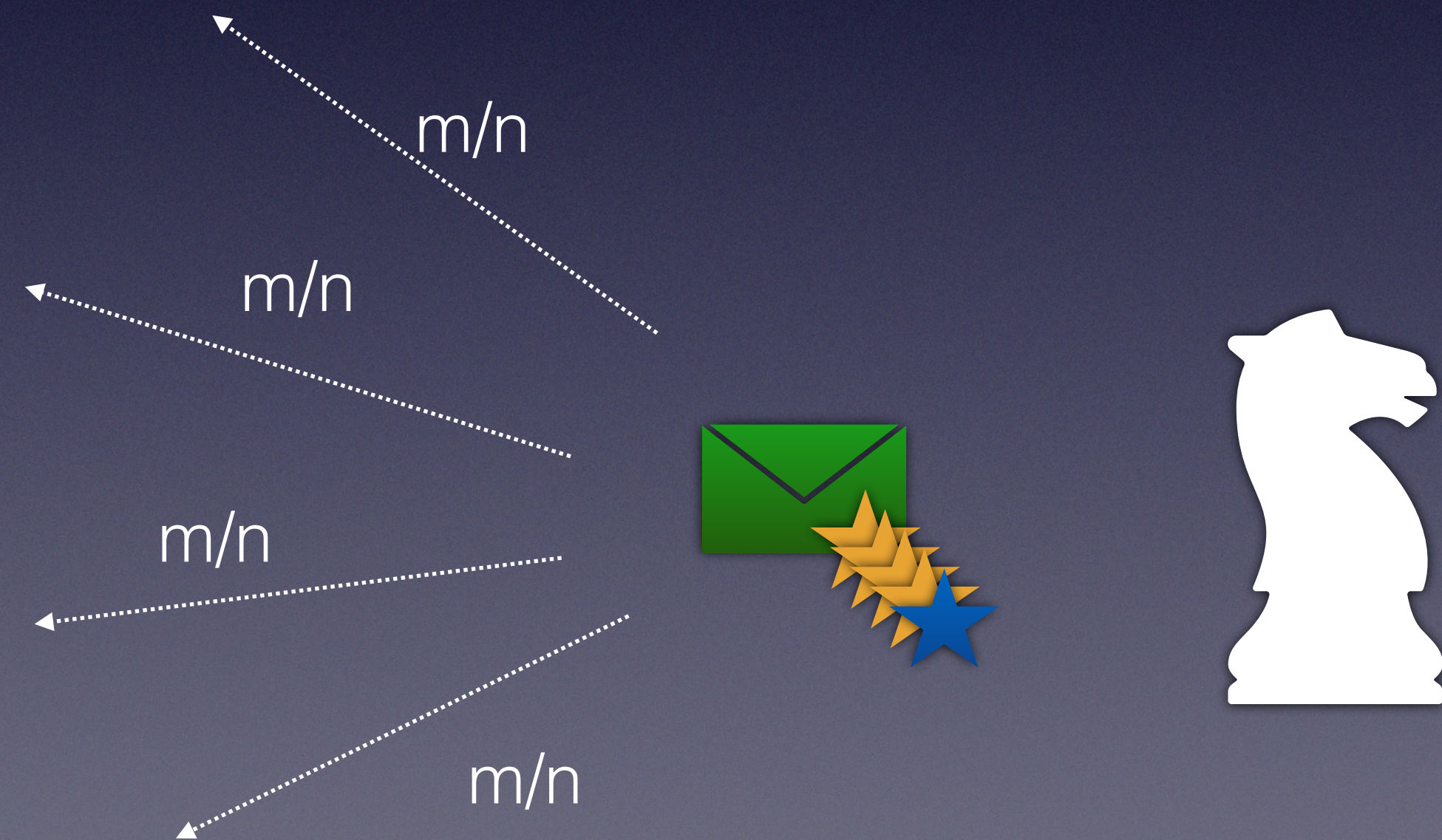
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 - Efficiently
 - Against adaptive adversaries

Converge

- Before: Party gossips a specific message to a few other parties randomly



Converge



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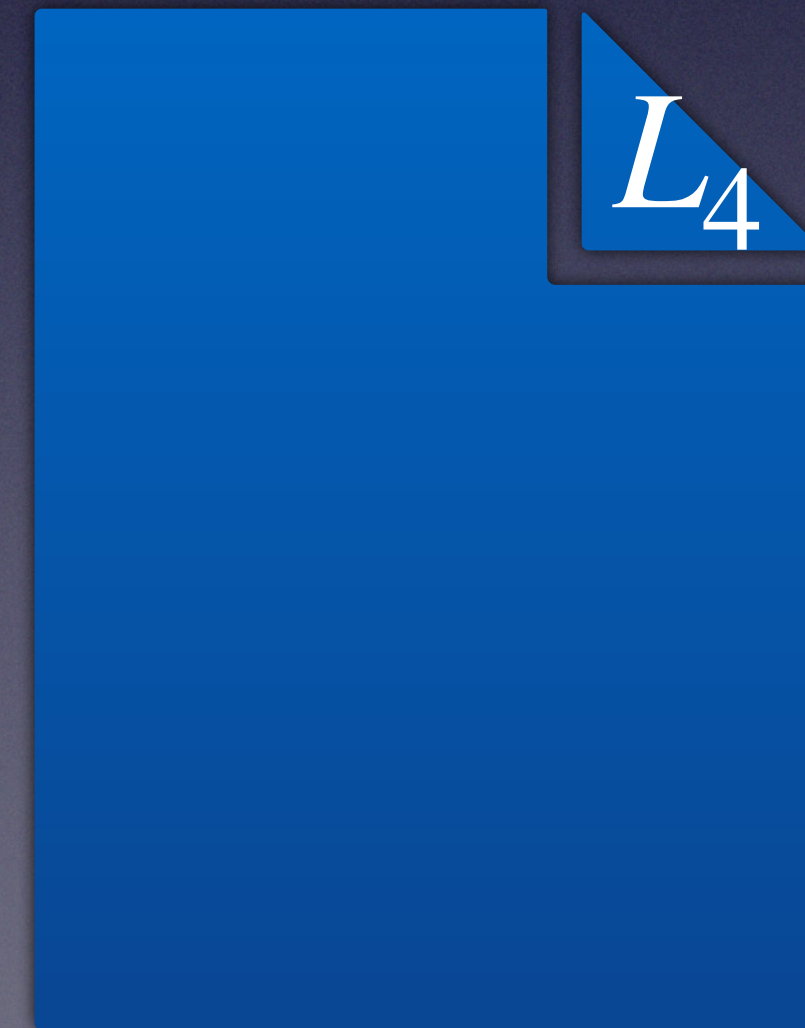
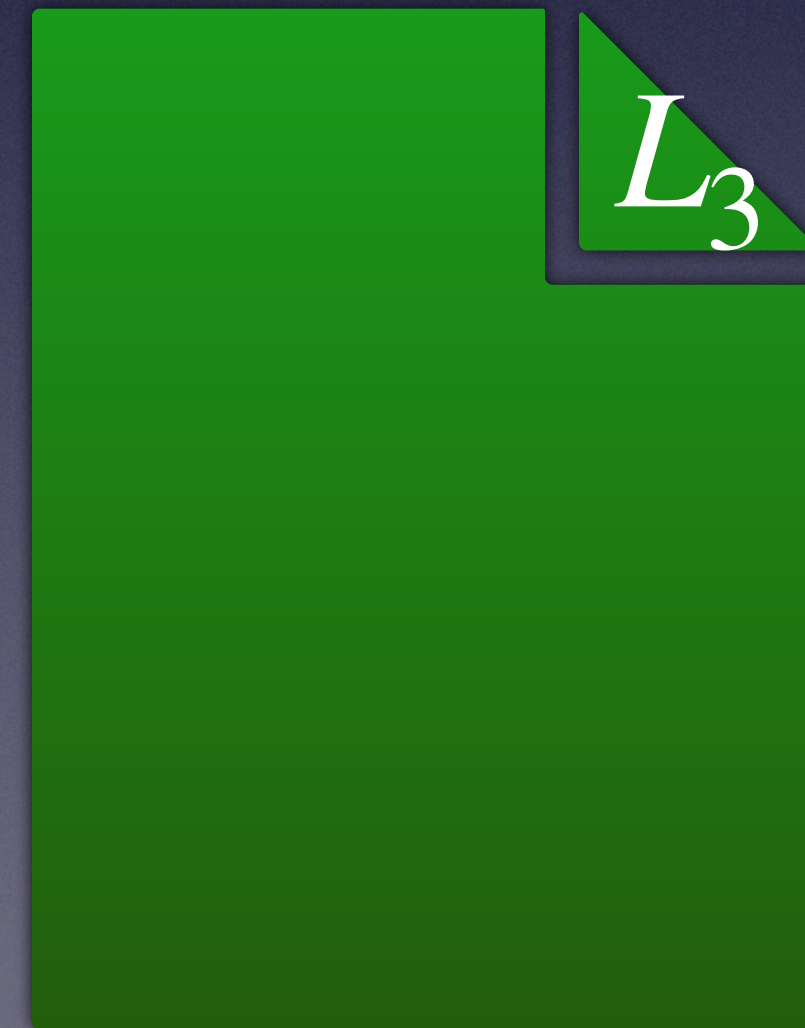


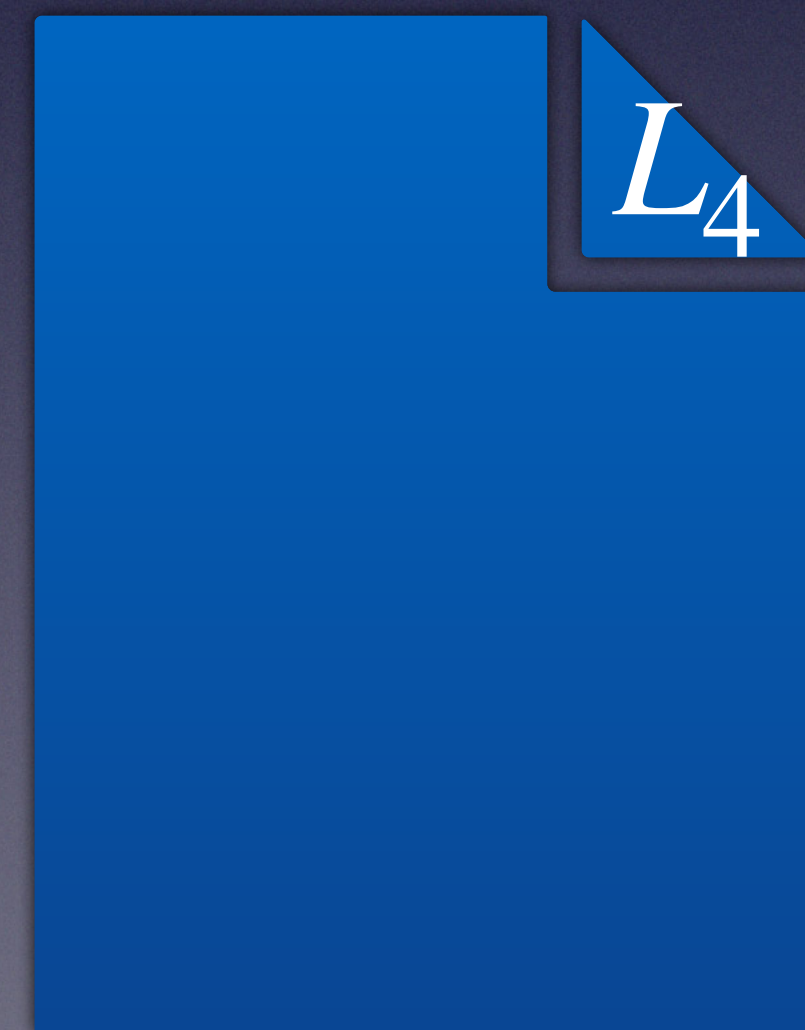
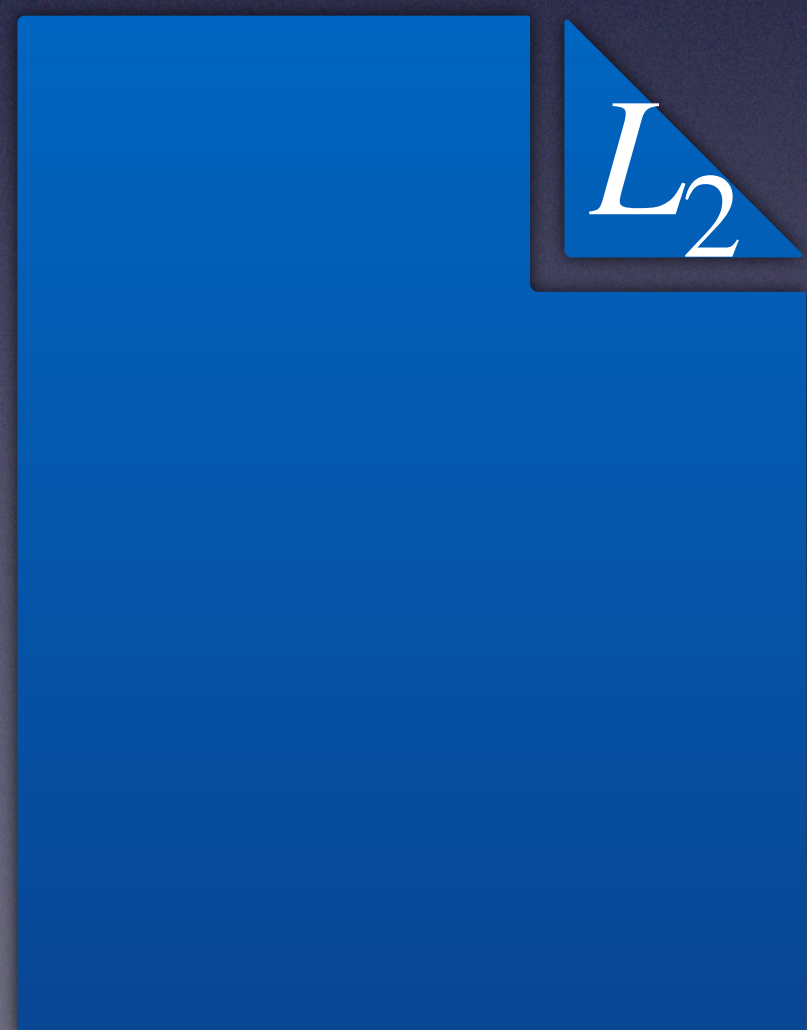
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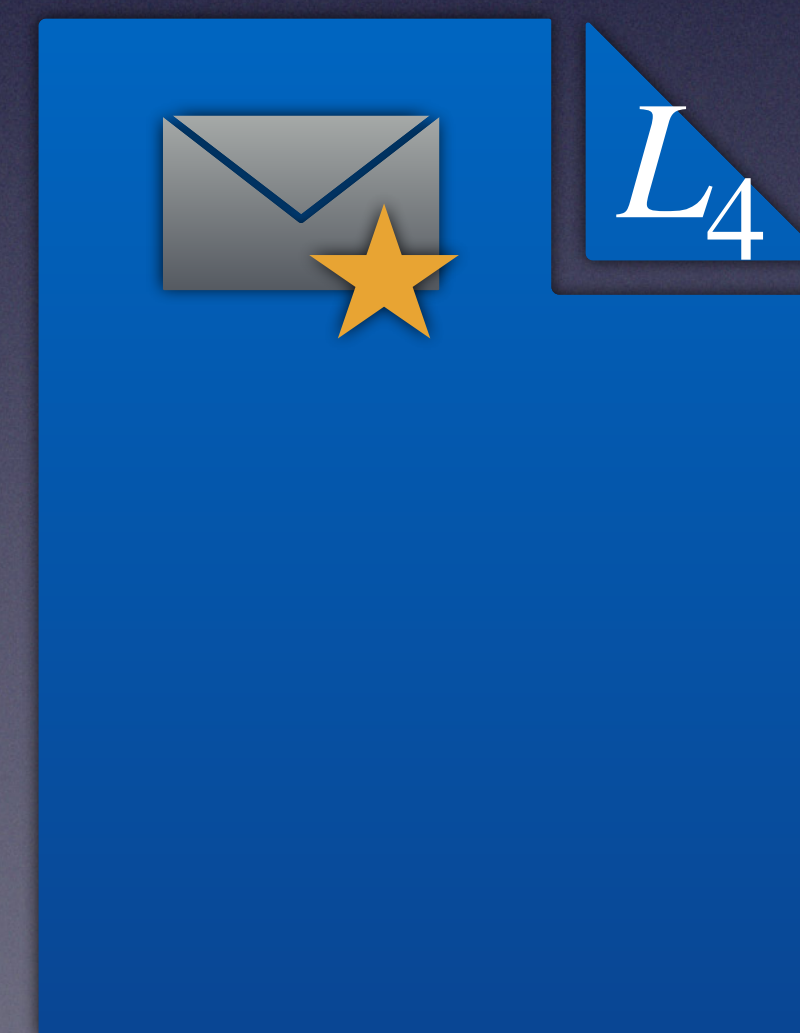
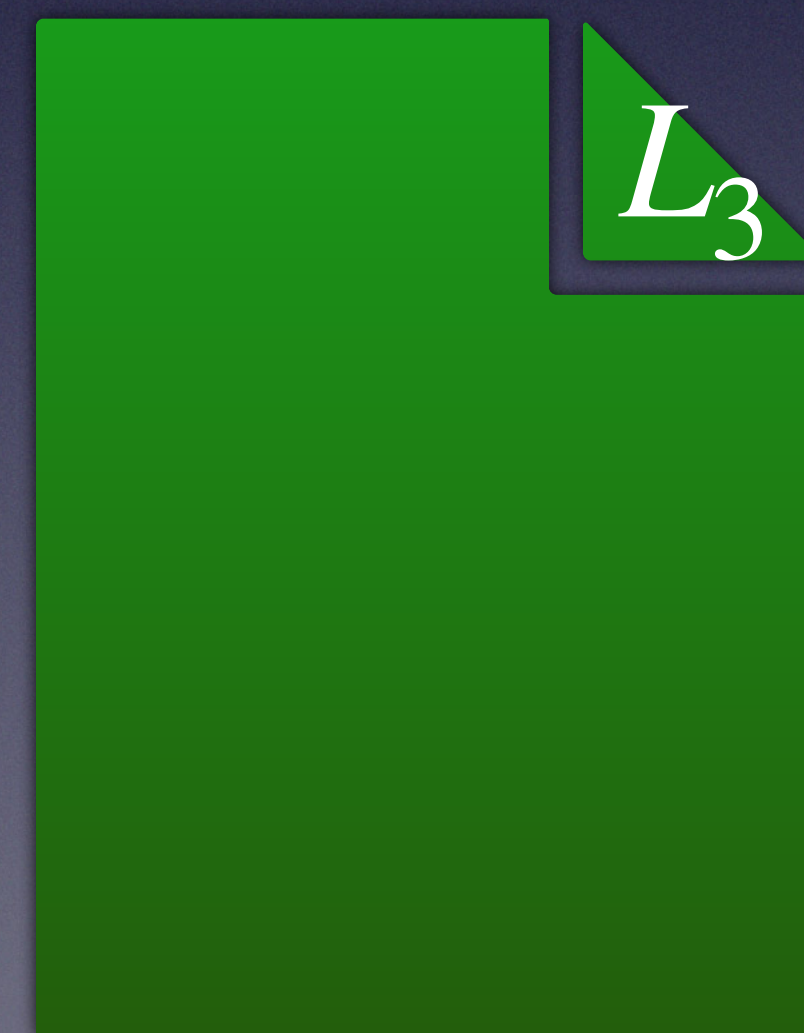
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- Like in gossiping, for each message, randomly select a few parties to send it to
- With high prob. all parties receive \sim the same amount of messages
- The adversary doesn't gain any advantage by observing the execution of the protocol

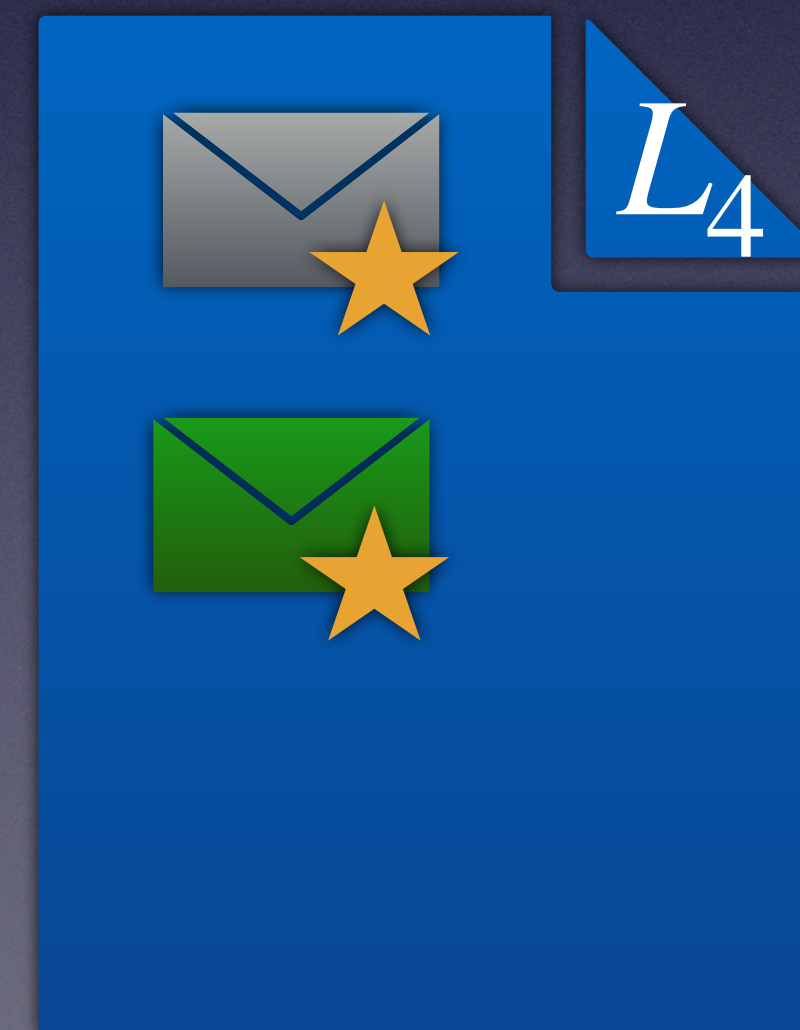
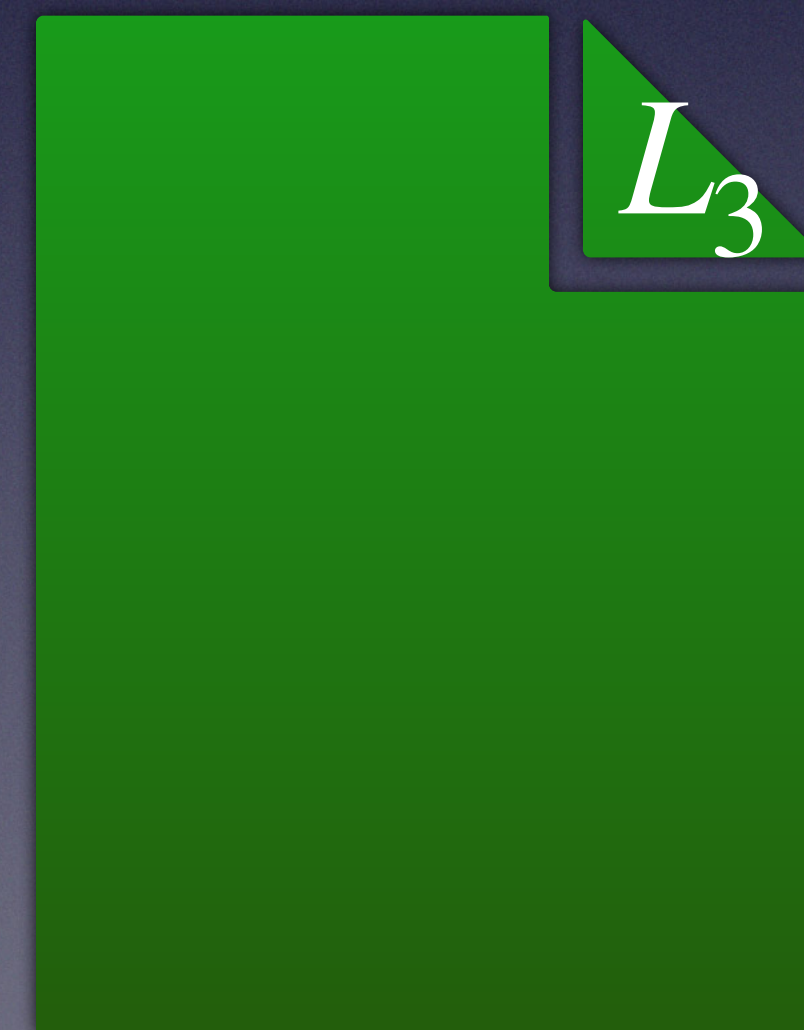












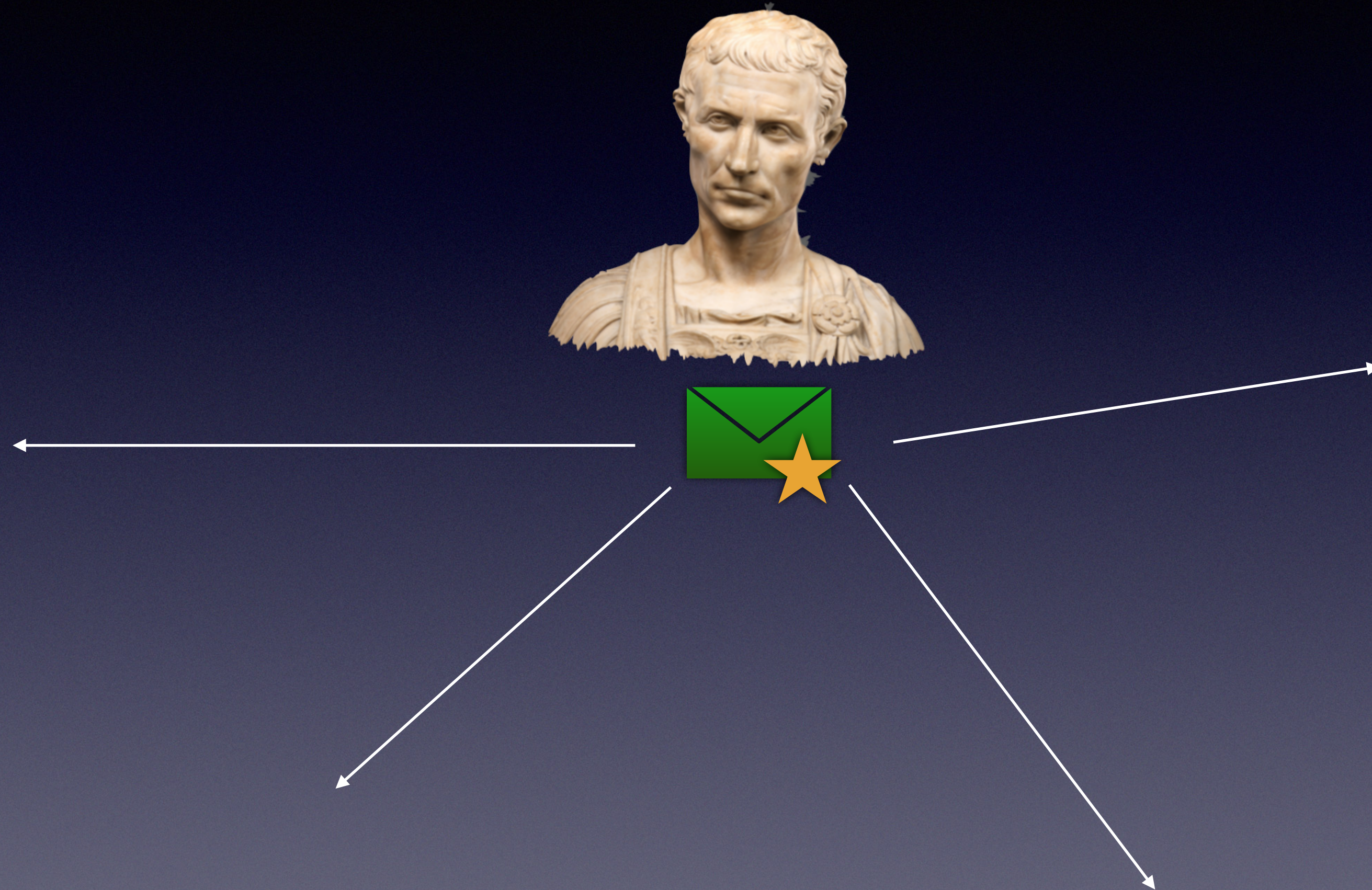






Our Bulletin PBC Protocol

Each party S sends 📧 with S 's signature ★ to all parties



For each $r \leq t + 1$:

Stage 1: p checks if it received some new “**valid**” bit.
For such bit b and slot s , **add** $\text{sig}_p([b, s])$ ★.

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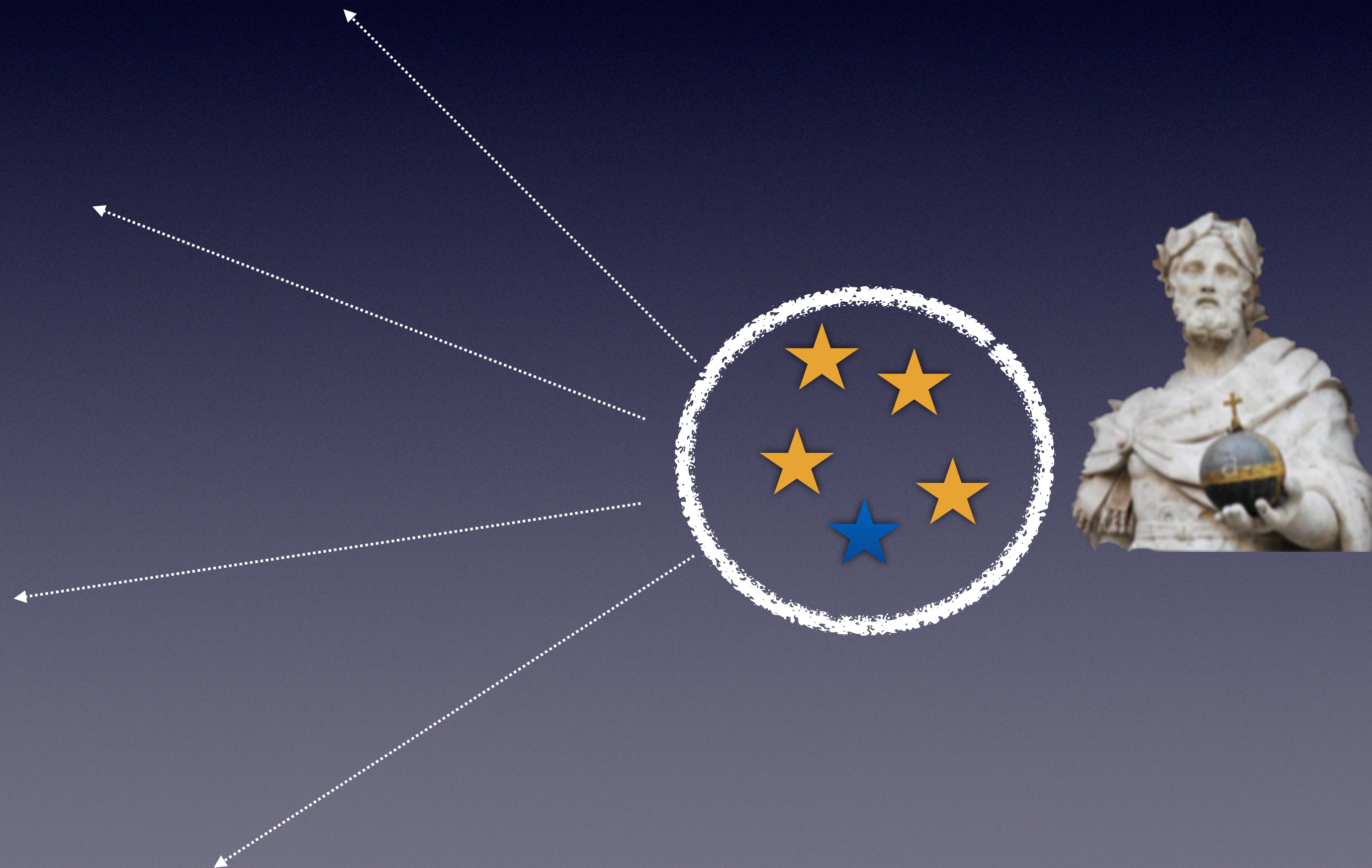
For each $r \leq t + 1$:
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Valid bit at round r :

At least r distinct signatures, where one is from s .

Stage 2:

For each $r \leq t + 1$:
 p calls **Converge** on M_p : received signatures



PBC without trusted setup

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- Communication: $O(n)$ rounds, each round calls **Converge**

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- Total CC: $\tilde{O}(n^3)$ (Amortized $\tilde{O}(n^2)$ per broadcast)

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Comparison

Protocol	Model	CC	RC	Adversary	Corruptions	Type
Dolev-Strong	Bulletin	$O(n^3\kappa)$	$O(n)$	Adaptive	$< n$	BC
BulletinBC	Bulletin	$\tilde{O}(n^2\kappa^2)$	$O(n)$	Static	$< (1 - \epsilon)n$	BC
Abraham et al.	Trusted	$\tilde{O}(n\kappa)$	$O(1)$	Adaptive	$< n/2$	BC
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BulletinPBC	Bulletin	$\tilde{O}(n^2\kappa^2)^*$	$O(n \log n)$	Adaptive	$< (1 - \epsilon)n$	PBC
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