

Breaking the IEEE Encryption Standard XCB-AES in Two Queries

CRYPTO 2025

Amit Singh Bhati

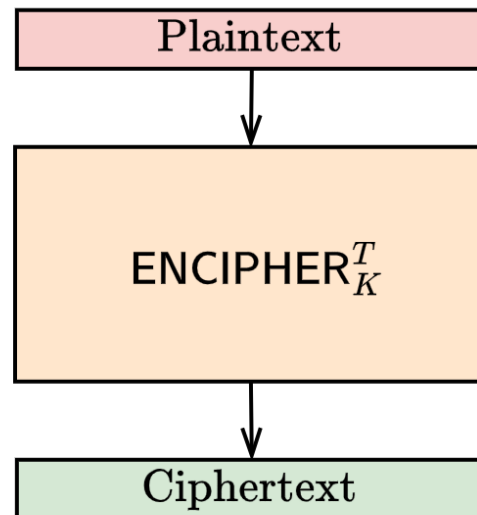
COSIC, KU Leuven; 3MI Labs, Belgium

Elena Andreeva

TU Wien, Austria

Tweakable Enciphering Modes (TEMs)

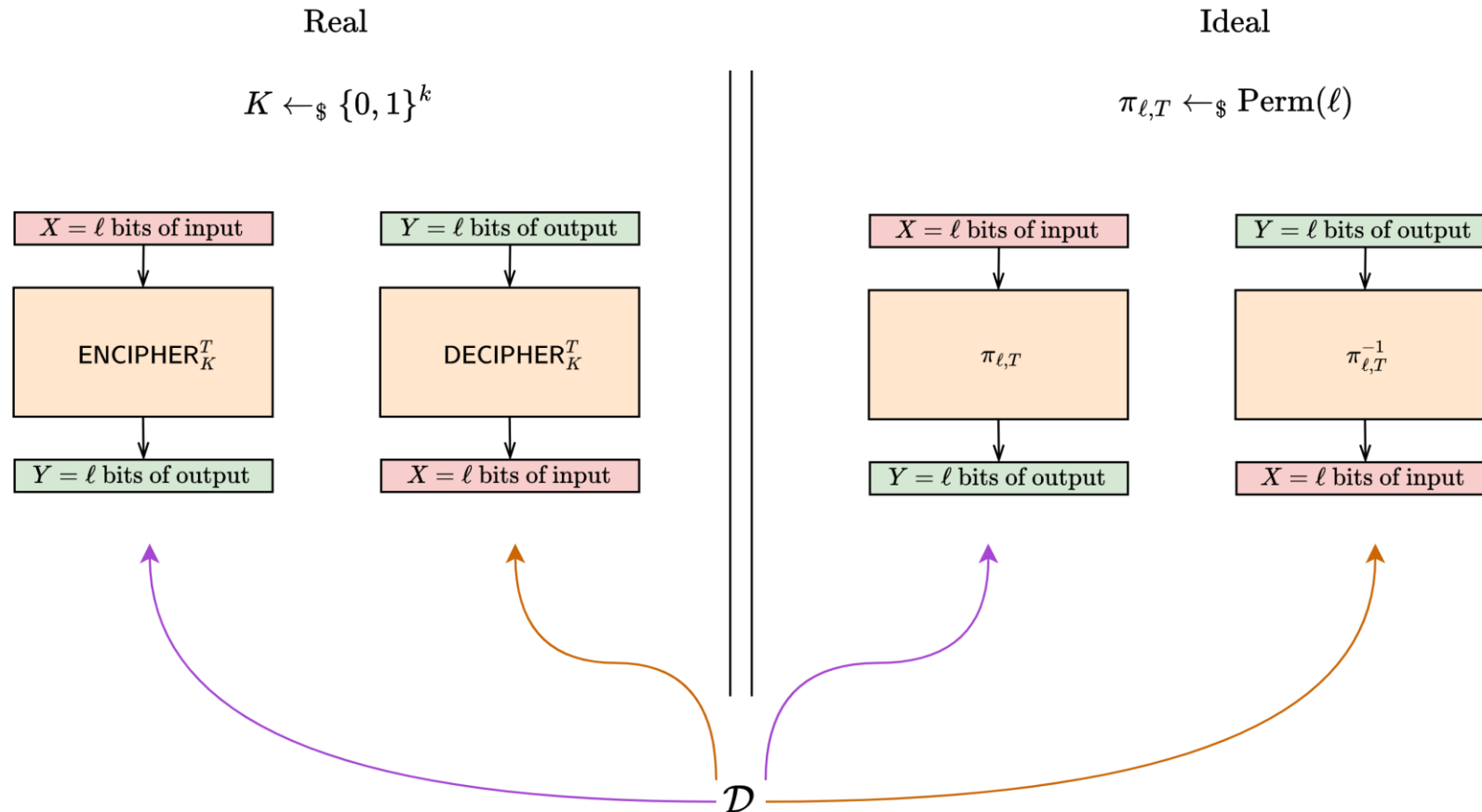
Tweakable Enciphering Mode (TEM)_[HR03]



1. Length Preserving Encryption (LPE)
2. Generalization of (tweakable) block ciphers
 - Variable tweak and input size
3. NIST reintroduced it as [accordion mode](#) [CD+24]
4. Uses: disk-sector and full-disk encryption,
key-wrapping, robust AEAD [HKR17]

What is a Secure TEM?

TEM Security [HR03]

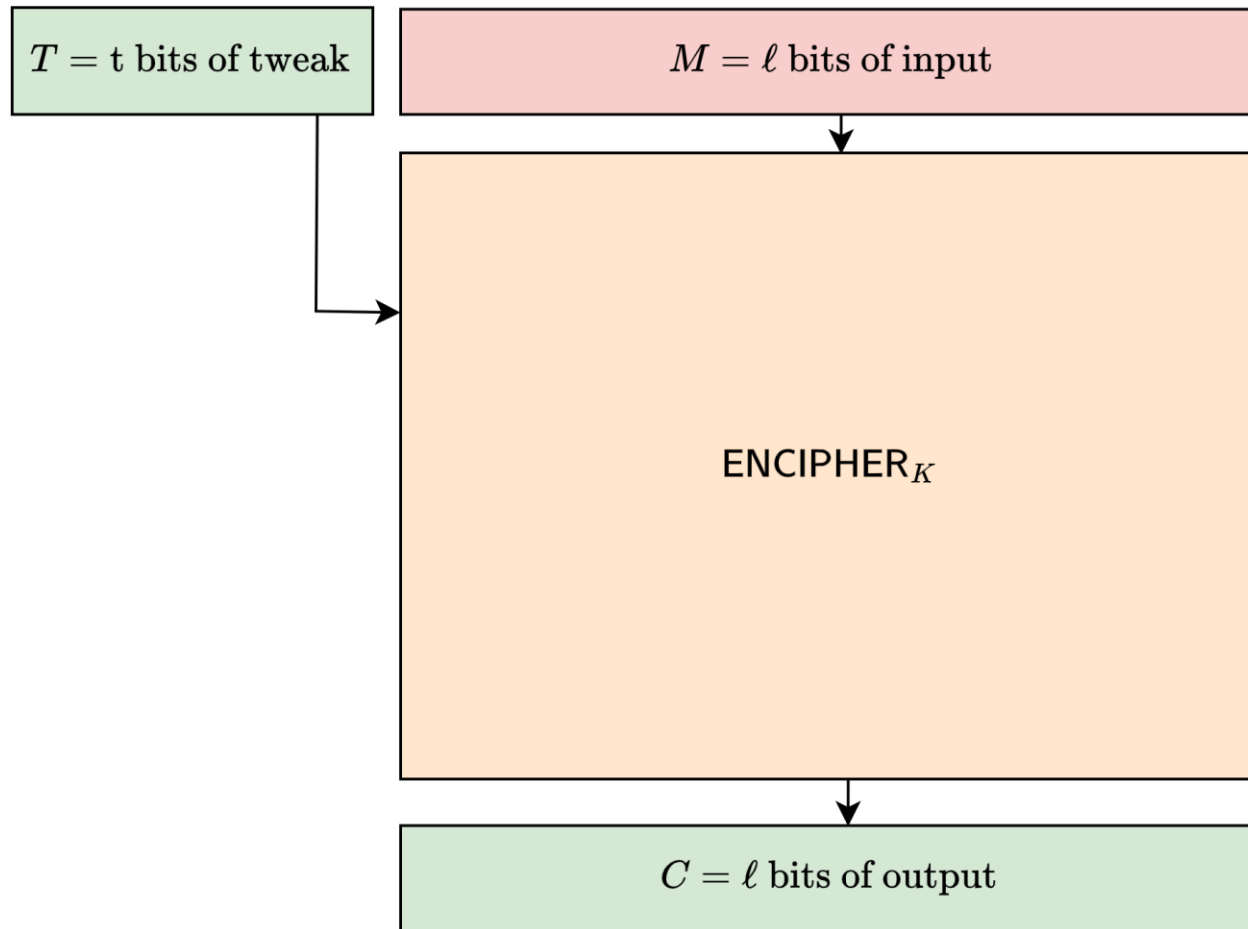


- Variable-Input-Length Strong Tweakable Pseudo-Random Permutation (VIL-STPRP)
- Analogous to IND-CCA encryption notion

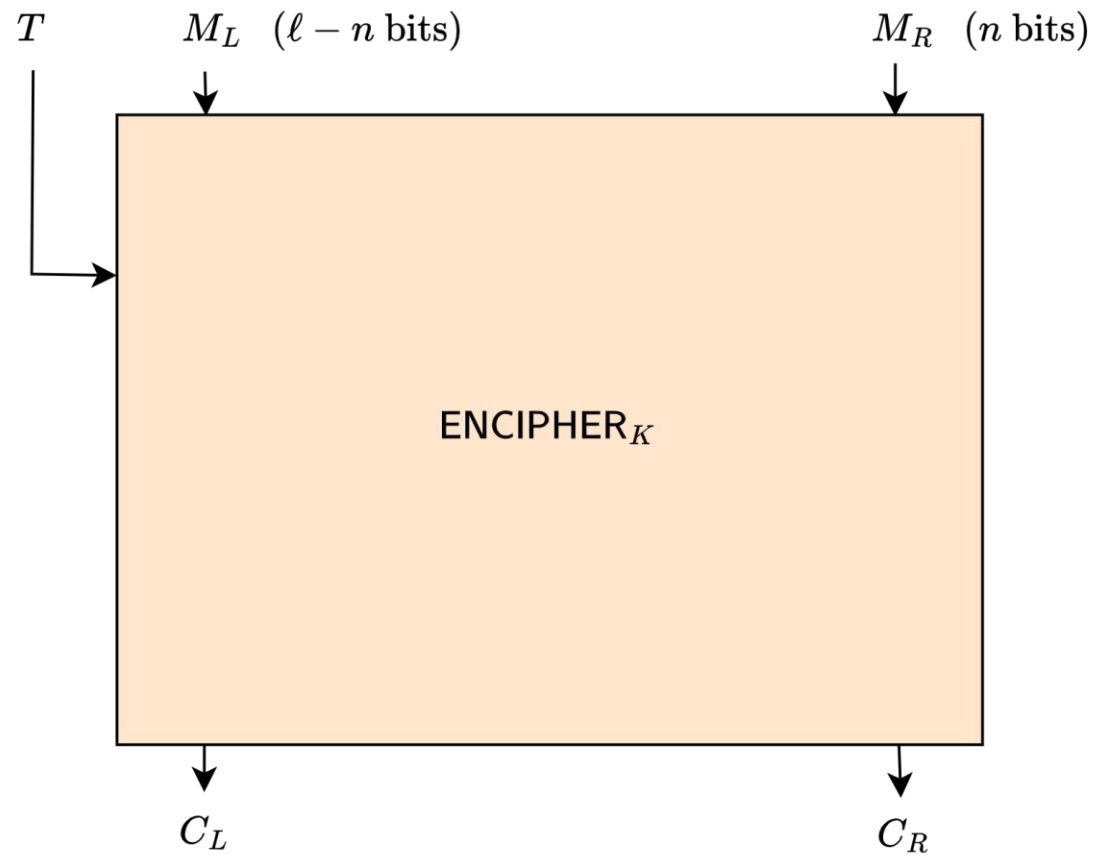
XCB-AES: IEEE 1619.2 TEM Standard

- A TEM standardized for storage media encryption (2010, 2021)
- An efficient Hash-CTR-Hash design
- Built on AES and polynomial hashing
- Alias XCBv2fb

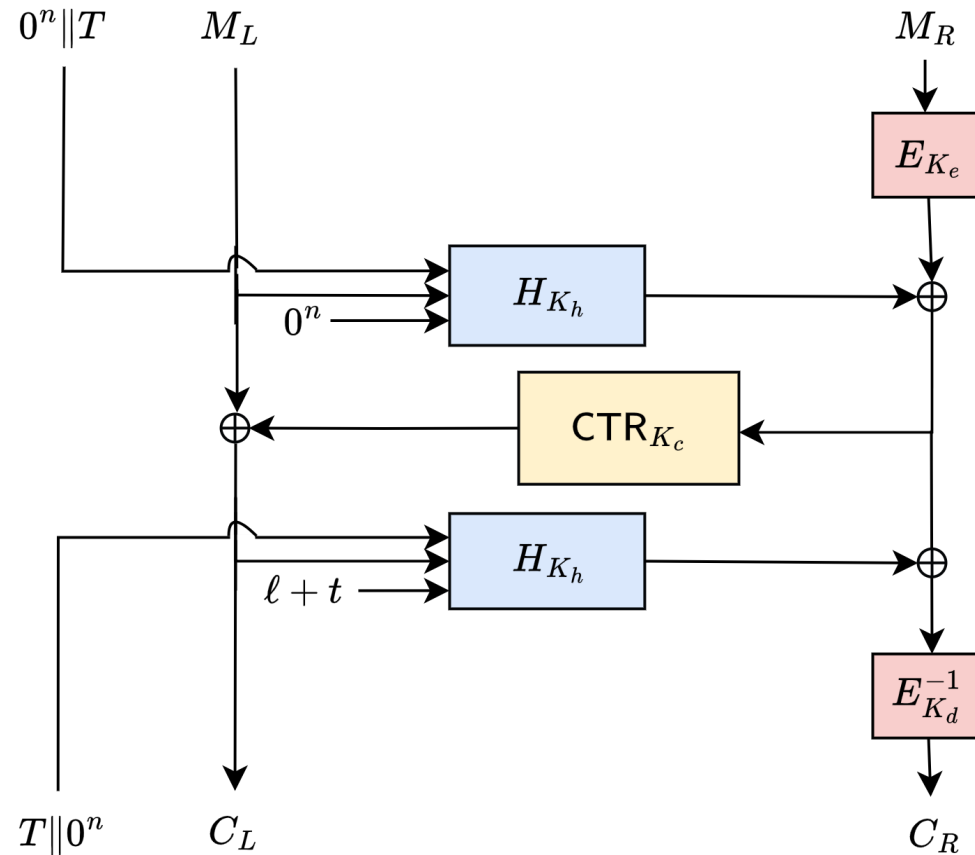
XCB-AES: IEEE 1619.2 TEM Standard [MF07]



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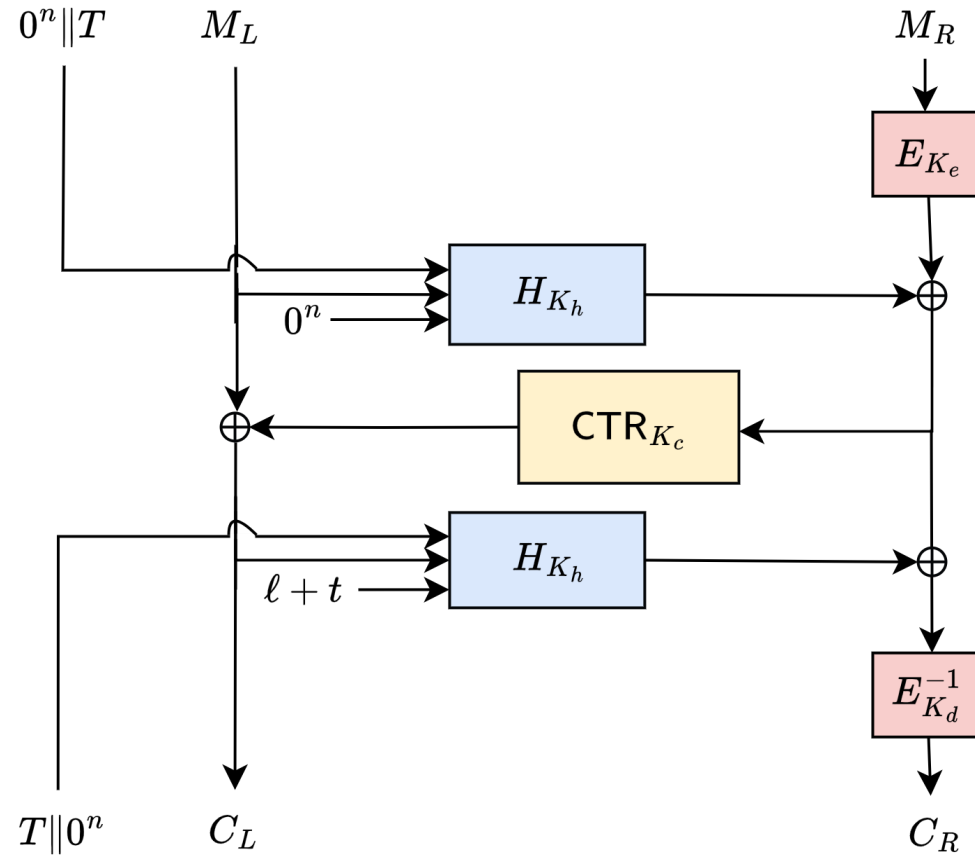


$$K_e, K_d, K_c, K_h \leftarrow K$$

- Internal components

1. CTR = Counter mode
2. E = AES blockcipher
3. H = a polynomial/rolling hash
e.g., Polyval, GHASH

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$$\text{Poly}_K(A_1 || A_2 || \dots) = A_1 K \oplus A_2 K^2 \oplus \dots$$

XCB-AES Results Timeline

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2010

IEEE standardized XCB-AES for storage media encryption

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Padding attack found on XCB-AES [CHS13]

2021

IEEE updated XCB-AES standard with its padding-free variant XCBv2fb

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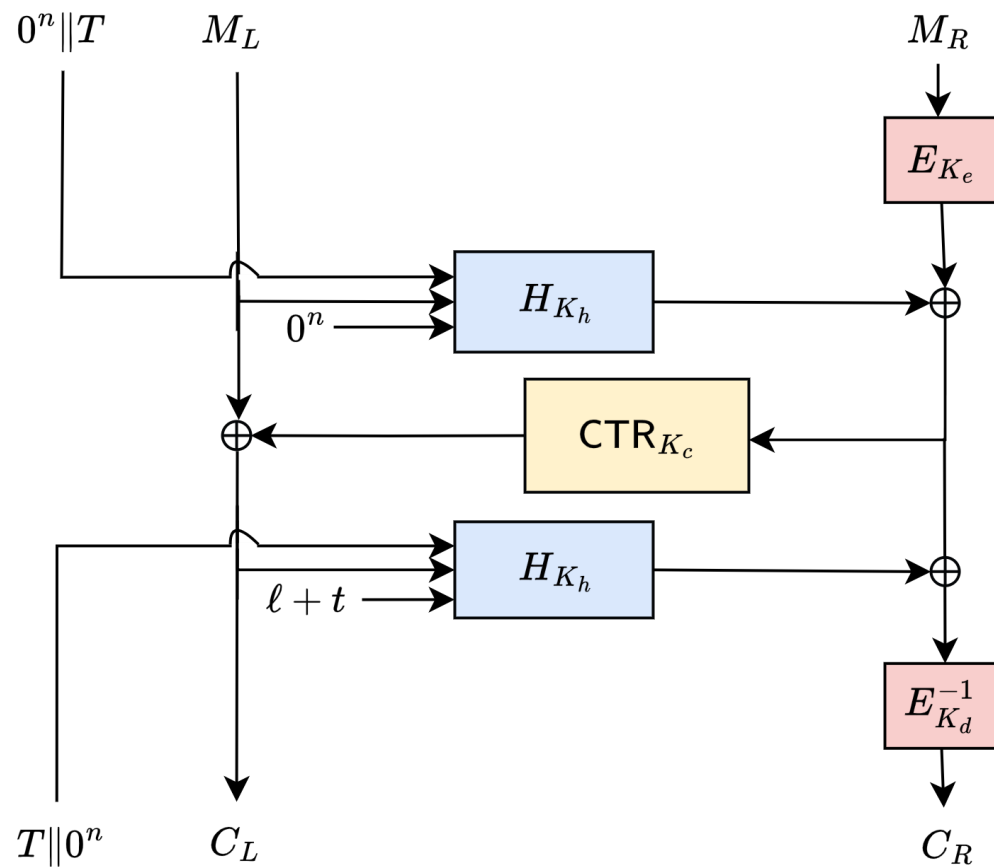
2024

We break XCB-AES's VIL-STPRP, STPRP and SPRP security in 2 queries

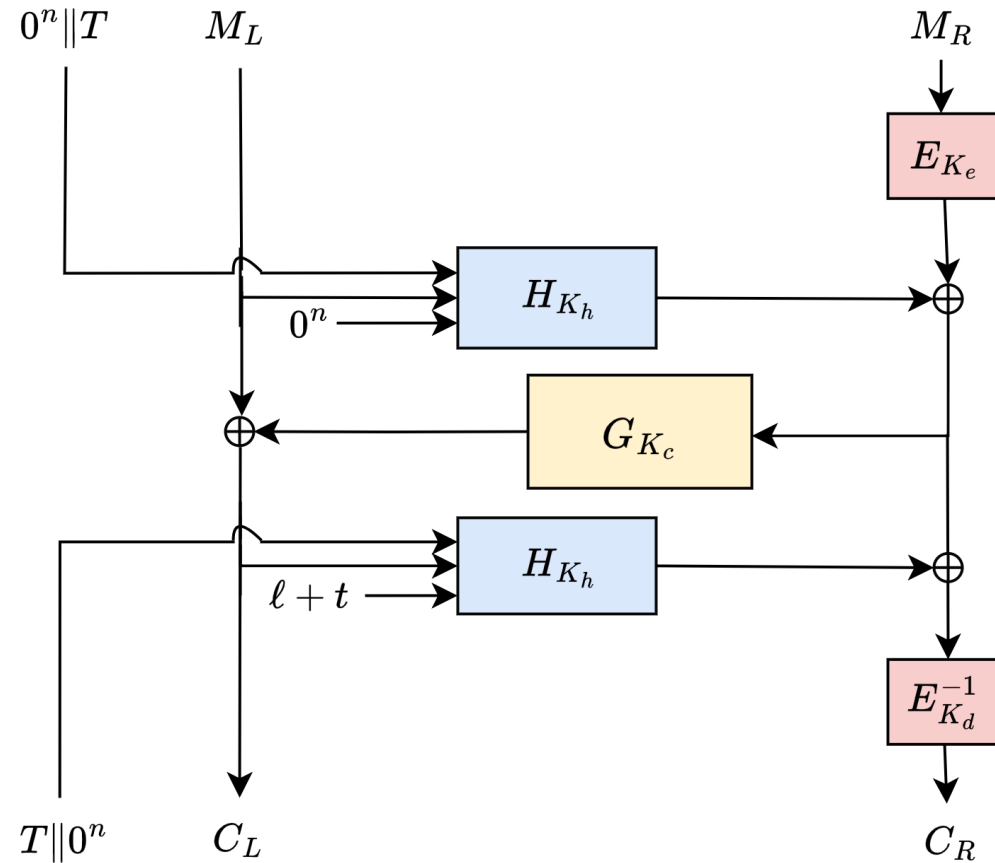
Our attack applies to all other XCB-style modes as well

Our Result 1:
A 2-Query Plaintext Recovery Attack

Our Shared Difference Attack

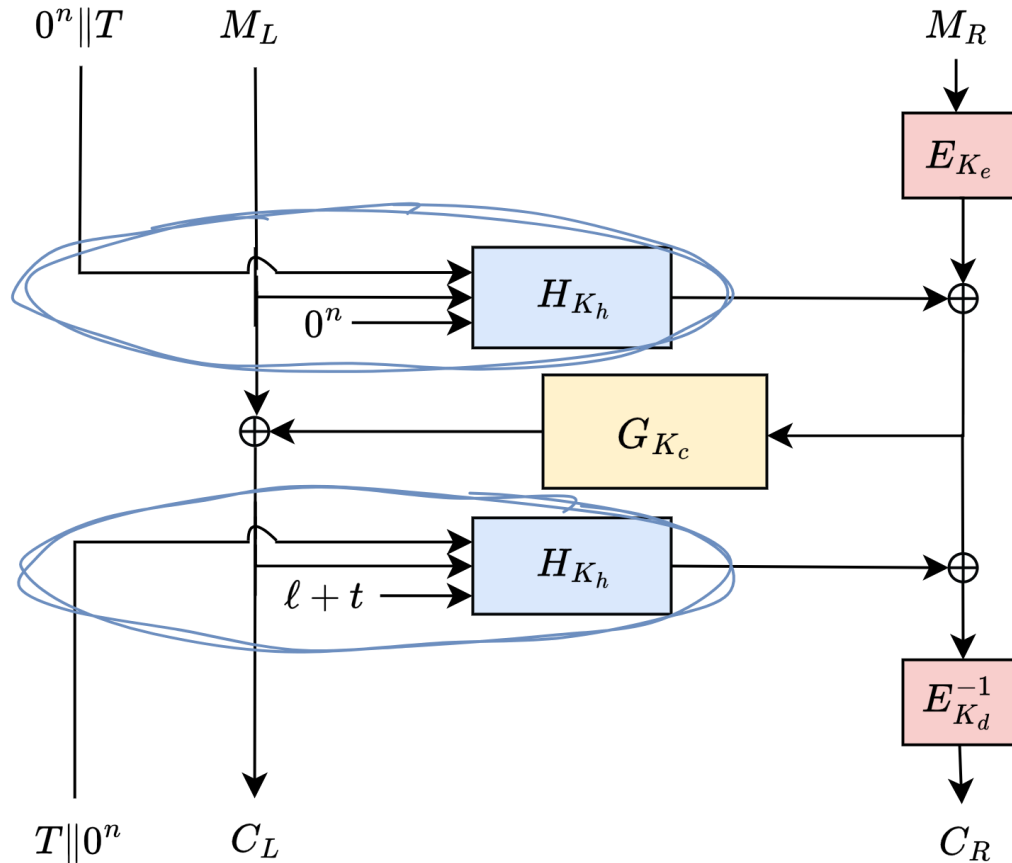


Our Shared Difference Attack



$$K_e, K_d, K_c, K_h \leftarrow K$$

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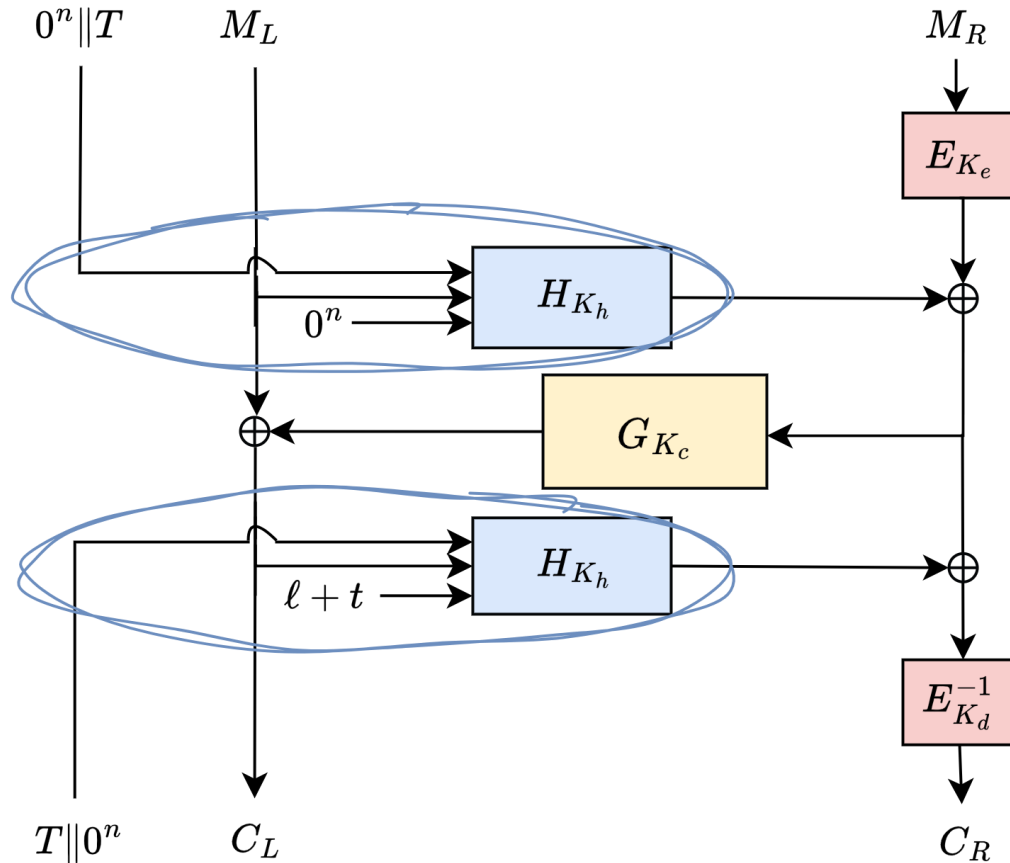
- $H_{K_h}(0^n || T, M_L, 0^n)$

$$= \text{Poly}_{K_h}(0^n || \text{pad}_n(T) || \text{pad}_n(M_L) || 0^n)$$

- $H_{K_h}(T || 0^n, C_L, \ell + t)$

$$= \text{Poly}_{K_h}(\text{pad}_n(T) || 0^n || \text{pad}_n(C_L) || \text{bin}_n(\ell + t))$$

Our Shared Difference Attack



- $H_{K_h}(0^n || T, M_L, 0^n)$

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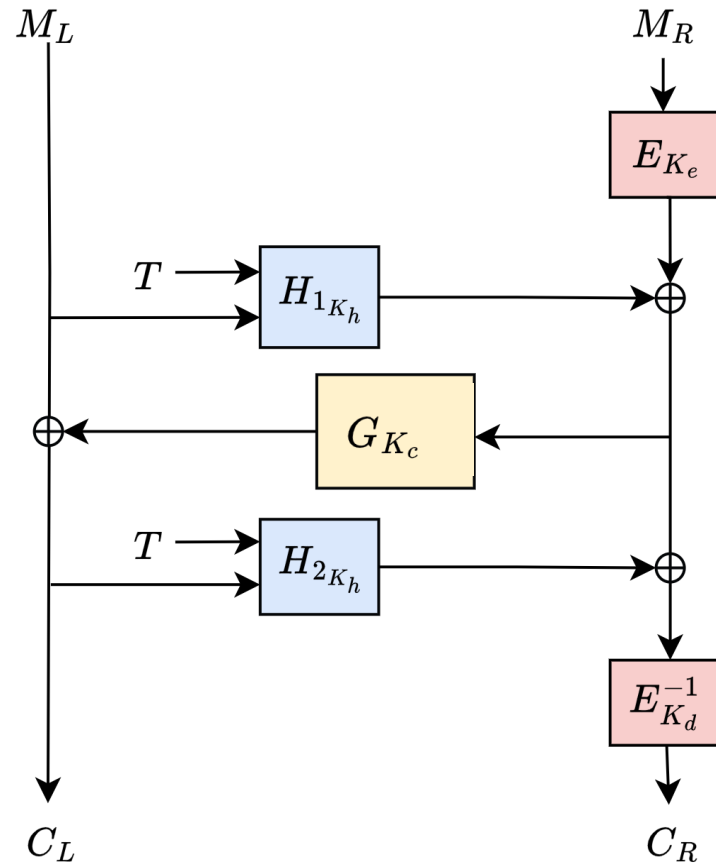
$$= H_1(K_h, T, M_L)$$

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$$= \text{Poly}_{K_h}(\text{pad}_n(T) || 0^n || \text{pad}_n(C_L) || \text{bin}_n(\ell + t))$$

$$= H_2(K_h, T, C_L)$$

Our Shared Difference Attack



$$K_e, K_d, K_c, K_h \leftarrow K$$

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Polynomial Hash Separability

$$\begin{aligned}\text{Poly}_K(A_1 \| A_2 \| (A_3 \oplus \Delta) \| A_4) &= A_1 K \oplus A_2 K^2 \oplus (A_3 \oplus \Delta) K^3 \oplus A_4 K^4 \\ &= A_1 K \oplus A_2 K^2 \oplus A_3 K^3 \oplus A_4 K^4 \oplus \Delta K^3 \\ &= \text{Poly}_K(A_1 \| A_2 \| A_3 \| A_4) \oplus \text{Poly}_K(0^n \| 0^n \| \Delta \| 0^n)\end{aligned}$$

Polynomial Hash Separability

$$\begin{aligned} H_1(K_h, T, M_L \oplus \Delta) &= \text{Poly}_{K_h}(0^n \| \text{pad}_n(T) \| \text{pad}_n(M_L \oplus \Delta) \| 0^n) \\ &= \text{Poly}_{K_h}(0^n \| \text{pad}_n(T) \| \text{pad}_n(M_L) \| 0^n) \oplus \text{Poly}_{K_h}(0^n \| 0^{|\text{pad}_n(T)|} \| 0^x \| \Delta \| 0^y \| 0^n) \end{aligned}$$

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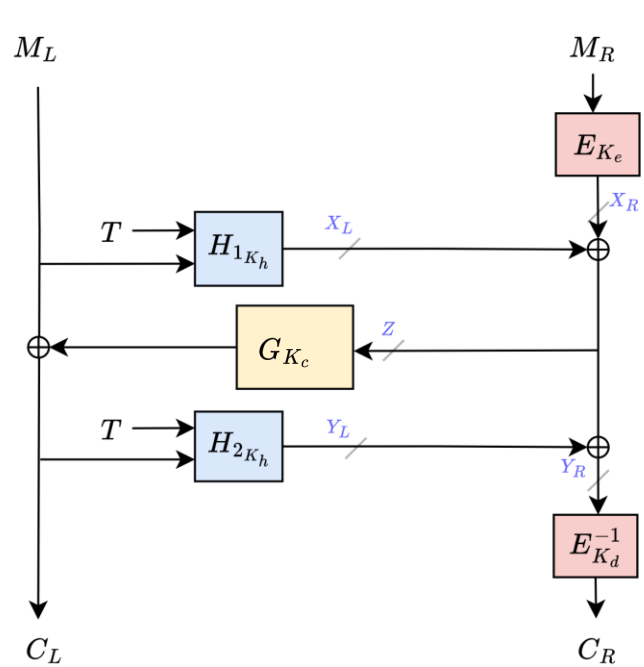
$$\begin{aligned}H_2(K_h, T, C_L \oplus \Delta) &= \text{Poly}_{K_h}(\text{pad}_n(T) \| 0^n \| \text{pad}_n(C_L \oplus \Delta) \| \text{bin}_n(\ell + t)) \\&= \text{Poly}_{K_h}(\text{pad}_n(T) \| 0^n \| \text{pad}_n(C_L) \| \text{bin}_n(\ell + t)) \oplus \text{Poly}_{K_h}(0^{|\text{pad}_n(T)|} \| 0^n \| 0^x \| \Delta \| 0^y \| 0^n)\end{aligned}$$

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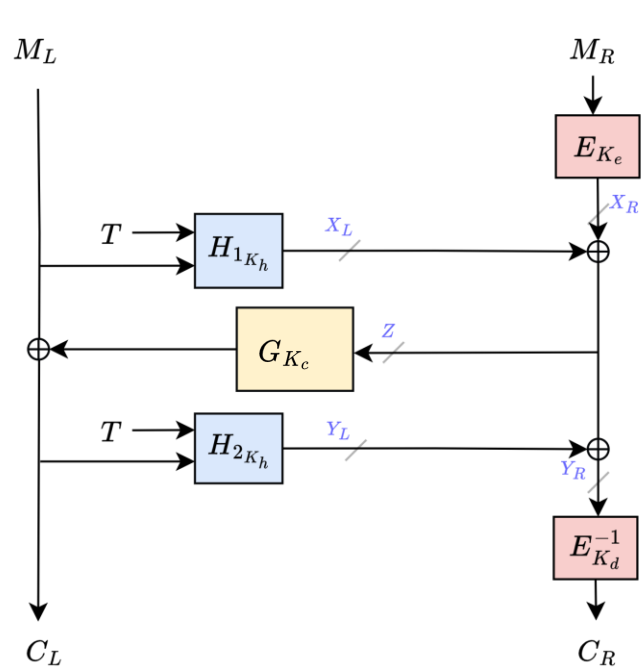
Our Shared Difference Attack



Target Ciphertext: $C = C_L || C_R$



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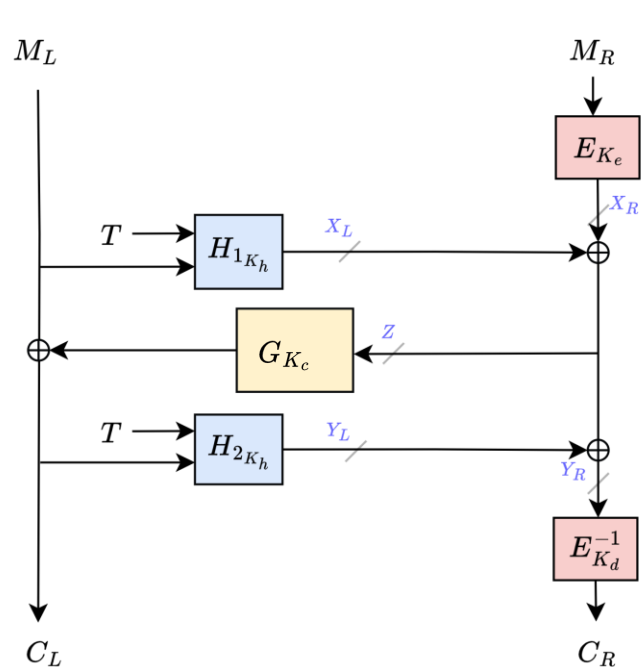


Target Ciphertext: $C = C_L || C_R$

\mathcal{A}

chooses a $\Delta \neq 0$,
targets the same T

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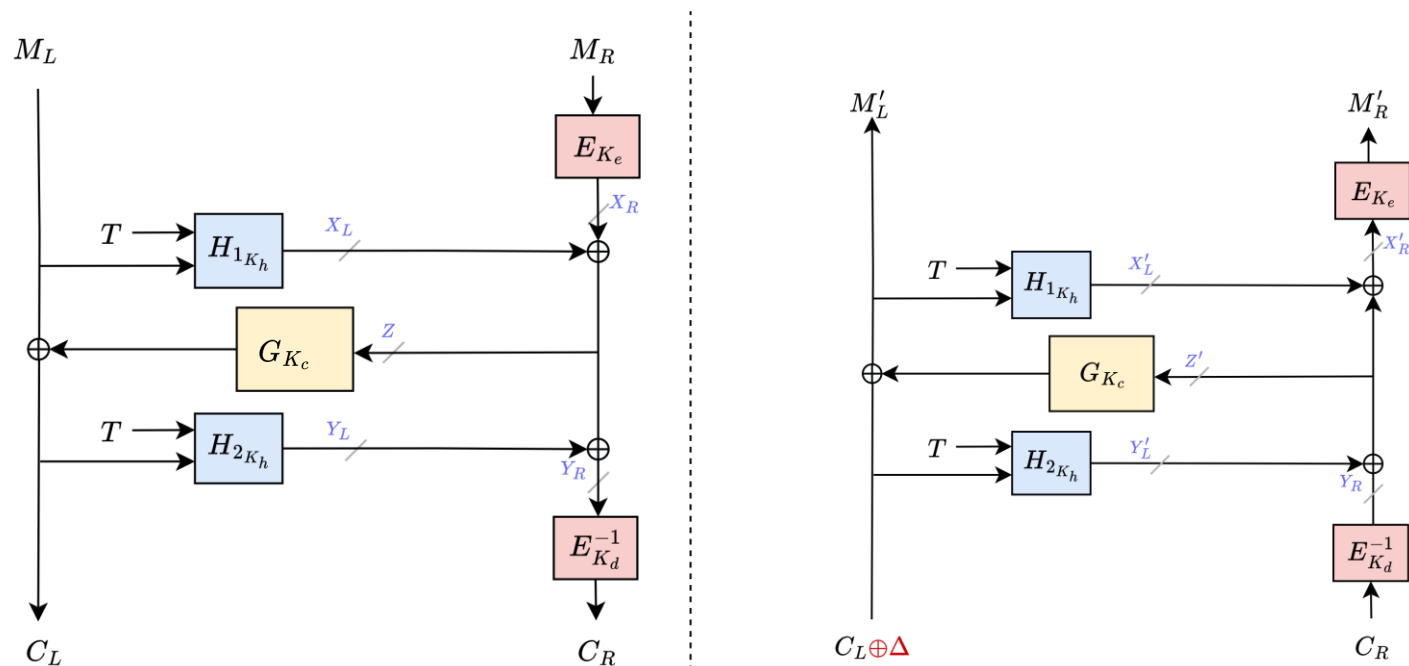


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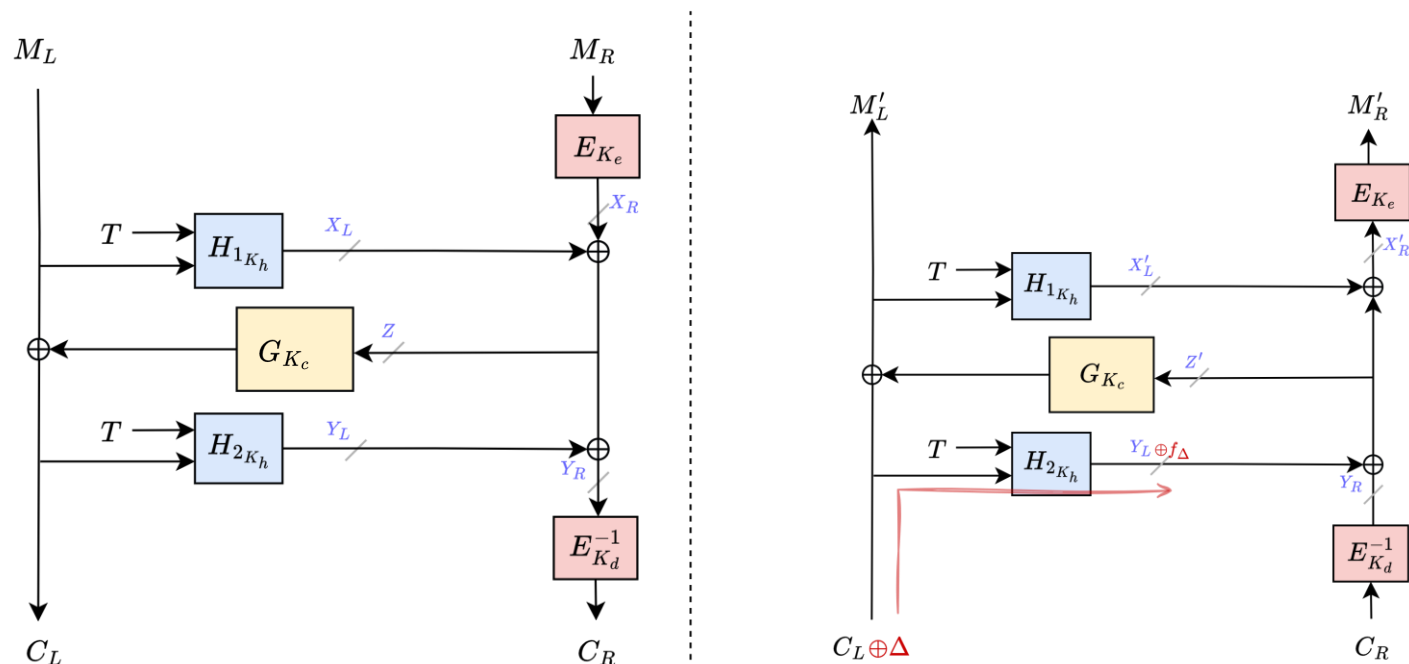


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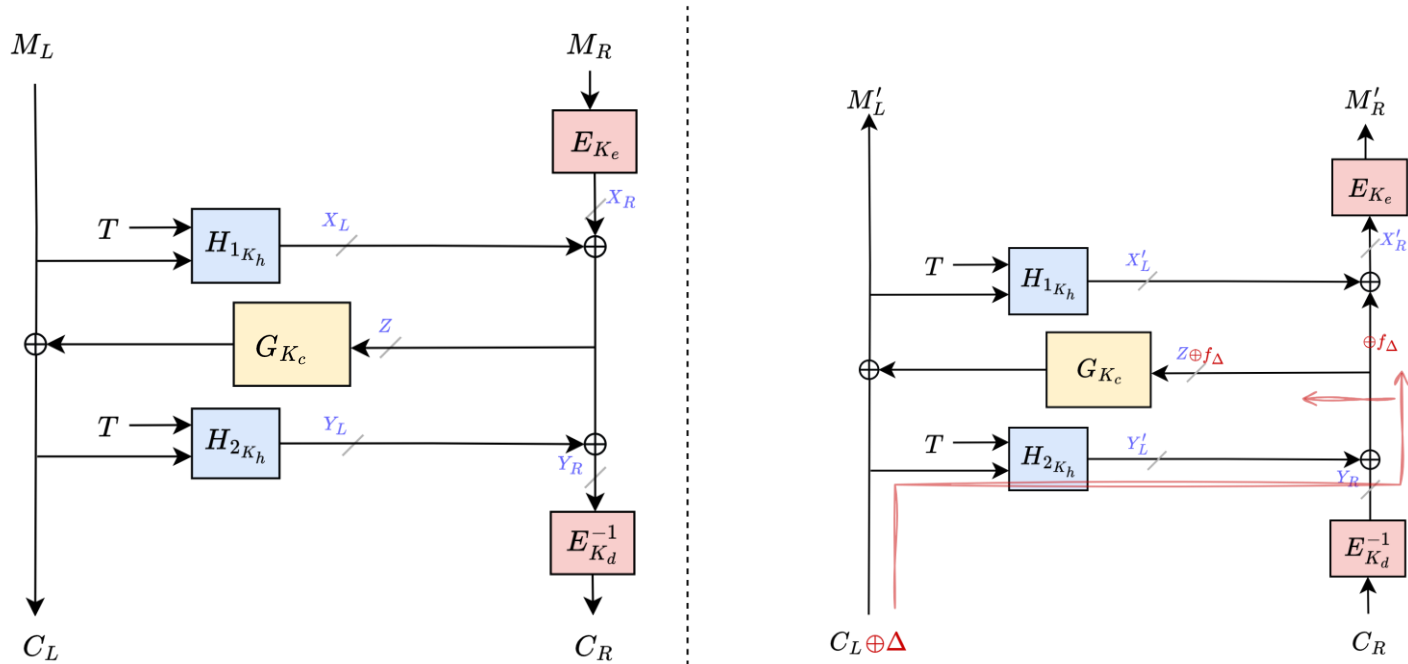


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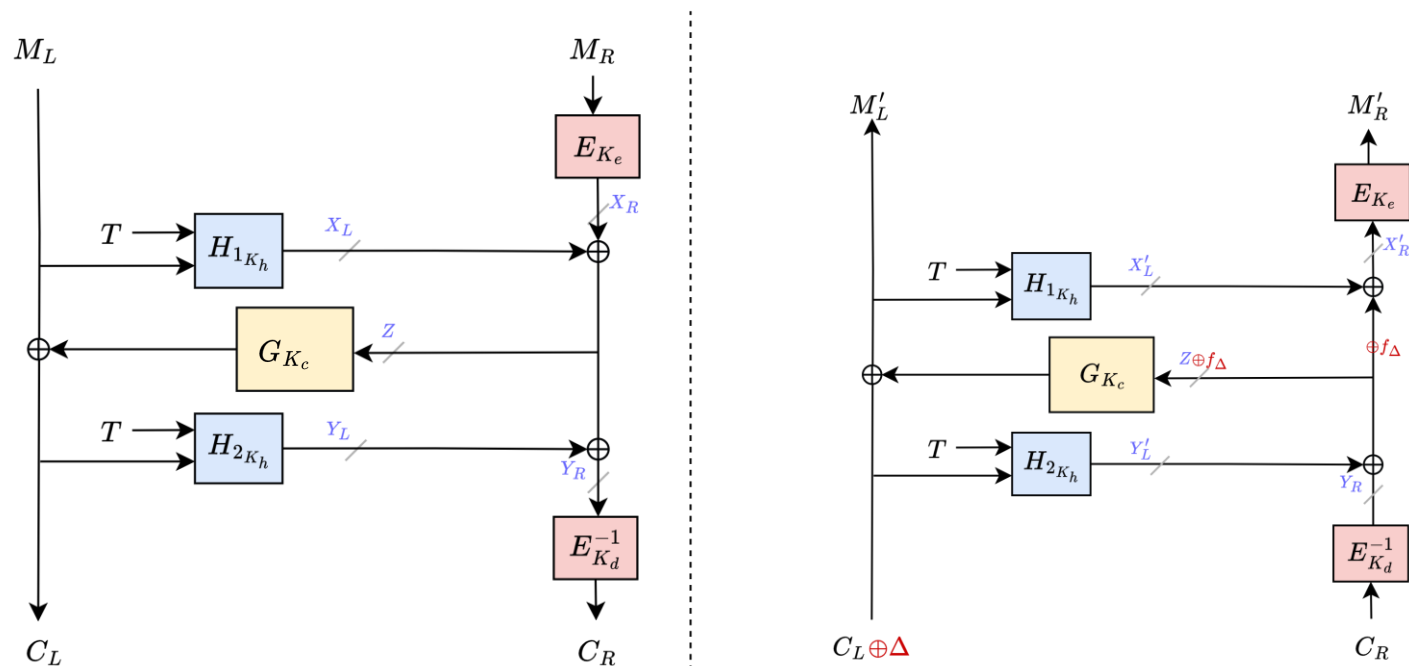


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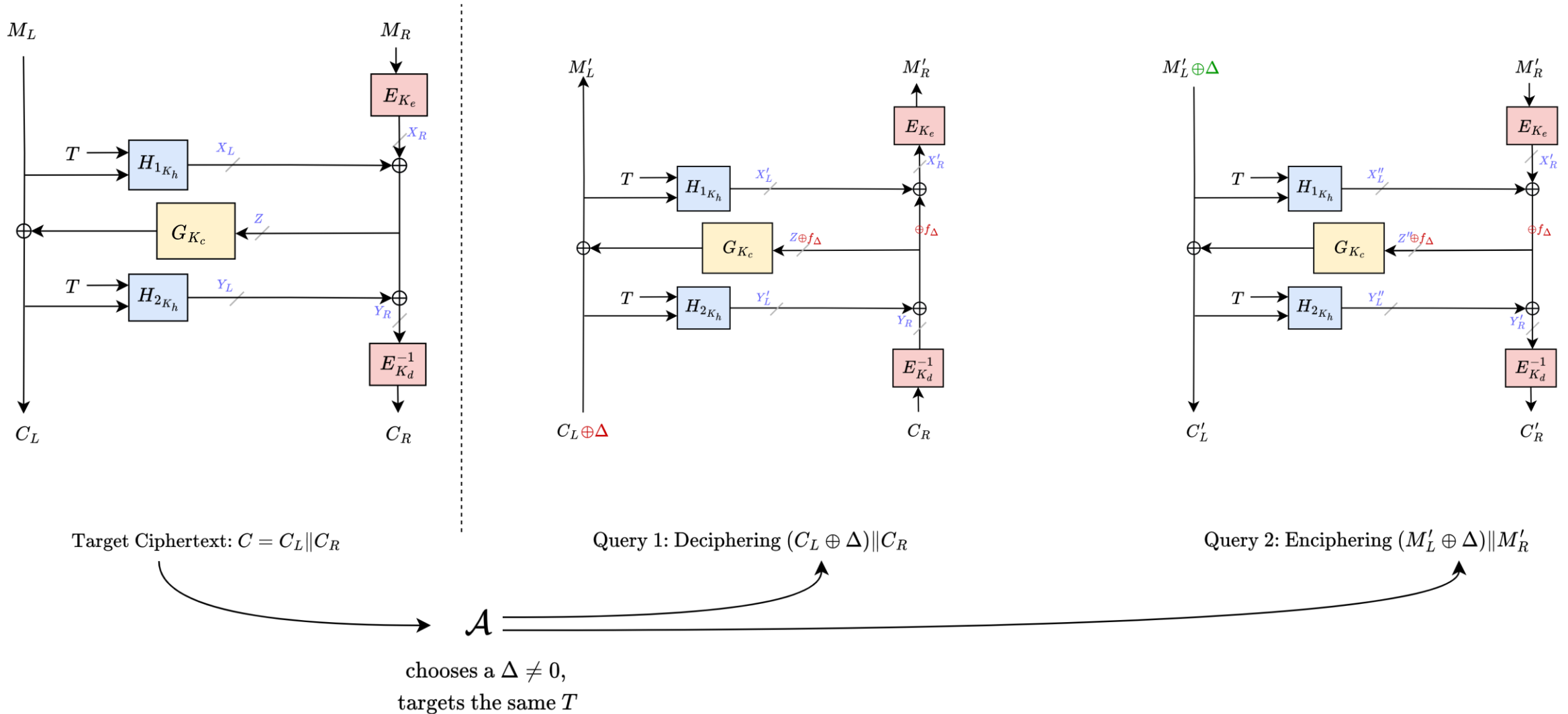


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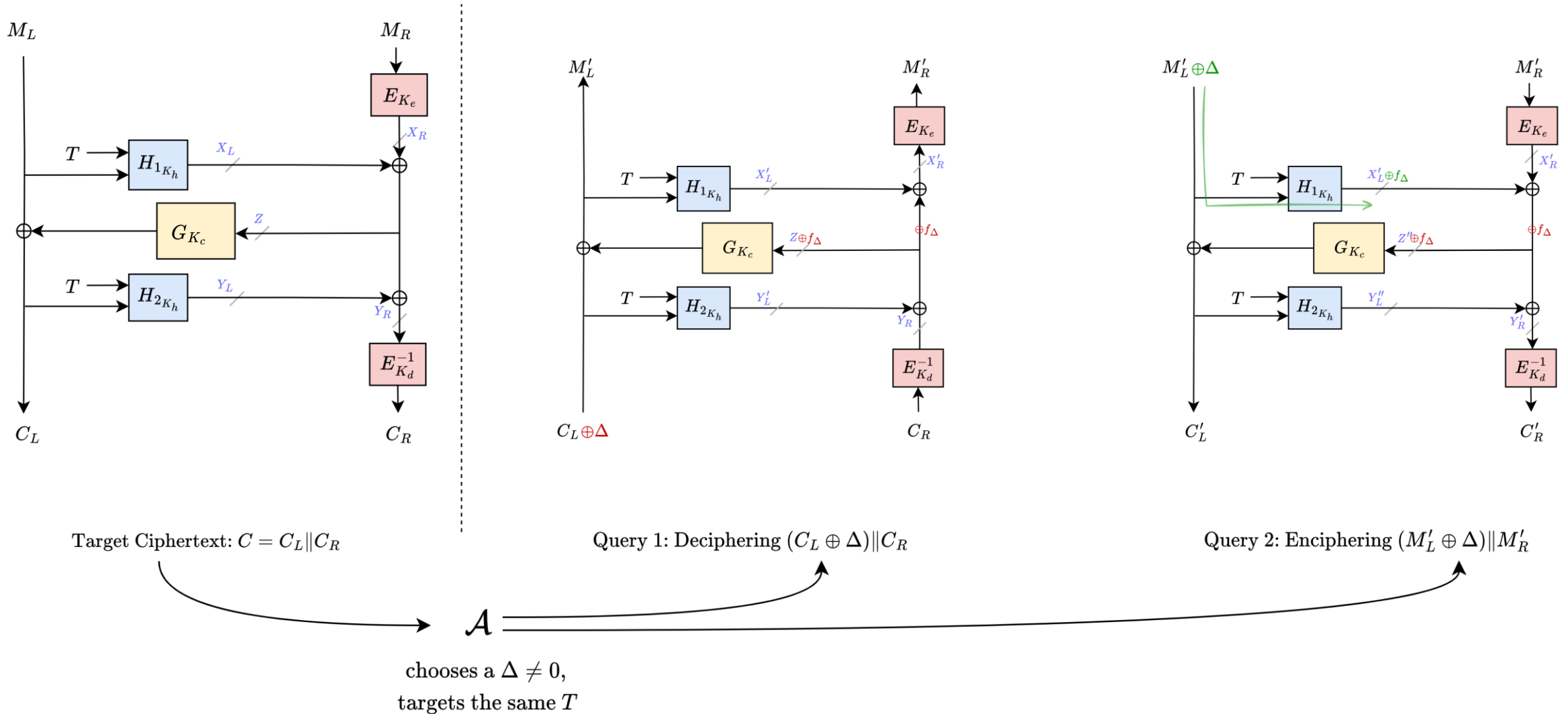
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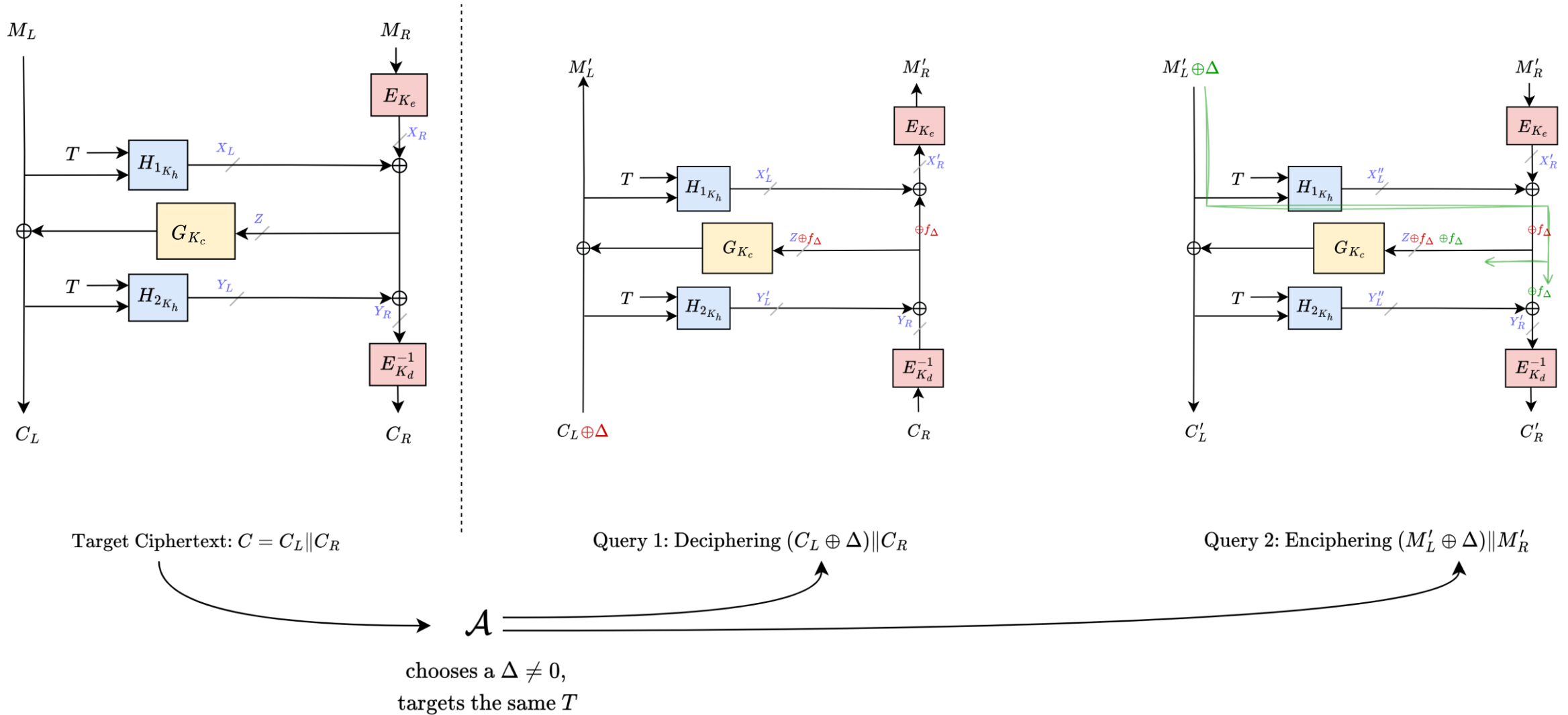
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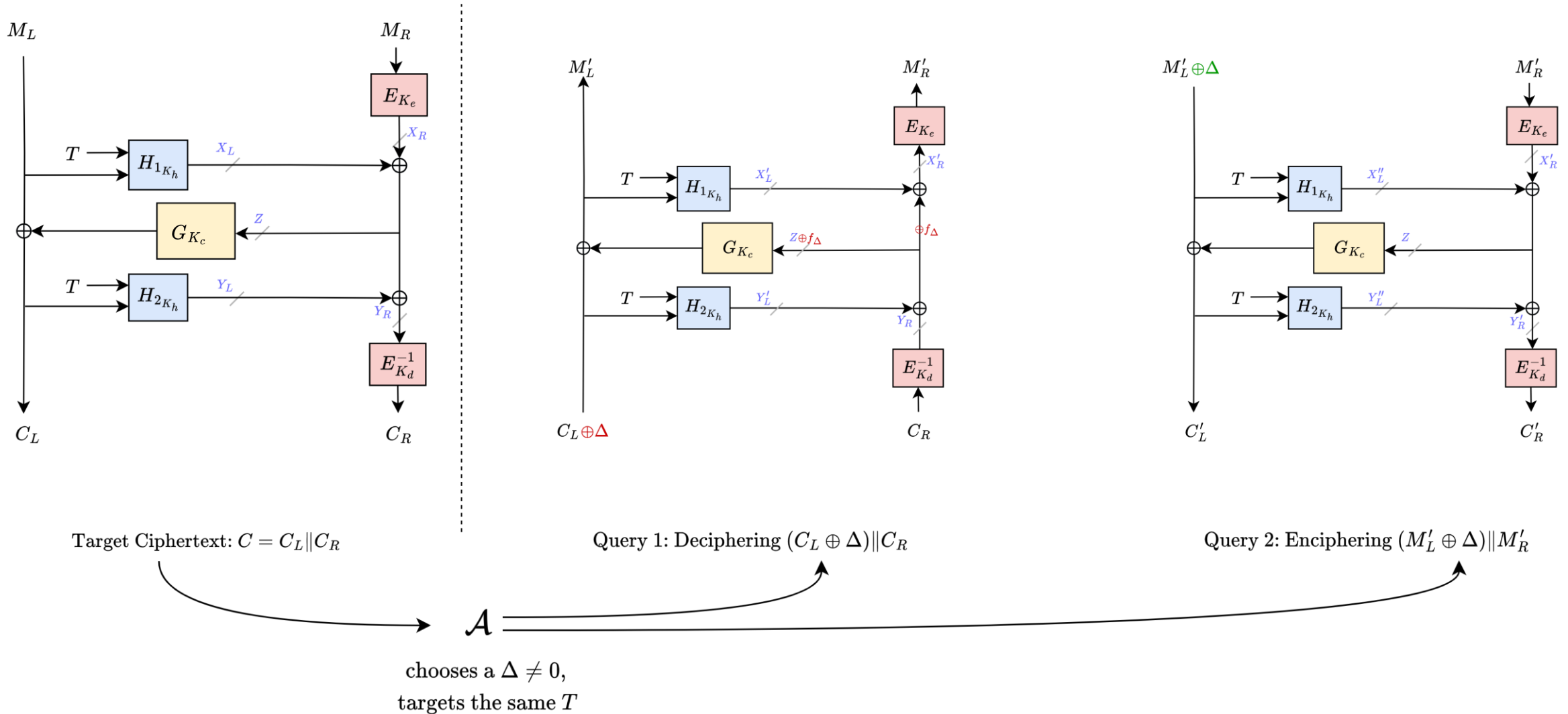
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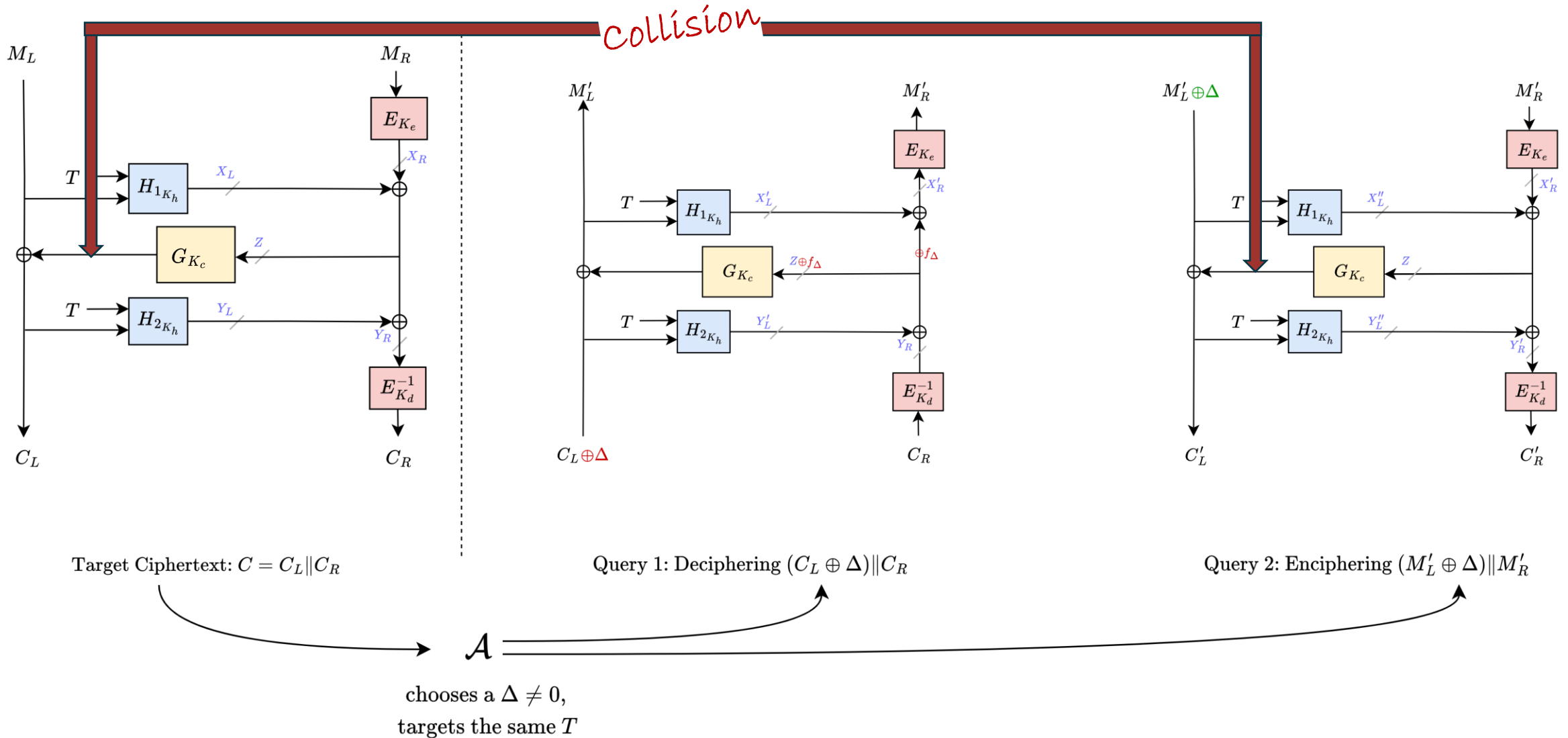
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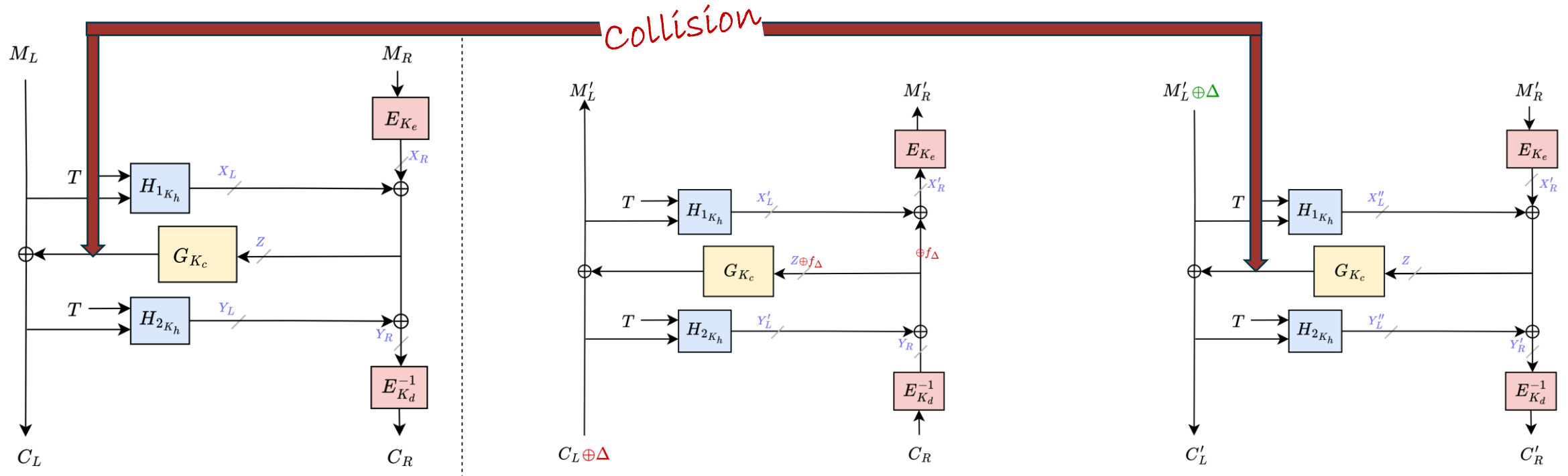
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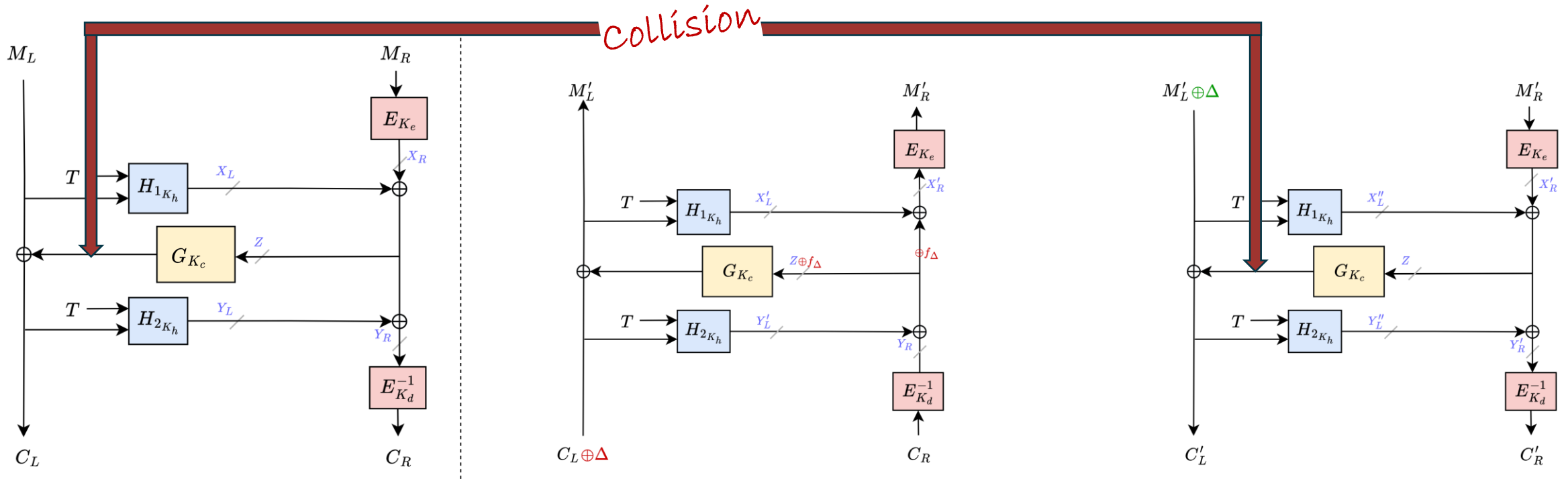


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$$M_L \oplus C_L = (M'_L \oplus \Delta) \oplus C'_L$$

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$$M_L = (M'_L \oplus \Delta) \oplus C'_L \oplus C_L$$

Message
Recovered

Why Does This Work?

Root Cause: A Shared Difference Property

Shared Difference Property of Polynomial Sum

- $H_{\text{sum}}(K, T, M, C) = H_1(K, T, M) \oplus H_2(K, T, C)$

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$$H_{\text{sum}}(K, T, M \oplus \Delta, C \oplus \Delta) = H_{\text{sum}}(K, T, M, C)$$

due to separability of polynomial hash

Our attack was first disclosed on 13th Feb 2024 in our CRYPTO'24 submission. Had quite a rollercoaster with a case of established reviewer misconduct during submissions, before making it to CRYPTO'25.

Flaw in Existing Analysis

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- Existing proofs based on XOR-universal hash functions

Assumes H_1, H_2 are XOR-universal



Implies H_{sum} is universal



CTR IV unpredictable and hard to collide



Independent and random CTR key streams up to birthday bound

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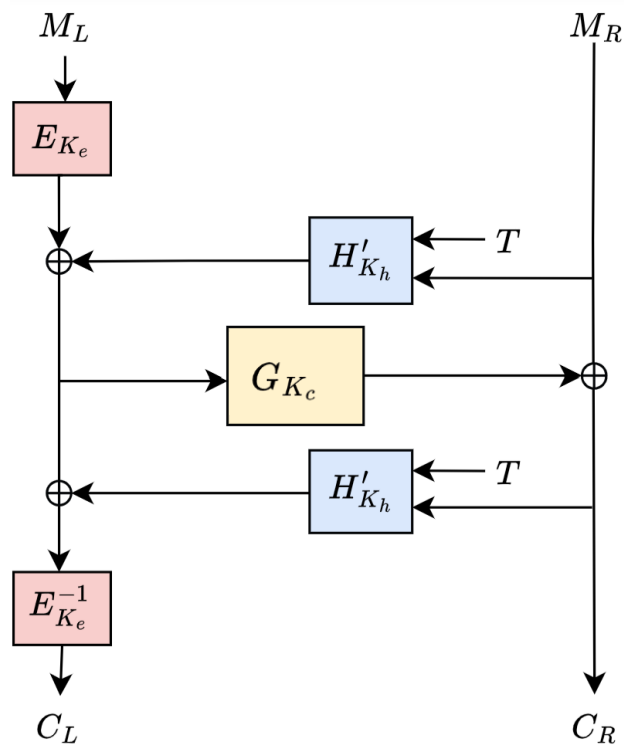
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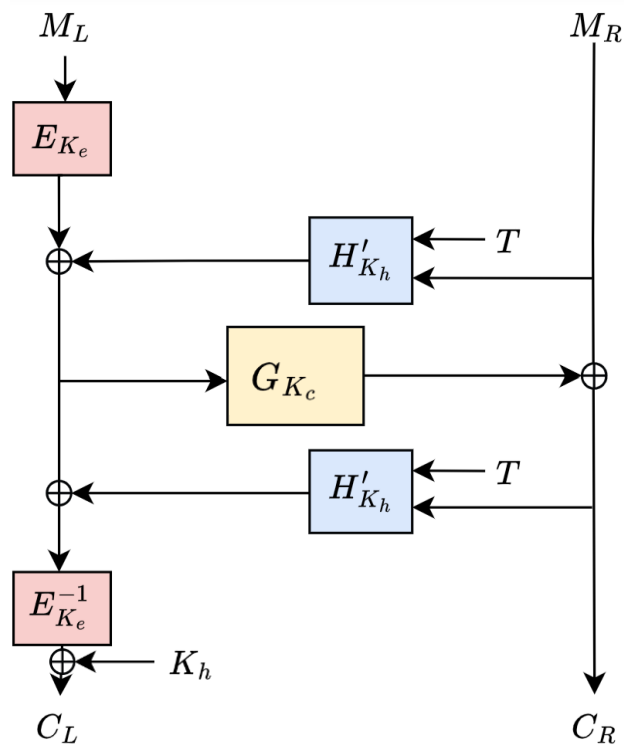
Independent and random CTR key streams up to birthday bound

Our Result 2:
Applications of Shared Difference Attack
to Other XCB-style TEMs

Shared Difference Attack on Other XCB-style TEMs

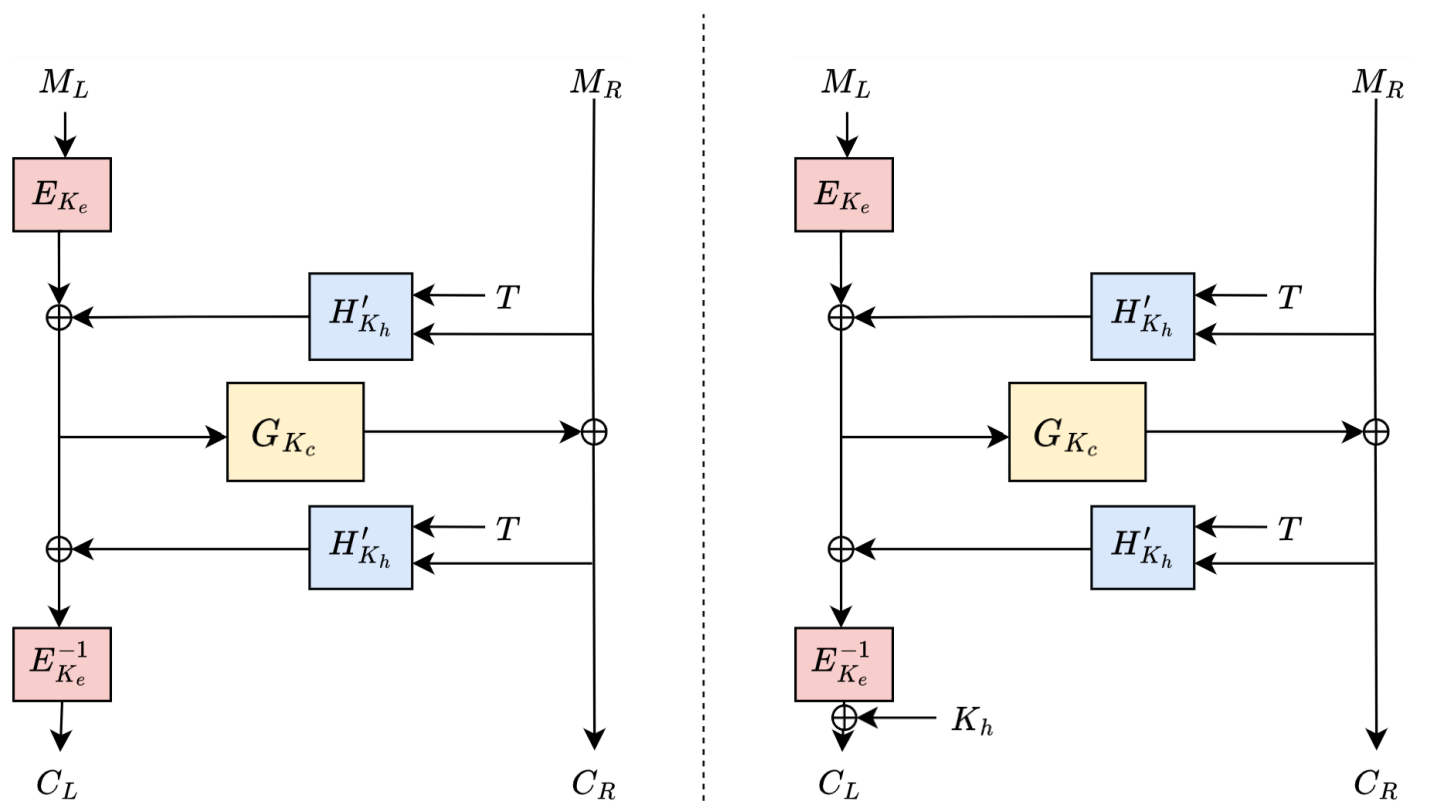


HCI [Nan08]



MXCB [Nan08]

Shared Difference Attack on Other XCB-style TEMs

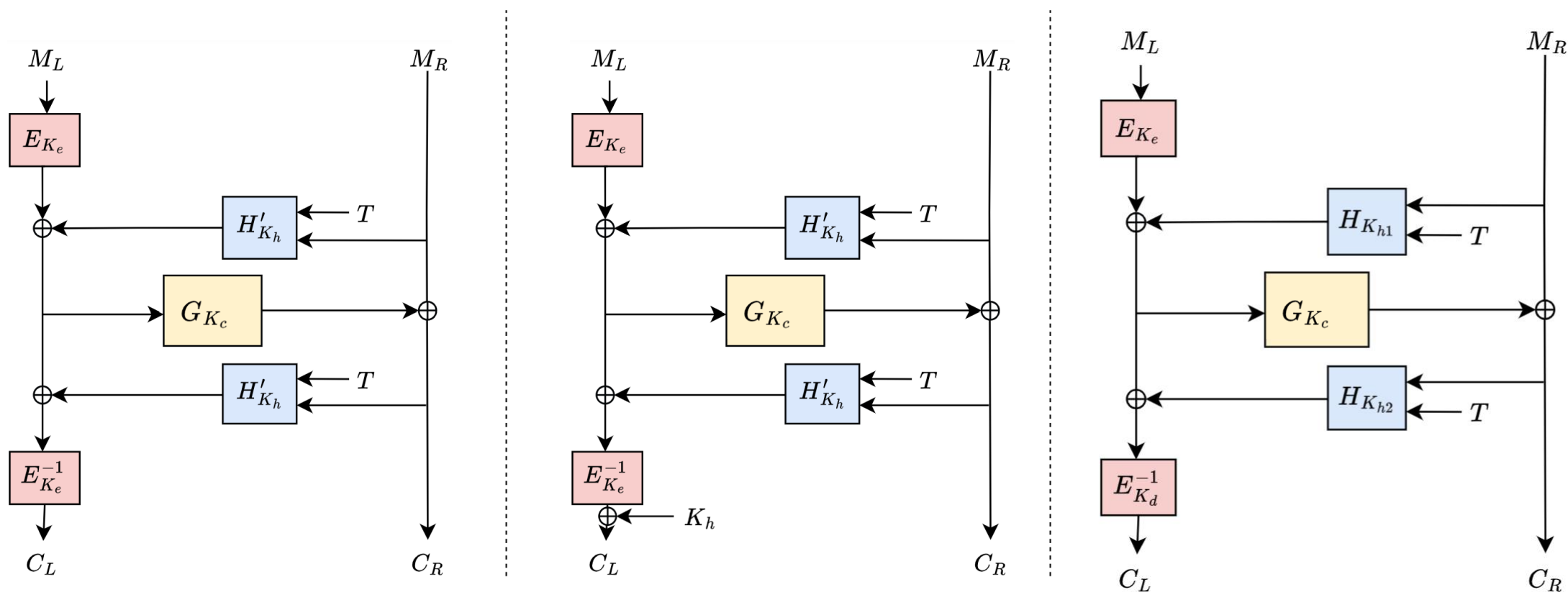


HCI [Nan08]

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Mirrored XCB-AES,
Direct application of our attack

Shared Difference Attack on Other XCB-style TEMs



HCI [Nan08]

MXCB [Nan08]

XCBv1 [MF07]

Mirrored XCB-AES,
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Two-hash-key XCB-AES,
Attack by contradiction

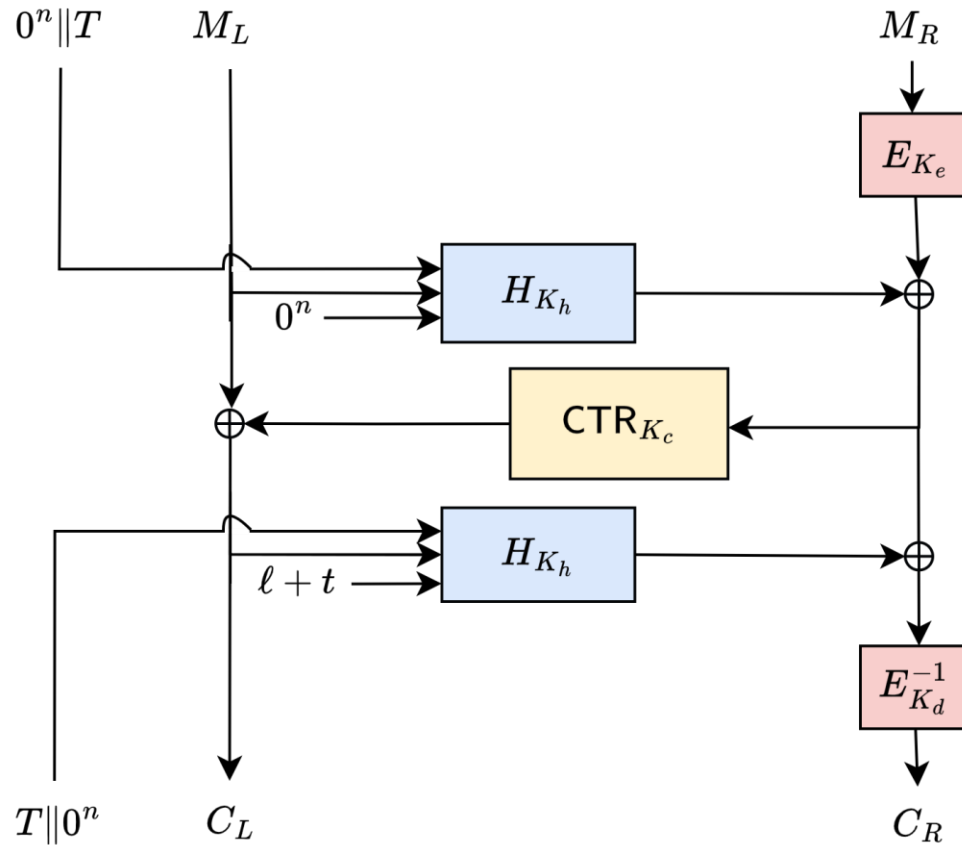
Summary of Results

Attack	Schemes	Message length	Attack type	# queries
LRW1 CCA attack by Khairallah [Kha23]	XCBv1, XCBv2, XCBv2fb	n bits	recovery of n bits	3
Shared difference attack [This work]	XCBv1	all $m > n$ bits	recovery of $m - n$ bits	4
	XCBv2, XCBv2fb, HCI, MXCB	all $m > n$ bits	recovery of $m - n$ bits	2
Flipped parts attack [This work]	HCI	all $m > n$ bits	distinguishing attack	3

m can be arbitrarily large

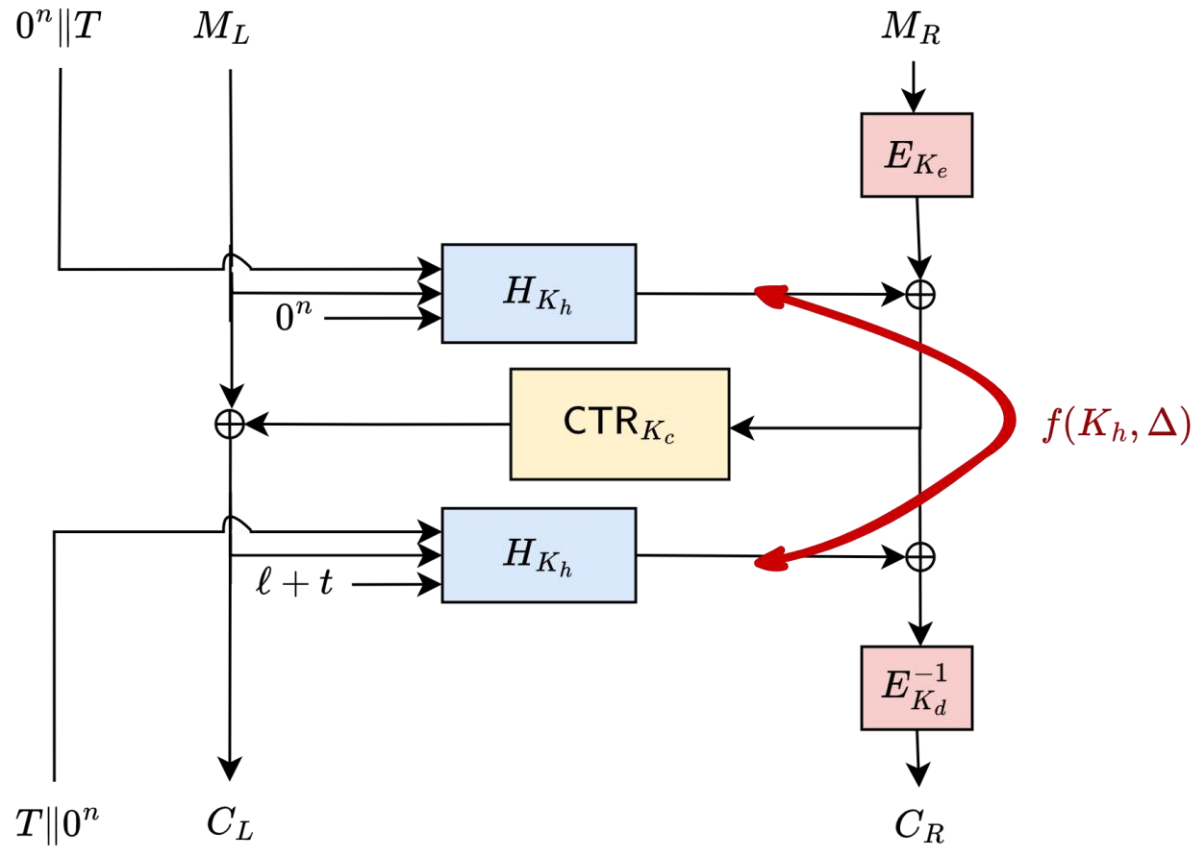
Countermeasures for XCB

Repairing and Enhancing XCB



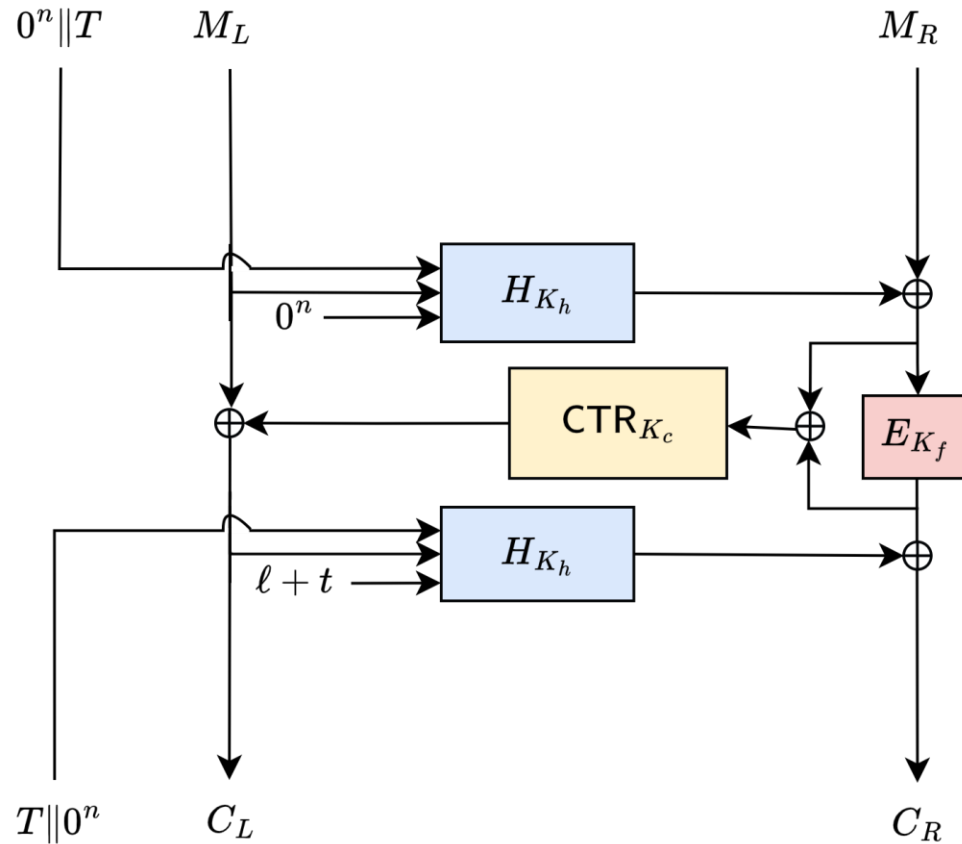
- XCB style

Repairing and Enhancing XCB



- XCB style
 - Insecure in current form

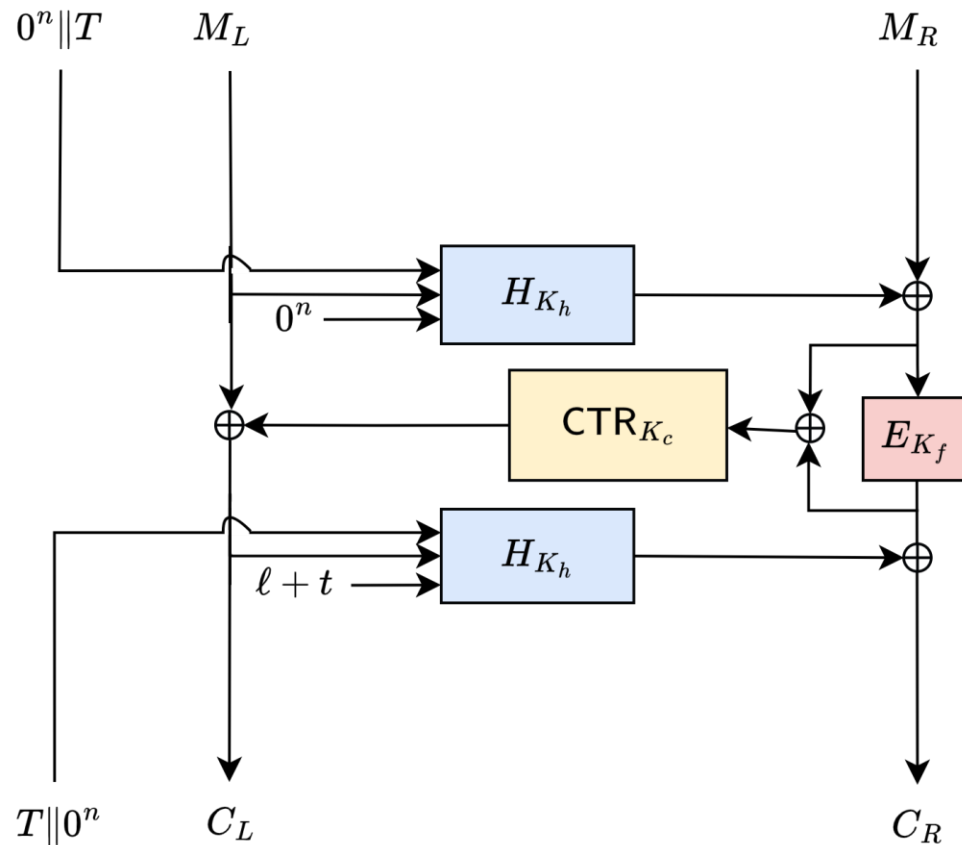
Repairing and Enhancing XCB



Avoid the Sum

- XCB style
 - Insecure in current form

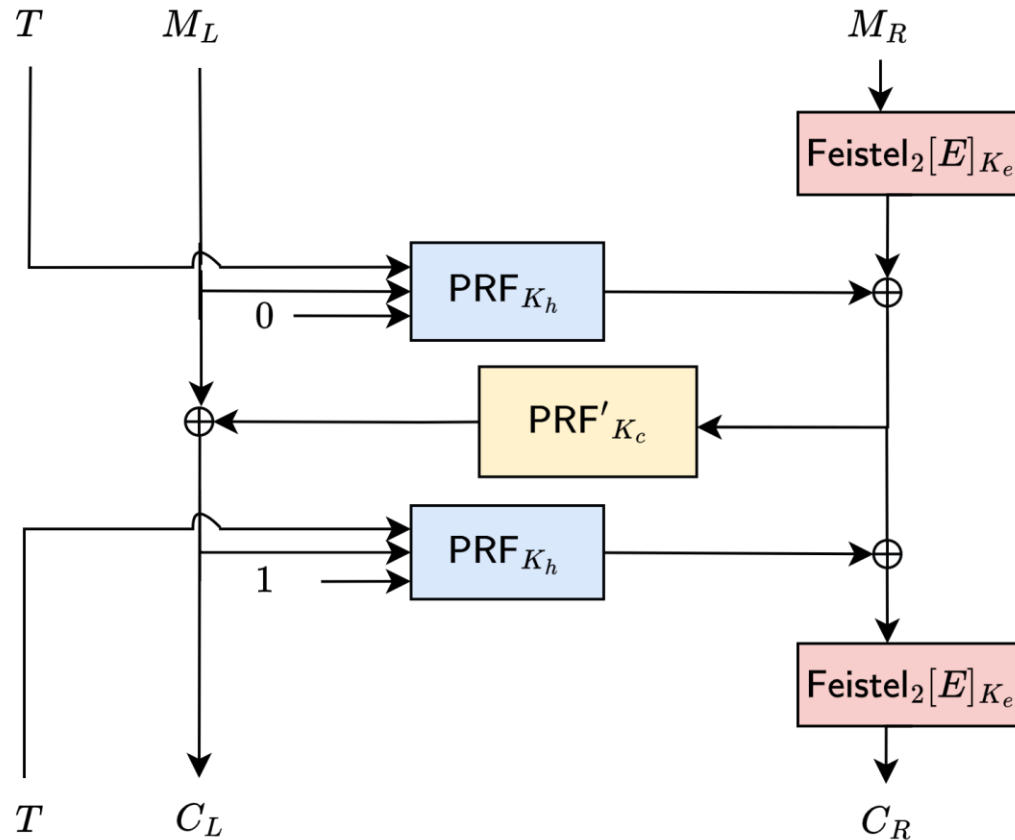
Repairing and Enhancing XCB



Avoid the Sum

- XCB style
 - Insecure in current form
- HCTR2 style [CHB23]
 - AES-128, PolyVal
 - 64-bit STPRP security
 - 1.1 cpb on Gracemont

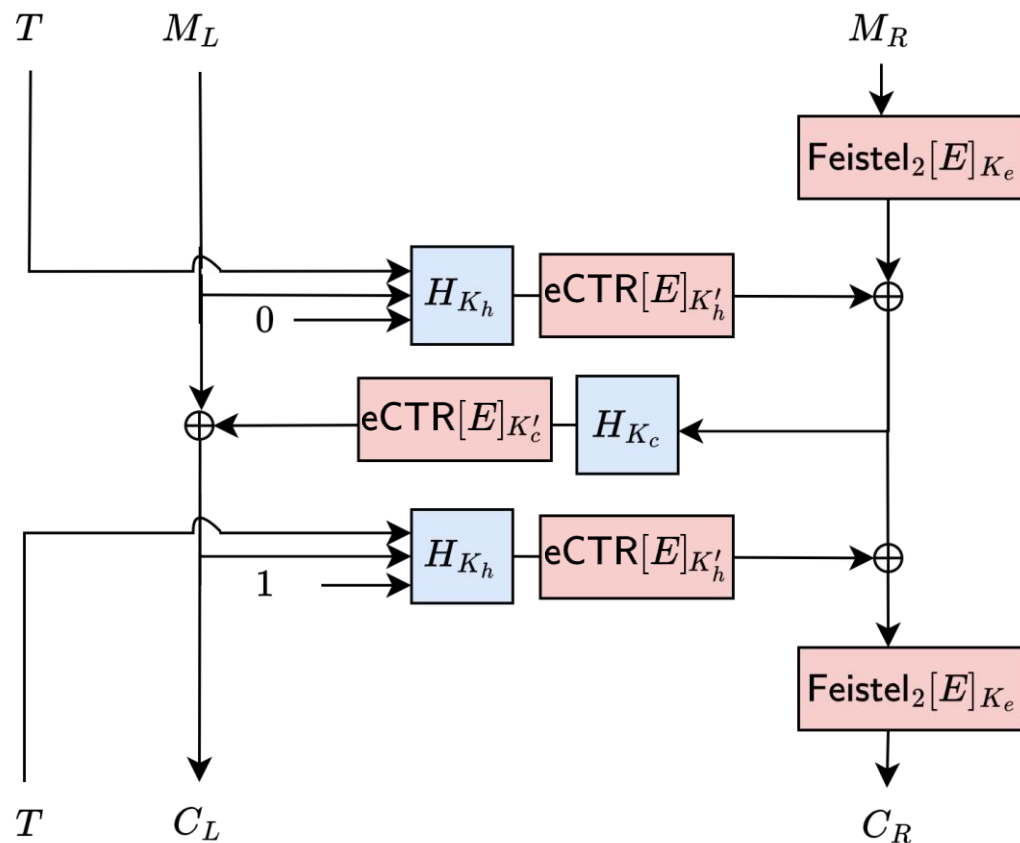
Repairing and Enhancing XCB



Use Inseparable Hashes

- XCB style
 - Insecure in current form
- HCTR2 style [CHB23]
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- GEM style [BVA24]

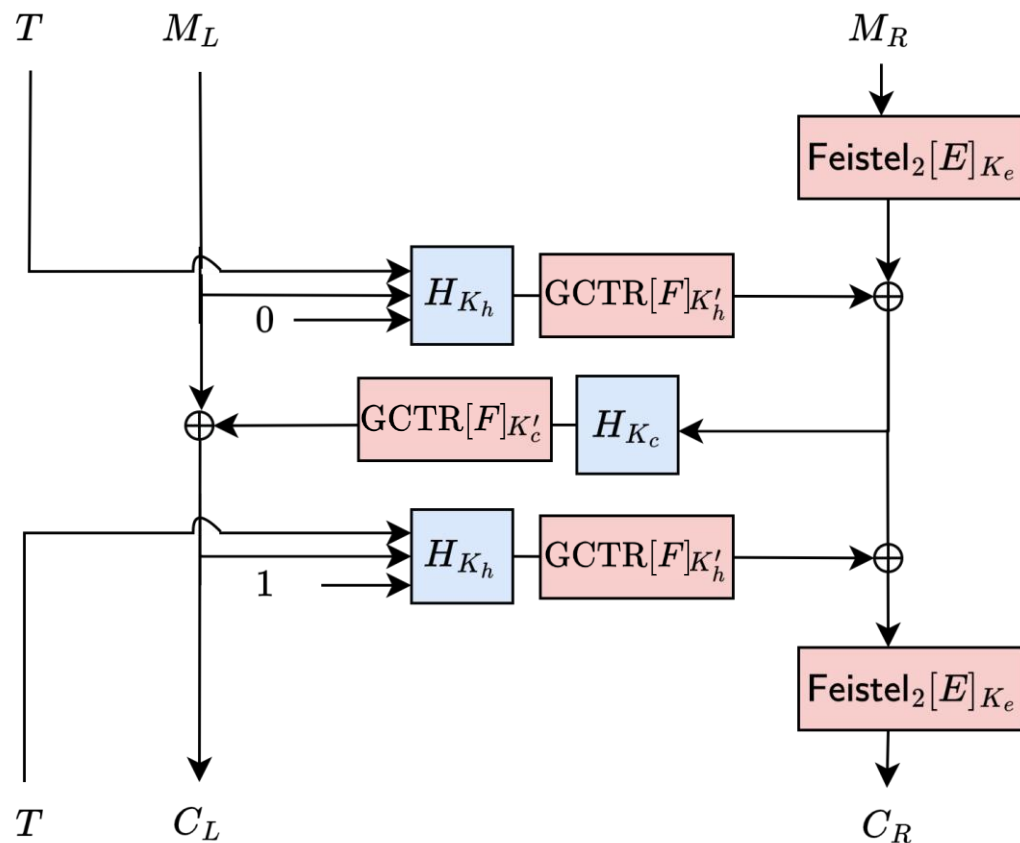
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 - 1.1 cpb on Gracemont
- GEM style [BVA24]
 - AES-128, PolyVal
 - 128-bit STPRP security
 - 1.4 cpb on Gracemont

Repairing and Enhancing XCB



Use Inseparable Hashes

- XCB style
 - Insecure in current form
- HCTR2 style [CHB23]
 - AES-128, PolyVal
 - 64-bit STPRP security
 - 1.1 cpb on Gracemont
- GEM style [BVA24]
 - Butterknife [ACL+22], PolyVal
 - 128-bit STPRP security
 - 1.1 cpb on Gracemont

Conclusion

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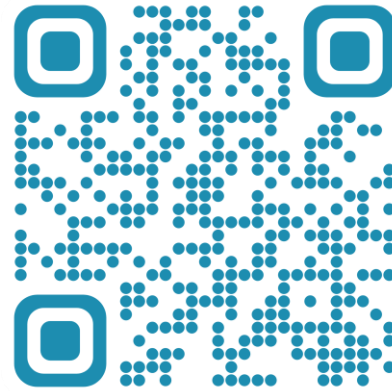
1. Introduced **shared difference attack** against XCB
 - **Breaking SPRP, STPRP, VIL-STPRP security** of all XCB variants
 - Including XCB-AES; a **15 year old IEEE standard**
2. Pinpointed exact flaw in existing analyses
3. Presented some countermeasures – HCTR2 and GEM

Impact: IEEE has officially removed XCB-AES from 1619.2 standard

Takeaway: 1. Efforts toward TEM design and analysis through NIST's accordion initiative are essential

2. To protect innovation, we must enforce clear professional consequences for reviewer misconduct

Thank You!



(ia.cr/2024/1554)

Contact:

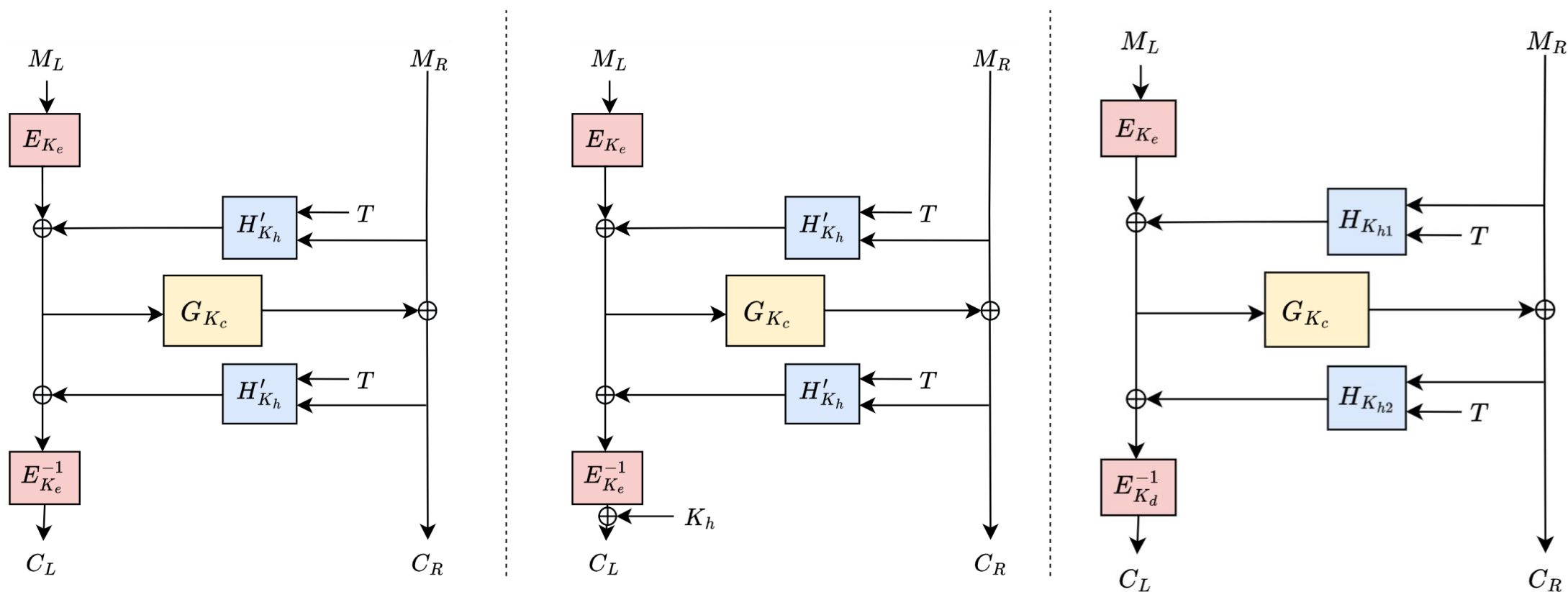
Amitsingh.bhati@esat.kuleuven.be

“Knowledge gained without ethics is a loss, not a gain”

- Aristotle (attributed)

Backup Slides

Shared Difference Attack on Other XCB-style TEMs



HCl [Nan08]

MXCB [Nan08]

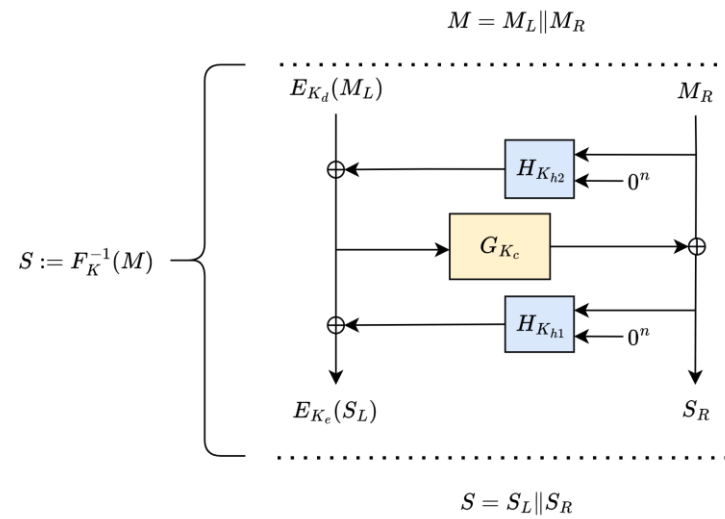
XCBv1 [MF07]

Mirrored XCB-AES,
Direct adaptation of our attack

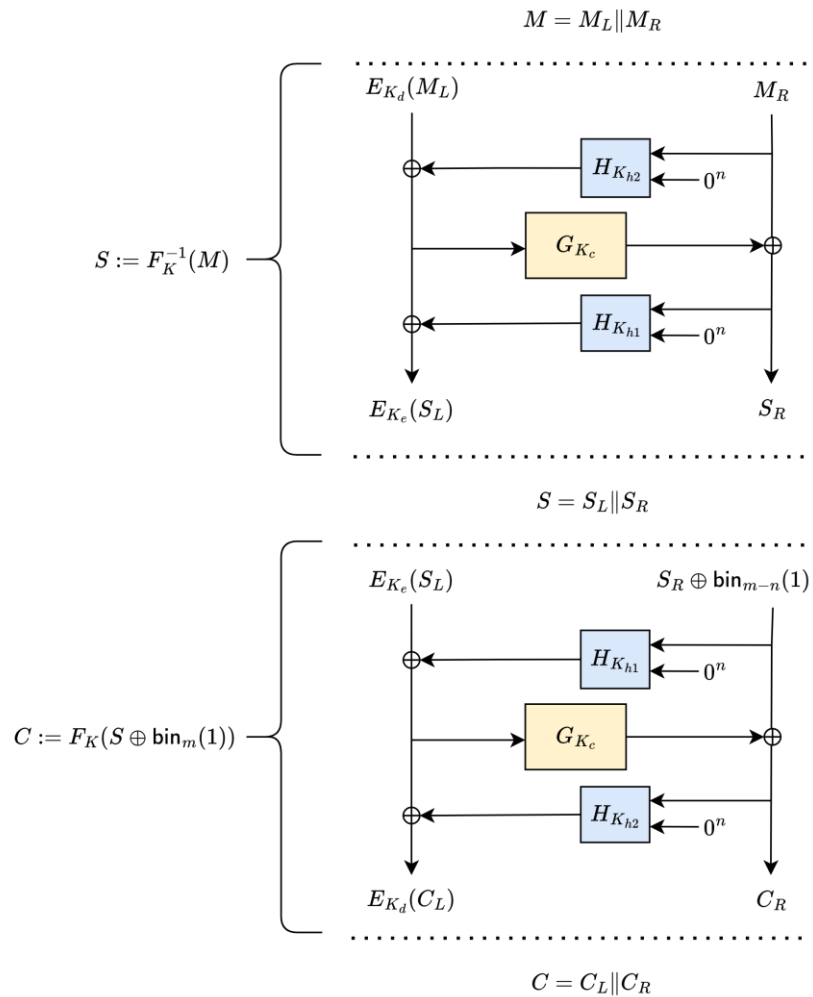
Two-hash-key XCB-AES,
Attack applied by contradiction

Shared Difference Attack by Contradiction on XCBv1

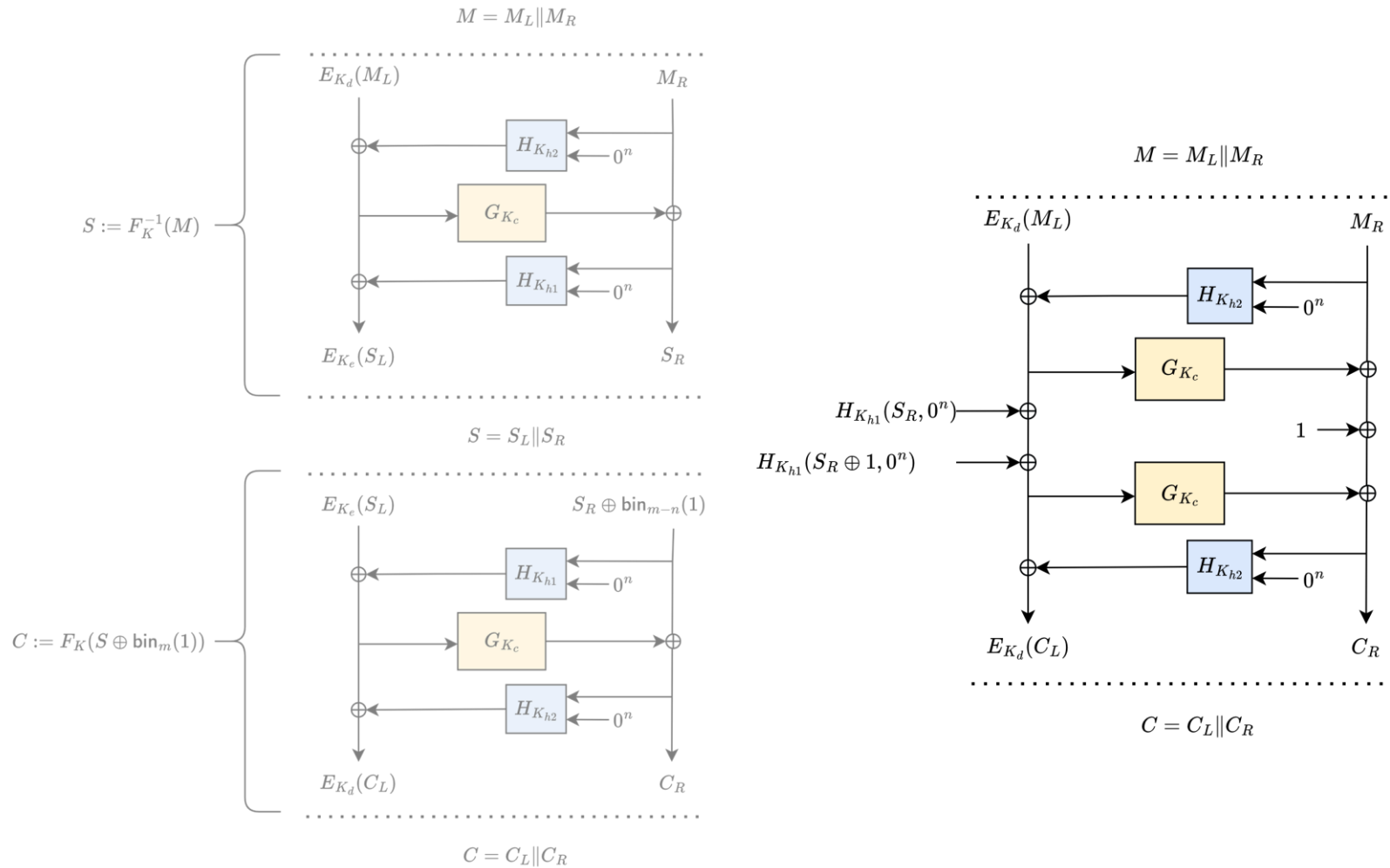
Attack by Contradiction on XCBv1



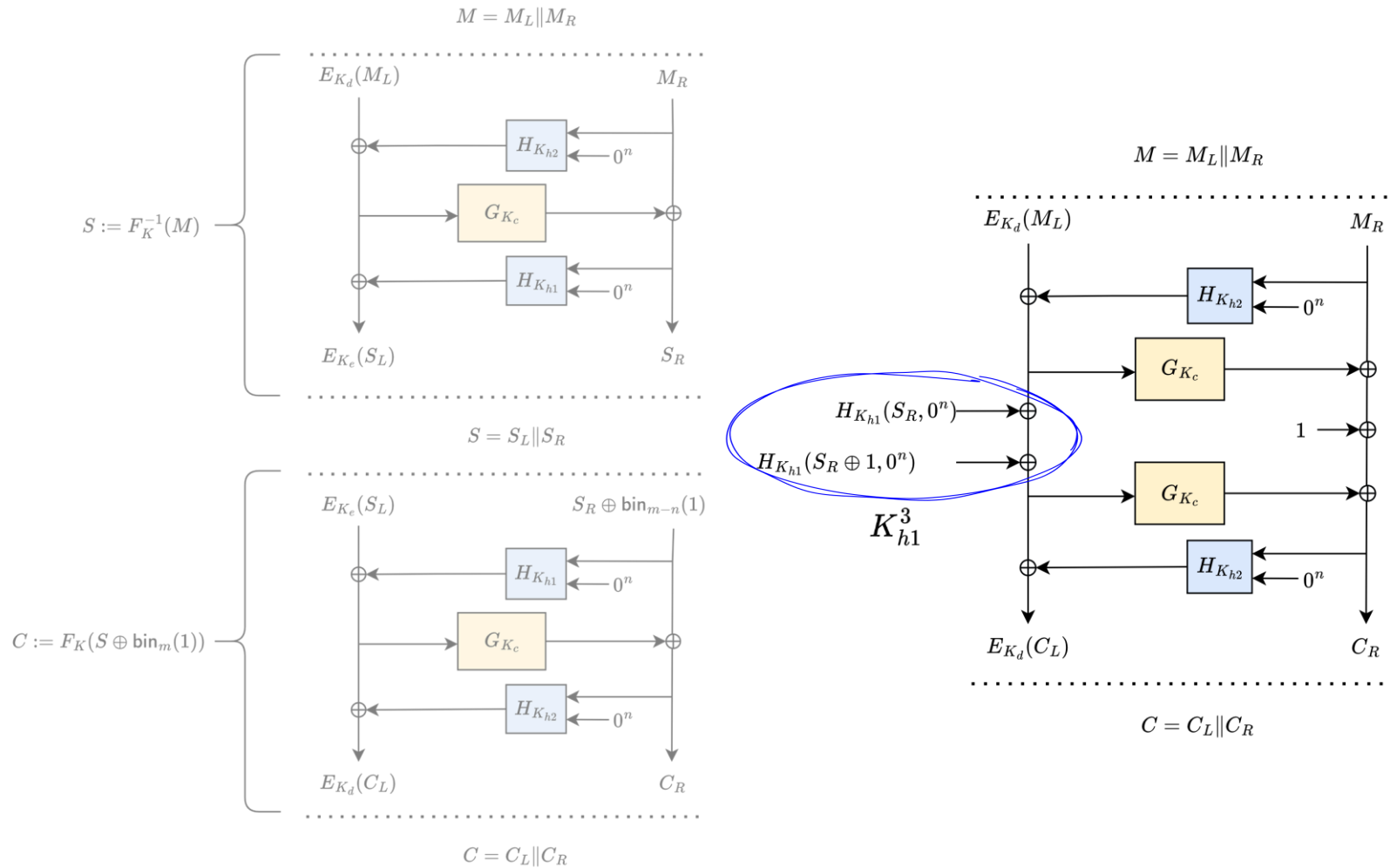
Attack by Contradiction on XCBv1



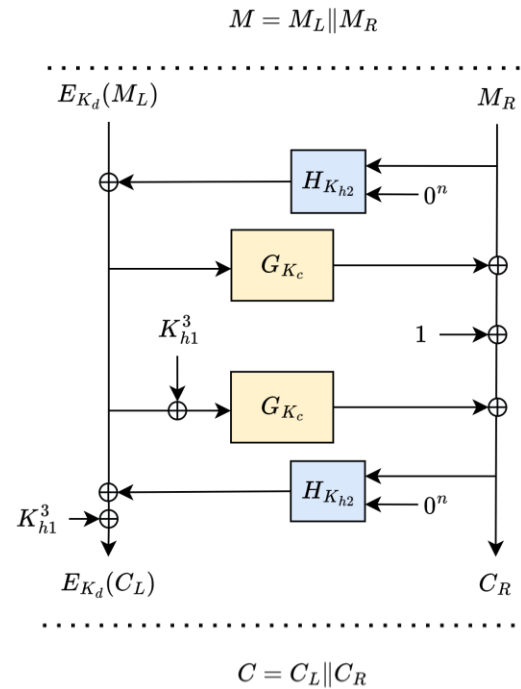
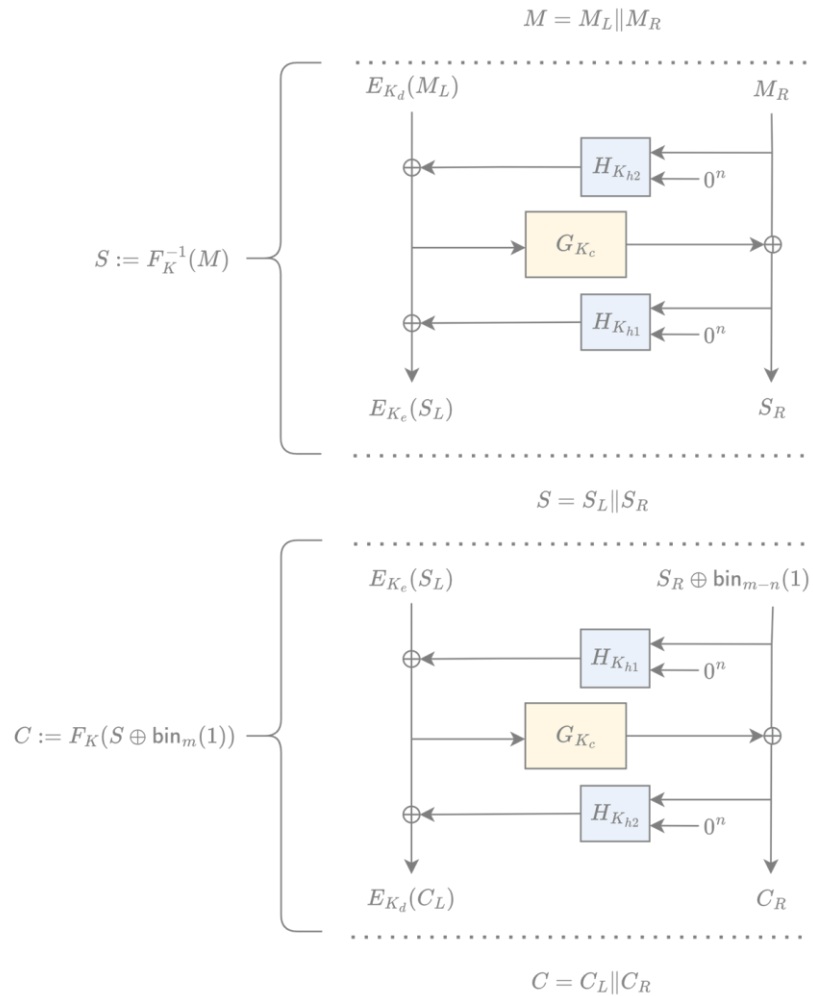
Attack by Contradiction on XCBv1



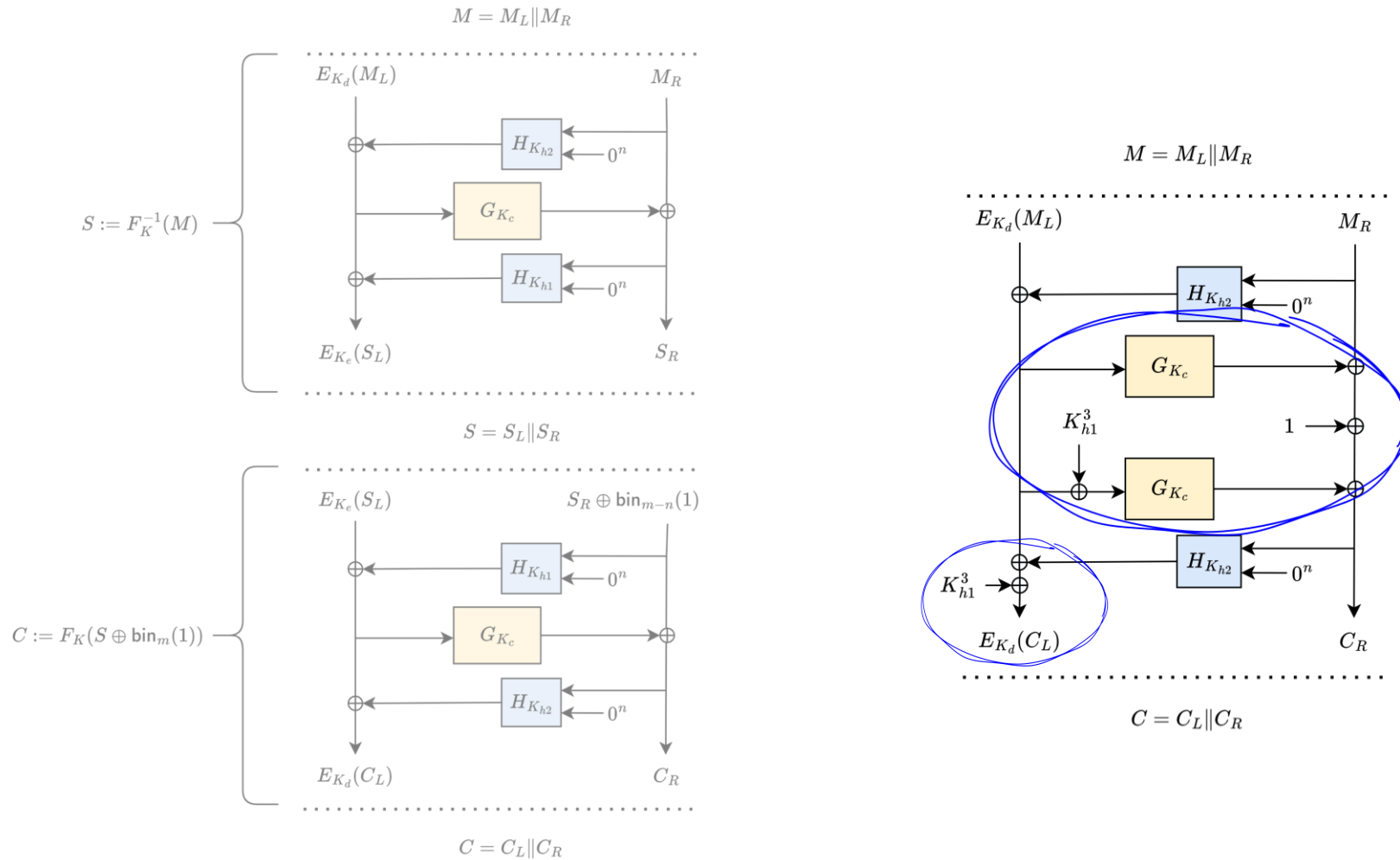
Attack by Contradiction on XCBv1



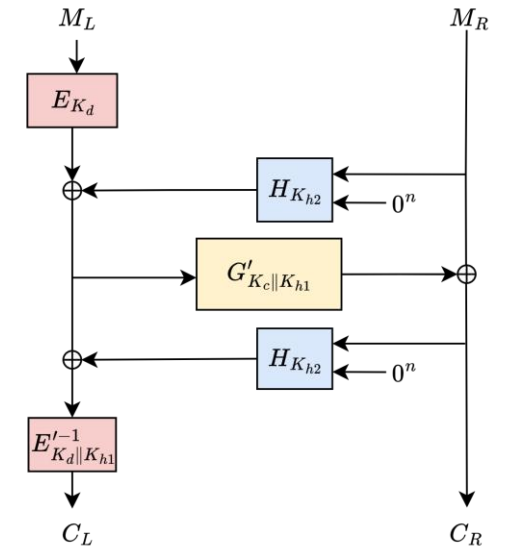
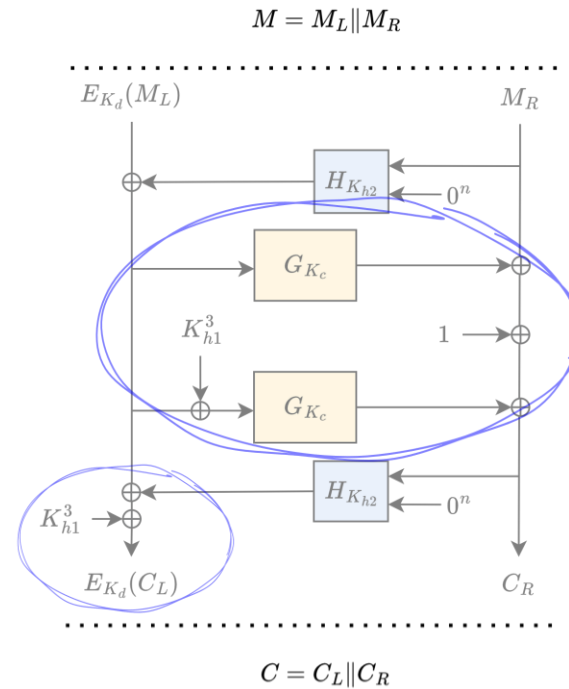
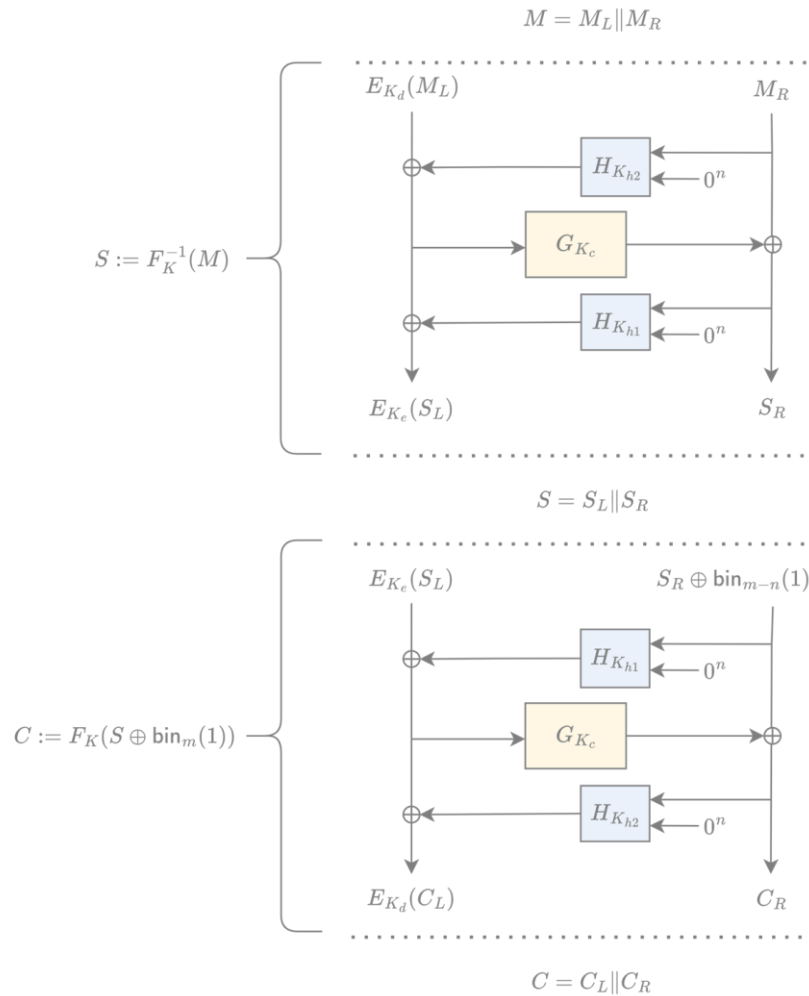
Attack by Contradiction on XCBv1



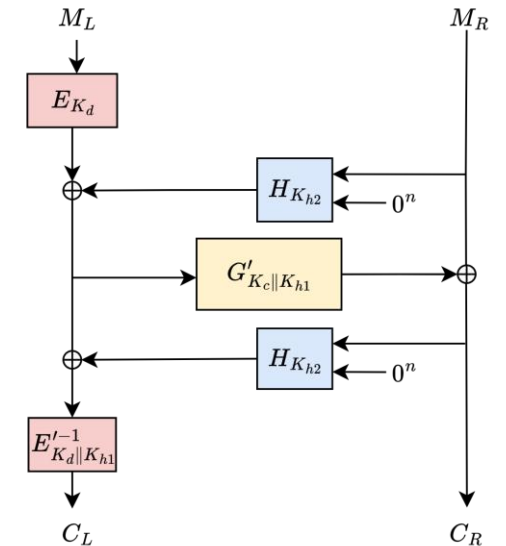
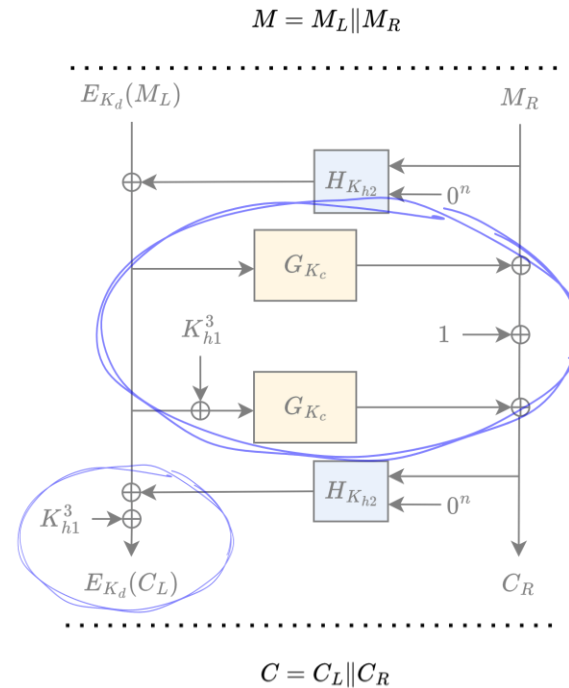
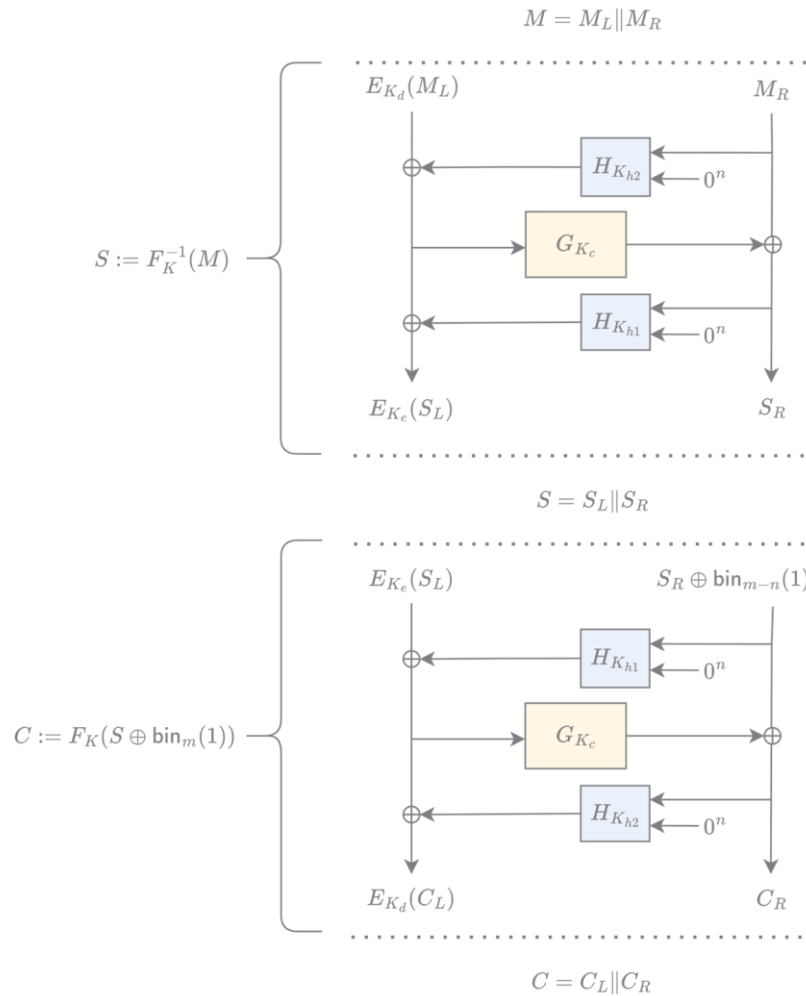
Attack by Contradiction on XCBv1



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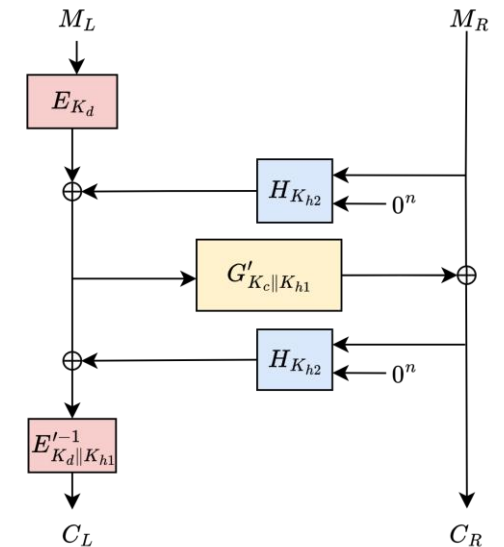
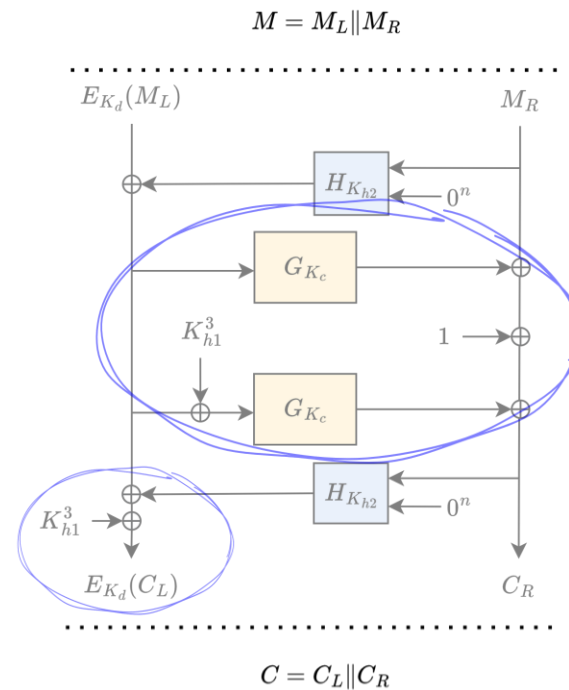
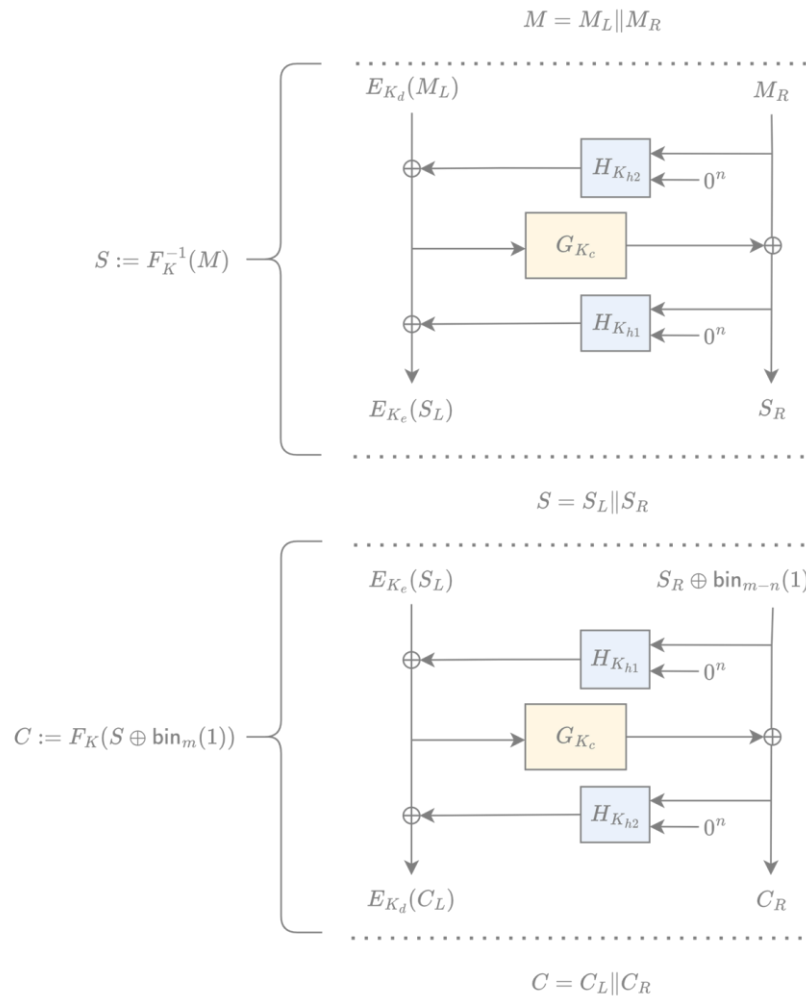
Attack by Contradiction on XCBv1


$$\text{SPRP}(\text{SPRP}^{-1}(M) \oplus \gamma)$$

Naor-Reingold, 2002

$$\text{PRI}(M)$$

Attack by Contradiction on XCBv1



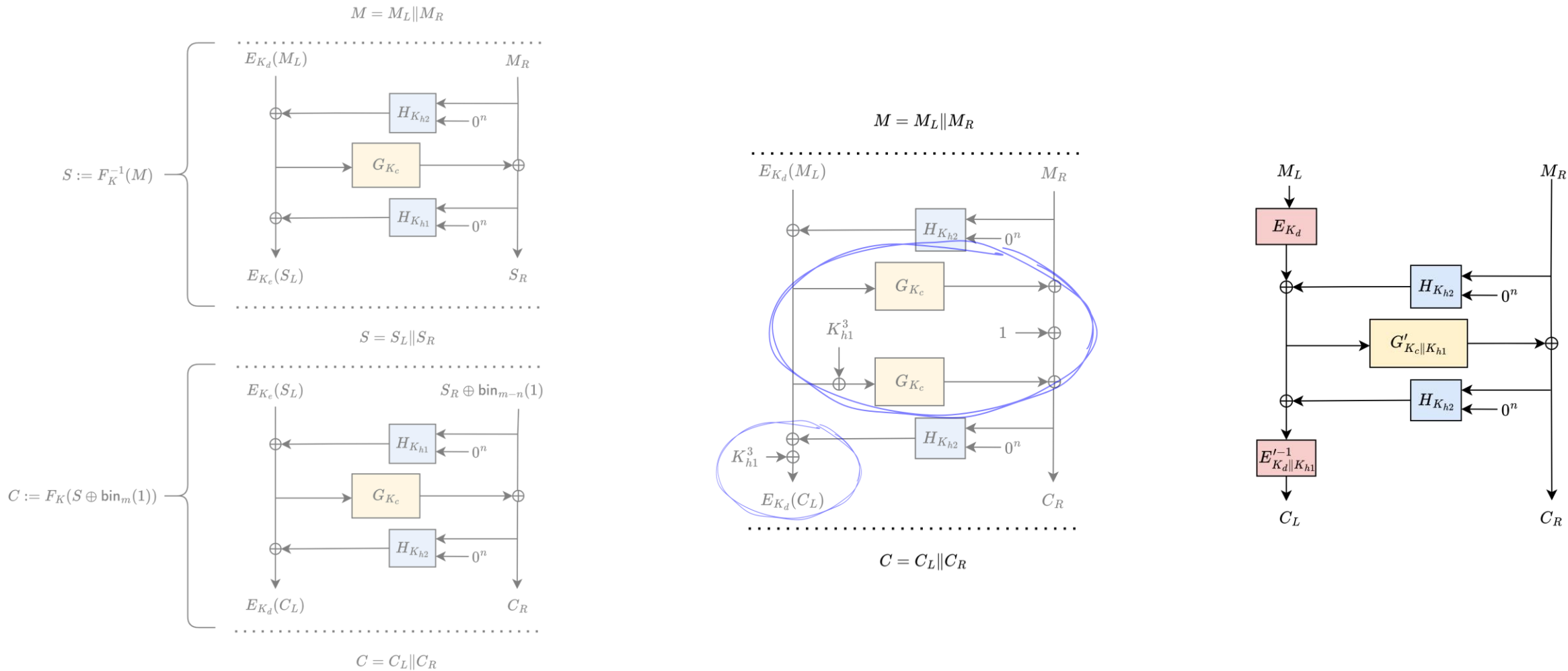
$\text{SPRP}(\text{SPRP}^{-1}(M) \oplus \gamma)$

 $\xrightarrow{\text{Naor-Reingold, 2002}}$

~~PRI~~(M)

Shared Difference Attack

Attack by Contradiction on XCBv1



$\text{SPRP}(\text{SPRP}^{-1}(M) \oplus \gamma)$ Naor-Reingold, 2002 → $\text{PRI}(M)$
Shared Difference Attack

Separability contradicts XOR-Universality of Sum

Flaw in Existing Analysis

- For any two inputs $(T, M) \neq (T', M')$, output Y , and random secret key K ,

$$\Pr(H_1(K, T, M) \oplus H_1(K, T', M') = Y) \leq \epsilon_1$$

Flaw in Existing Analysis

- For any two inputs $(T, M) \neq (T', M')$, output Y , and random secret key K ,

$$\Pr(H_1(K, T, M) \oplus H_1(K, T', M') = Y) \leq \ell/2^n$$

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H_2 is XOR-universal

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- For any two inputs $(T, M, C) \neq (T', M', C')$, output Y , and random secret key K ,

$$\Pr(H_{\text{sum}}(K, T, M, C) \oplus H_{\text{sum}}(K, T', M', C') = 0) \leq \epsilon_{\text{sum}}$$

Flaw in Existing Analysis

- For any two inputs $(T, M) \neq (T', M')$, output Y , and random secret key K ,

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H_1 is XOR-universal

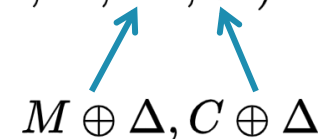
- For any two inputs $(T, C) \neq (T', C')$, output Y , and random secret key K ,

$$\Pr(H_2(K, T, C) \oplus H_2(K, T', C') = Y) \leq \ell/2^n$$

H_2 is XOR-universal

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$$M \oplus \Delta, C \oplus \Delta$$

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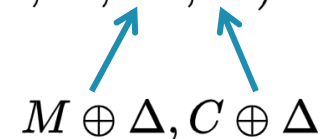
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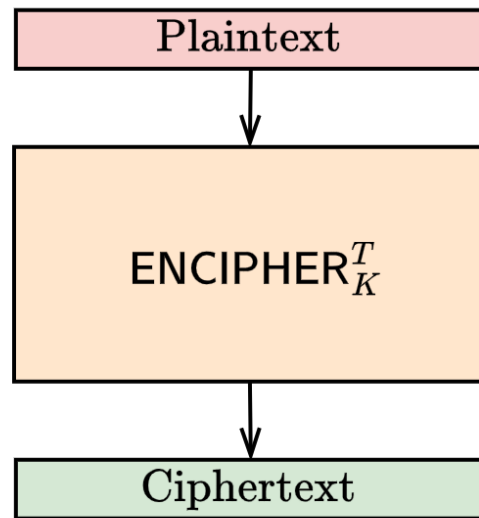
$$\Pr(H_{\text{sum}}(K, T, M, C) \oplus H_{\text{sum}}(K, T', M', C') = 0) = 1$$

H_{sum} is not XOR-universal


$$M \oplus \Delta, C \oplus \Delta$$

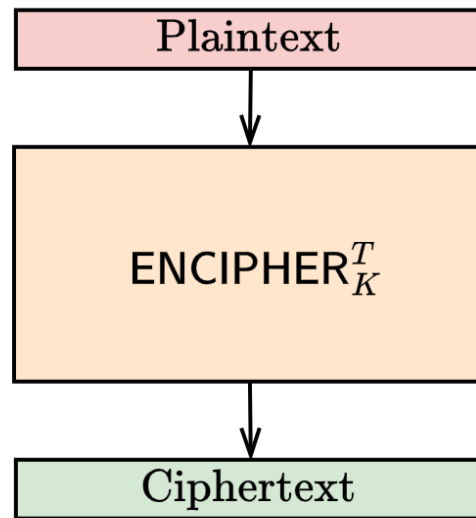
Where are TEMs Used in Real-World?

Primary Applications



1. Key-wrapping and swap-file encryption
2. Disk-sector and full-disk encryption

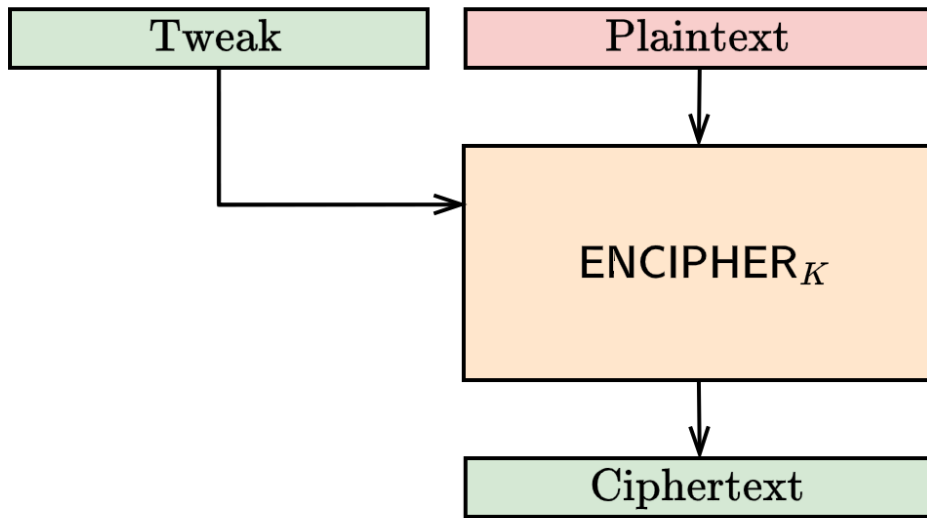
Primary Applications



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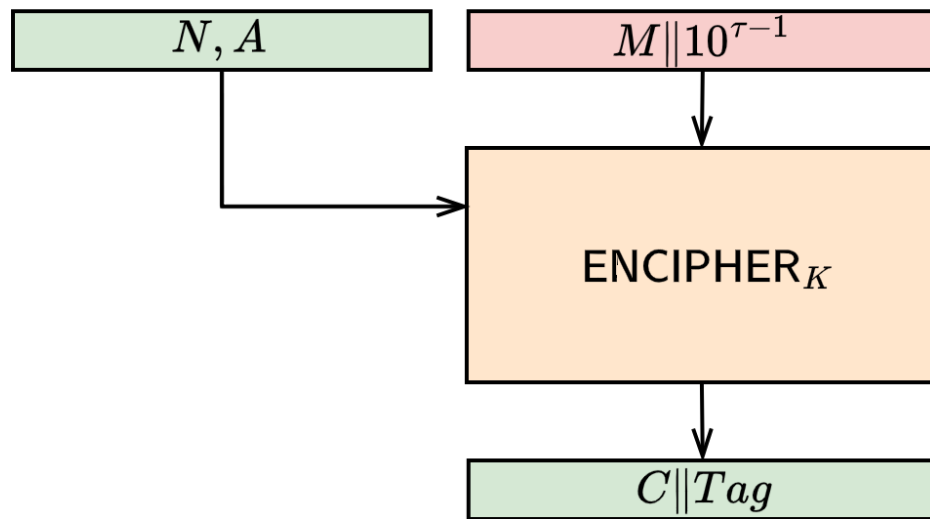


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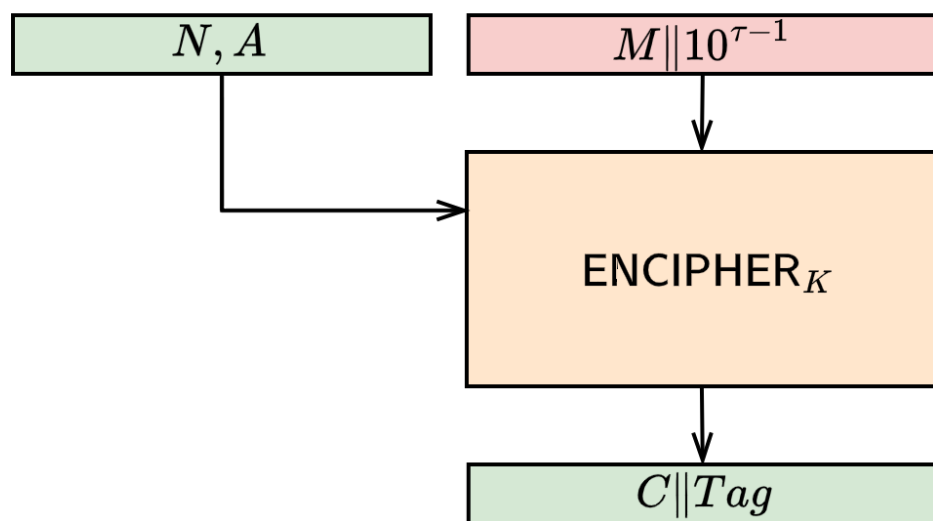
Primary Applications



Encode-then-Encipher (EtE) [BR00]

1. Key-wrapping and swap-file encryption
2. Disk-sector and full-disk encryption
3. Robust authenticated encryption [HKR17]
 1. Resisting **nonce-misuse** and
 2. **Decryptational leakage** (RUP) [AB+14]

Primary Applications



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Goals also covered under NIST's **accordion** call