

# State Machine Replication Among Strangers, Fast and Self-Sufficient

<https://ia.cr/2025/616>

CRYPTO '25

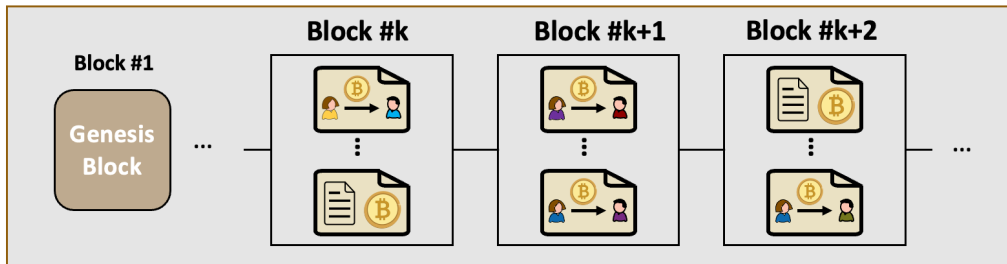
<sup>1</sup>Texas A&M University, <sup>2</sup>University of Edinburgh, <sup>3</sup>IOG

Juan Garay<sup>1</sup>, Aggelos Kiayias<sup>2,3</sup>, **Yu Shen**<sup>2</sup>

# “Among Strangers” (a.k.a. The Permissionless Model)

- The “traditional” distributed system.
  - Nodes are known **a priori**.
  - As in most deployed networks of computers.
- The “permissionless” model.
  - Nodes do **NOT** know each other (not even their exact number!)
  - Nodes come and go.
  - **Anyone** can join.

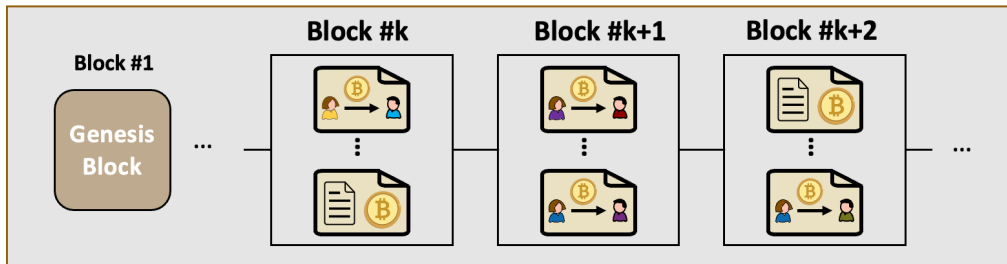
# Blockchains (Ledger Consensus/State Machine Replication)



- **Consistency:**  $\forall i, j \in \mathcal{H}, t \leq t' : \text{Log}_i[t] \preceq \text{Log}_j^*[t']$ .
- **Liveness:**  $(\forall i \in \mathcal{H} : \text{tx} \in I_i[t]) \implies (\forall i \in \mathcal{H} : \text{tx} \in \text{Log}_i[t + u])$ .<sup>1</sup>

<sup>1</sup>  $\text{Log}_i[t]$  = Log of  $P_i$  at time  $t$ ;  $\text{Log}_i^*[t]$  = with transactions in progress.  $I_i[t]$  = transaction input of  $P_i$  at time  $t$  consistent with  $\text{Log}_i[t]$ .

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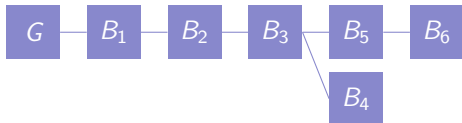


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- More properties are of interest: fast settlement, fairness, self timekeeping, etc.

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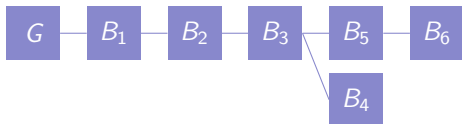
# Transaction Settlement Time

- Honest parties (“miners”) always choose the **longest** (heaviest) chain they received.
  - If a party wants to **erase** a transaction, it has to find a longer chain!
  - If transaction is “**sufficiently deep**,” it cannot do this unless it has a “majority of hashing power.”



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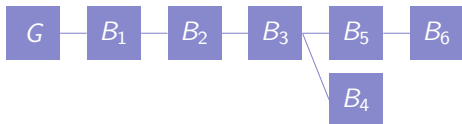
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- For example, Bitcoin transactions are considered as settled after **6** blocks.
- To be **cryptographically secure**, transactions are settled after  $\text{polylog}(\kappa)$  rounds [GKL17].
- *Permissioned* SMR protocols can achieve (expected-)constant settlement time (i.e., “fast”).

# Fairness in Accessing SMR

- An intriguing question: Who can insert symbols to the permissionless SMR?
  - A special symbol needs to be included to grant access.
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  - Network delay can create forks.
  - Malicious parties can discard honest blocks (e.g., block withholding attacks).
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  - Bitcoin has bad “chain quality” (cf. [GKL15]).
- **Fast Fairness:** Fairness in expected-constant time.

# “Self-Sufficient” Protocols

- Hardware clocks are **drifting** clocks.
  - Crystal oscillator drifts by 10 seconds within a day/week/month.
  - Network time protocol (NTP) is typically adopted to synchronize software clocks (“global clock”).



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- An SMR protocol is said to be **self-sufficient** if it keeps its own time under the mere assumption that parties have drifting local clocks.

# Clocks in Bitcoin

- Bitcoin miners use their system clock (syncd by NTP) to insert block timestamps.
- If system clock is out-of-sync (when difference from **median** peer clocks exceeds 10 minutes), a warning<sup>2</sup> is pop-up for human operator.

```
bilingual_str msg{sprintf(_(
    "Your computer's date and time appear to be more than %d minutes out of sync with the network, "
    "this may lead to consensus failure. After you've confirmed your computer's clock, this message "
    "should no longer appear when you restart your node. Without a restart, it should stop showing "
    "automatically after you've connected to a sufficient number of new outbound peers, which may "
    "take some time. You can inspect the `timeoffset` field of the `getpeerinfo` and `getnetworkinfo` "
    "RPC methods to get more info."
), Ticks<std::chrono::minutes>(WARN_THRESHOLD))};
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→ Bitcoin is **NOT** self-sufficient.

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# Prior Work

## ● Fast settlement

- Fast settlement for **non-conflicting** transactions (Prism [Bag+19], Ledger Combiner [Fit+20]).
- ✗ Slow settlement for **conflicting** transactions (Smart contract, **Bitcoin Script**).

## ● Fast fairness

- ✗ Fairness in  $\text{polylog}(\kappa)$  rounds (Fruitchain [PS17]).

## ● Self Timekeeping

- ✗ Clock synchronization with **imperfect** clocks (Timekeeper [GKS22]).

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[Bag+19] Vivek Kumar Bagaria, Sreeram Kannan, David Tse, Giulia C. Fanti, and Pramod Viswanath. “[Prism: Deconstructing the Blockchain to Approach Physical Limits](#)”. CCS '19.

[Fit+20] Matthias Fitzi, Peter Gazi, Aggelos Kiayias, and Alexander Russell. “[Ledger Combiners for Fast Settlement](#)”. TCC '20.

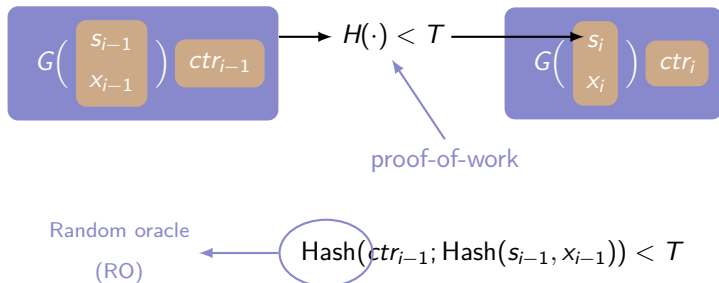
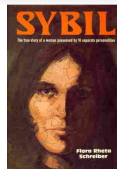
[PS17] Rafael Pass and Elaine Shi. “[FruitChains: A Fair Blockchain](#)”. PODC '17.

[GKS22] Juan A. Garay, Aggelos Kiayias, and Yu Shen. “[Permissionless Clock Synchronization with Public Setup](#)”. TCC '22.



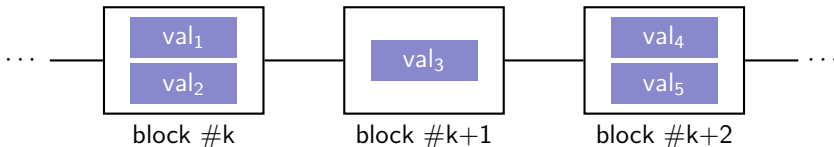
# Proofs of Work (aka “Crypto Puzzles”)

- Moderately hard functions: Spam mitigation, denial of service protection, ...
- Most impactful application: Design of blockchain protocols such as Bitcoin



# 1/2 Consensus (a.k.a. BA) Protocol [GKL15]

- Parties mine PoWs for each **block** — as in standard Bitcoin backbone protocol.
- Parties mine PoWs for each **input** (value + nonce); they keep transmitting “PoW-ed” inputs until they are recorded on chain.



- After the blockchain grows sufficiently, chop off the last  $\text{polylog}(\kappa)$  blocks and return the **median** value among unique inputs in the common prefix.

[GKL15] Juan A. Garay, Aggelos Kiayias, and Nikos Leonardos. “The Bitcoin Backbone Protocol: Analysis and Applications”. Eurocrypt '15.

# 2x1 PoWs: Composition of PoW-based Protocols

## Naïve double PoW (Not secure!)

$h \leftarrow G(x, s)$   
if  $H(h, ctr) < T$  then ...

$h' \leftarrow G(x', s')$   
if  $H(h', ctr') < T'$  then ...

Given  $((x, s), ctr)$   
Verify  $H(G(x, s), ctr) < T$

Given  $((x', s'), ctr')$   
Verify  $H(G(x', s'), ctr') < T'$

## 2x1 PoW

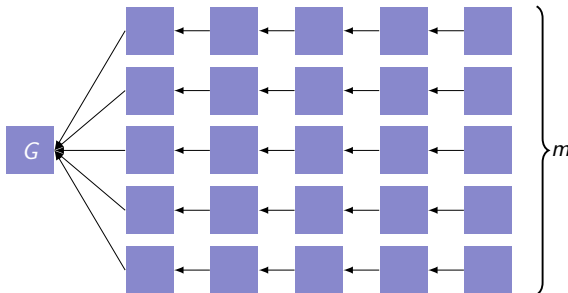
$h \leftarrow G(x, s)$   
 $h' \leftarrow G(x', s')$   
 $w \leftarrow H(h, h', ctr)$

if  $w < T$  then ...  
if  $[w]^R < T'$  then ...

Given  $((x, s), (*, *), ctr)$   
Verify  $H(G(x, s), G(*, *), ctr) < T$   
Given  $((*, *), (x', s'), ctr')$   
Verify  $H(G(*, *), G(x', s'), ctr') < T'$

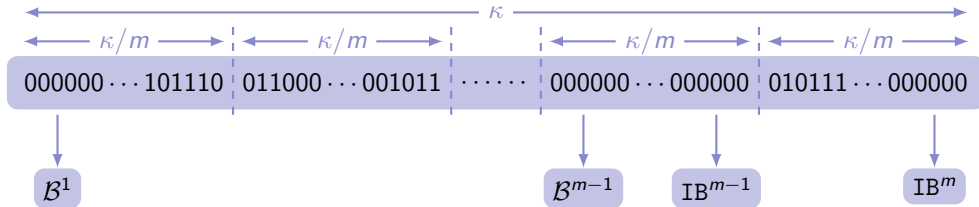
# Parallel Blockchains

- **Basic Idea:** Extend  $2 \times 1$  PoW to  $m \times 1$  PoW.
- Fully independent when  $m = \Theta(\text{polylog} \kappa)$ .



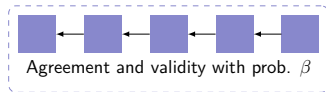
# Parallel Blockchains (Cont'd)

- **Basic Idea:** Extend  $2 \times 1$  PoW to  $m \times 1$  PoW.
- Fully independent when  $m = \Theta(\text{polylog } \kappa)$ .
- We can run PoW BAs in parallel.
  - $2 \times 1$  PoW (block + transaction) in each instance.

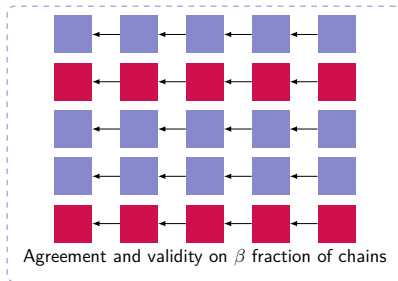


# Phase-based Parallel Chains

- In [GKL15] (honest-majority PoW consensus in  $\text{polylog}(\kappa)$  rounds):
  - Agreement and validity with **overwhelming** prob. after  $\text{polylog}$  rounds.
  - Agreement and validity with **constant** prob. after **constant** rounds.
- With sufficiently many parallel chains:



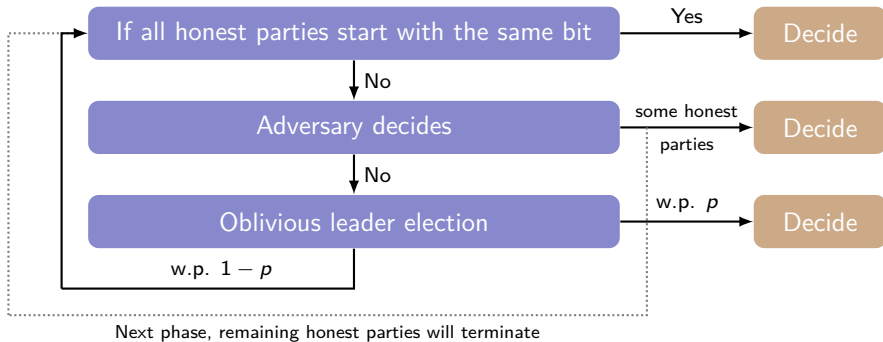
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[GKL15] Juan A. Garay, Aggelos Kiayias, and Nikos Leonardos. "The Bitcoin Backbone Protocol: Analysis and Applications". Eurocrypt '15.

# King Consensus [BGP89; FG03]

- Proceeds in phases until termination (In each phase each party has an input bit).



# Chain-King Consensus [GKS24]

- Oblivious leader election (OLE) using only RO?
- A simple construction: Fix the **1st chain** as the "King Chain".

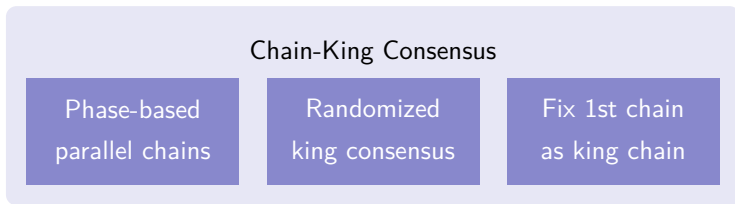
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[GKS24] Juan A. Garay, Aggelos Kiayias, and Yu Shen. "[Proof-of-Work-Based Consensus in Expected-Constant Time](#)". Eurocrypt '24.



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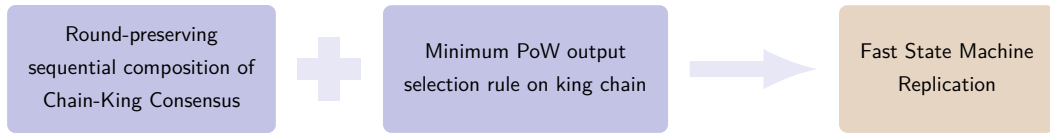
- Oblivious leader election (OLE) using only RO?
- A simple construction: Fix the **1st chain** as the "King Chain".
- With parallel chains, adversary power is "**diluted**" so that he cannot always win on a specific chain.



[GKS24] Juan A. Garay, Aggelos Kiayias, and Yu Shen. "[Proof-of-Work-Based Consensus in Expected-Constant Time](#)". Eurocrypt '24.

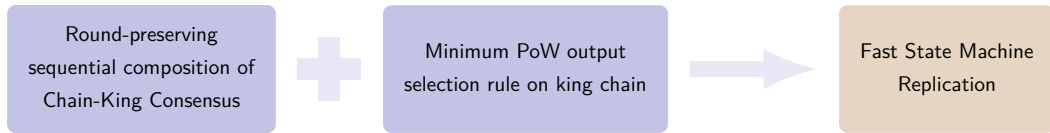
# Permissionless SMR with Fast Settlement

- Decide output of king chain using input-block with minimum PoW (smallest hash).
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- A few more things have been done here:
  - Extended the above protocol to the **variable** difficulty setting.
  - A bootstrapping algorithm to help fresh parties “catch-up” in **constant** time.

# Fast Fairness

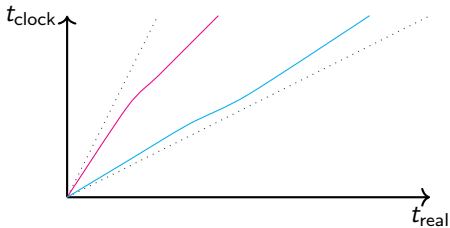
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# Fast Fairness

- Bitcoin bears bad “Chain-Quality.”
- A “pre-agreement” on coinbase transactions suffices to achieve fast fairness.
  - In the first phase in Chain-King Consensus, parties use  $2 \times 1$  PoW to mine their own coinbase transactions, submit them to the **first** chain.
  - By the end of the phase, parties stick to the coinbase transaction with **minimum hash** in the first chain their local view.
  - Then, a new invocation of Chain-King Consensus starts at the second phase.
- For any party  $P$  with  $p\%$  computational power...
  - With probability  $p\%$ ,  $P$  produces the coinbase transaction with minimum hash.
  - With probability  $(1 - \epsilon)$ , parties agree on  $P$ 's coinbase transaction on the first chain.

# Self Sufficiency

- An SMR protocol is said to be **self-sufficient** if it keeps its own time under the mere assumption that parties have drifting local clocks.

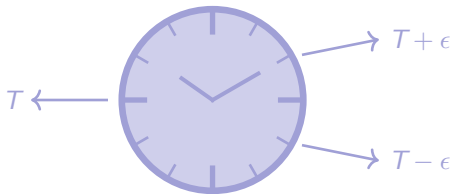


- **Assumption:** Hardware clocks run within a linear envelope<sup>3</sup> of real time.

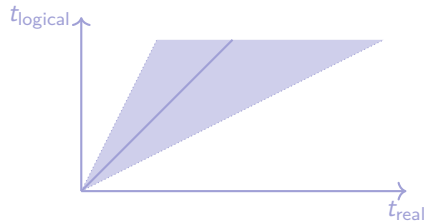
<sup>3</sup> A function  $f: \mathbb{R} \rightarrow \mathbb{R}$  is within a  $(U, L)$ -linear envelope if and only if it holds that  $L \cdot x - c \leq f(x) \leq U \cdot x + c$ .

# Clock Synchronization

- **Bounded Skew:** Honest parties maintain close logical clocks.
- **Accuracy:** Honest parties report logical time within a linear envelope of the real time.



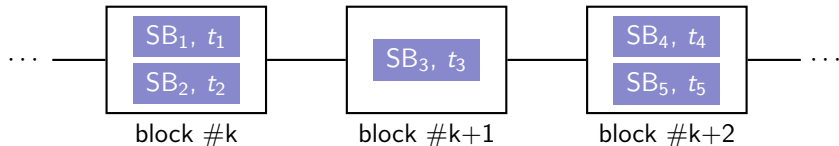
**Bounded Skew**



**Accuracy**

# Clock Adjustment Algorithm

- Honest-majority PoW-based BA can be extended to timekeeping [GKS22].
  - Inputs record also timestamps (now we call them “synchronization beacons”).
  - Parties bookkeep the local arrival time for each beacon.



	SB <sub>1</sub>	SB <sub>2</sub>	SB <sub>3</sub>	SB <sub>4</sub>	SB <sub>5</sub>
P	t' <sub>1</sub>	t' <sub>2</sub>	t' <sub>3</sub>	t' <sub>4</sub>	t' <sub>5</sub>

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# Clock Adjustment Algorithm (Cont'd)

- At the end of an interval, parties adjust their local clocks:
  - Compute the difference between timestamp and local arrival time for each beacon on chain.
  - Add the **median** of their differences to local time.

$$\text{new-clock} = \text{old-clock} + \mathbf{med}\{\text{SB.timestamp} - \text{SB.arrivalTime} \mid \text{SB} \in \mathcal{C}\}$$

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- ✗ This does **NOT** work with **drifting** clocks!
  - To agree on beacons, interval duration needs to be set as  $\text{polylog}(\kappa)$
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  - It only works for imperfect clocks (cf. [Bad+21; GKS22]).
- **Solution:** Use parallel blockchains to acquire a set of clock values in **constant** time, where a large fraction of them are “good.”

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- **Solution\***: Prune the  $\eta$  largest and smallest clocks.
- **Example 2:** Malicious parties suggest confusing clock values.



# Clock Synchronization (Cont'd)

- **Solution:** Apply **Approximate Agreement** [Dol+86] over the set of clock values.
  - 1 **Reduce:** Remove the  $\eta$  largest and smallest elements.
  - 2 **Select:** Divide the remaining clocks into chunks of  $\eta$  elements; for each chunk, select a representative (the first element).
  - 3 Return the **average** over clock representatives.

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[Dol+86] Danny Dolev, Nancy A. Lynch, Shlomit S. Pinter, Eugene W. Stark, and William E. Weihl. “Reaching approximate agreement in the presence of faults”. J. ACM.

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$\text{new-clock} \triangleq \text{avg}(\text{select}(\text{reduce}(\langle \text{clock}_1, \dots, \text{clock}_m \rangle, \eta), \eta)), \text{ where}$

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- **Result:** Clocks with **bounded skews** (linear w.r.t. network delay and clock drift rate).

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# Takeaways

In the permissionless PoW setting with drifting clocks, we achieve:

- **Fast Settlement**

- **All** incoming transactions are confirmed in expected-constant time.

- **Fast Fairness**

- A coinbase transaction, selected w.p. proportional to computational power, is introduced every expected-constant-time interval.

- **Self-Sufficient Timekeeping**

- Protocol participants maintain bounded skews.
- State machine exports an accurate SMR time w.r.t. real time.

# Thank You

[GKS25] <https://ia.cr/2025/616>

# References

- [Bad+21] Christian Badertscher, Peter Gazi, Aggelos Kiayias, Alexander Russell, and Vassilis Zikas. “[Dynamic Ad Hoc Clock Synchronization](#)”. In: **Advances in Cryptology – EUROCRYPT 2021, Part III**. Ed. by Anne Canteaut and François-Xavier Standaert. Vol. 12698. Lecture Notes in Computer Science. Zagreb, Croatia: Springer, Cham, Switzerland, 2021, pp. 399–428.
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