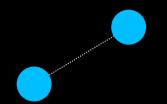


MPC with Publicly Identifiable Abort from Pseudorandomness and Homomorphic Encryption

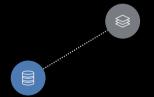


Multiple parties want to compute a function

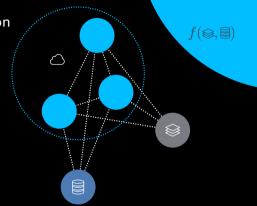


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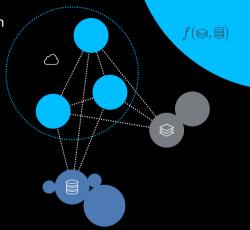




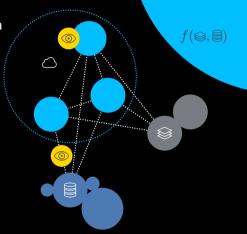
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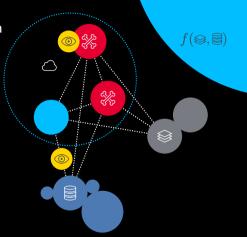
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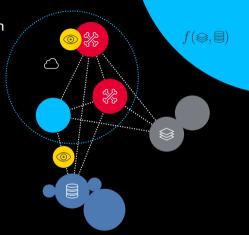
- Multiple parties want to compute a function
- Adversaries
 - semi-honest



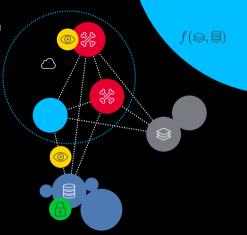
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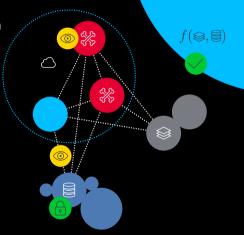
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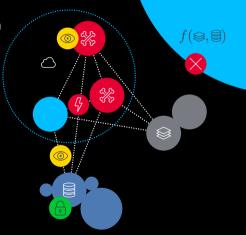
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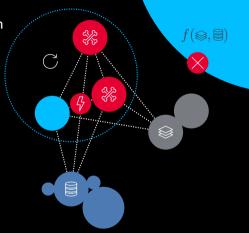
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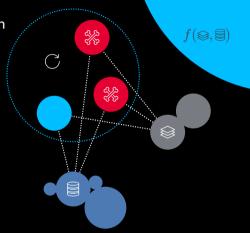
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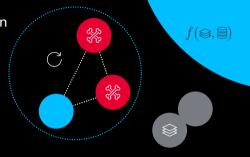
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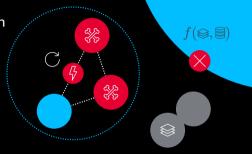


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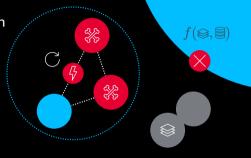


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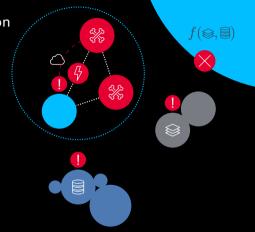
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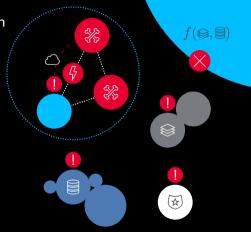
Multiparty Computation with Identifiable Abort

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 - → publicly identifiable abort everyone agrees on audit {●: ok, @: !, @: ok}



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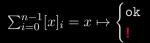
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 - inputs, outputs, multiplications, ...

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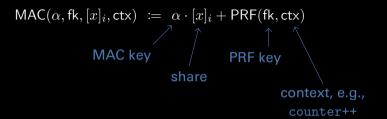
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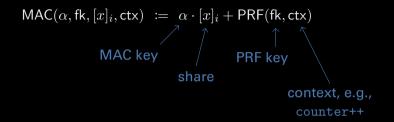
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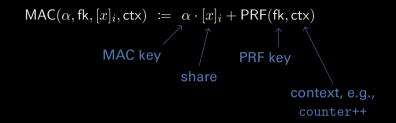
- usually linear commitments
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- usually extra ZKPs
- expensive to compute and verify
- \rightarrow our work: global (non-pairwise) MACs \rightarrow combines advantages of both methods

 $\mathsf{MAC}(\alpha,\mathsf{fk},[x]_i,\mathsf{ctx}) \ \coloneqq \ \alpha \cdot [x]_i + \mathsf{PRF}(\mathsf{fk},\mathsf{ctx})$





$$\mathsf{MACCheck}(\alpha,\mathsf{fk},[x]_i,\tau,\mathsf{ctx}) \ \coloneqq \begin{cases} \mathsf{ok} & \mathsf{if} \ \tau = \mathsf{MAC}(\alpha,\mathsf{fk},[x]_i,\mathsf{ctx}) \\ ! & \mathsf{otherwise} \end{cases}$$



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 \rightarrow equivalent to the MAC of [CF13] and similar to what is used in [BMRS24]

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$$\mathsf{MAC}(\alpha,\mathsf{fk},[x]_i,\mathsf{ctx}) \mathrel{\mathop:}= \alpha \cdot [x]_i + \mathsf{PRF}(\mathsf{fk},\mathsf{ctx})$$

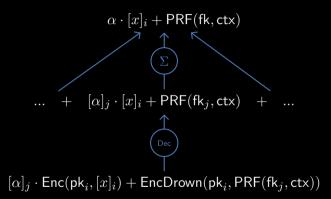
$$\Sigma$$

$$[\alpha]_0 \cdot [x]_i + \mathsf{PRF}(\mathsf{fk}_0,\mathsf{ctx}) + \dots + [\alpha]_j \cdot [x]_i + \mathsf{PRF}(\mathsf{fk}_j,\mathsf{ctx}) + \dots$$

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$$[\alpha]_j \cdot \mathsf{Enc}(\mathsf{pk}_i,[x]_i) + \mathsf{EncDrown}(\mathsf{pk}_i,\mathsf{PRF}(\mathsf{fk}_j,\mathsf{ctx}))$$



MAC check only requires

 $\alpha \cdot [x]_i + \mathsf{PRF}(\mathsf{fk},\mathsf{ctx})$... + $[\alpha]_i \cdot [x]_i + \mathsf{PRF}(\mathsf{fk}_i, \mathsf{ctx}) +$ $[\alpha]_{i} \cdot \mathsf{Enc}(\mathsf{pk}_{i}, [x]_{i}) + \mathsf{EncDrown}(\mathsf{pk}_{i}, \mathsf{PRF}(\mathsf{fk}_{i}, \mathsf{ctx}))$

- MAC check only requires
 - MAC key α

 $\alpha \cdot [x]_i + \mathsf{PRF}(\mathsf{fk},\mathsf{ctx})$... + $[\alpha]_i \cdot [x]_i + \mathsf{PRF}(\mathsf{fk}_i, \mathsf{ctx}) +$ $[\alpha]_{i} \cdot \mathsf{Enc}(\mathsf{pk}_{i}, [x]_{i}) + \mathsf{EncDrown}(\mathsf{pk}_{i}, \mathsf{P}_{\mathsf{RF}}(\mathsf{fk}_{i}, \mathsf{ctx}))$

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- MAC tag generation requires

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 - partial PRF key fk_j

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- → Verification only requires 3 field elements* per party for any number of tags

 $\alpha \cdot [x]_i + \mathsf{PRF}(\mathsf{fk},\mathsf{ctx})$... + $[\alpha]_i \cdot [x]_i + \mathsf{PRF}(\mathsf{fk}_i, \mathsf{ctx})$ $[\alpha]_{i} \cdot \mathsf{Enc}(\mathsf{pk}_{i}, [x]_{i}) + \mathsf{EncDrown}(\mathsf{pk}_{i}, \mathsf{PRF}(\mathsf{fk}_{i}, \mathsf{ctx}))$

*plus other information to decommit commitments

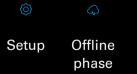
Protocol Overview



Setup

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Protocol Overview



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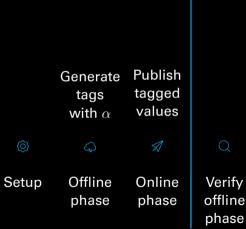




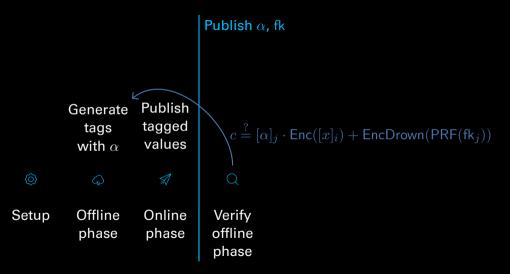


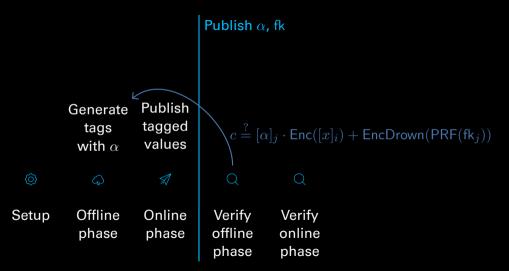
Publish α , fk

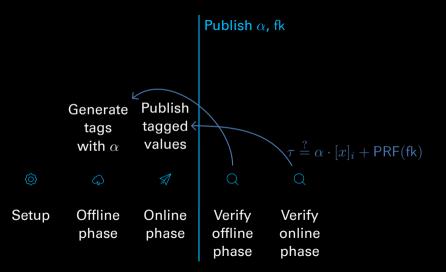


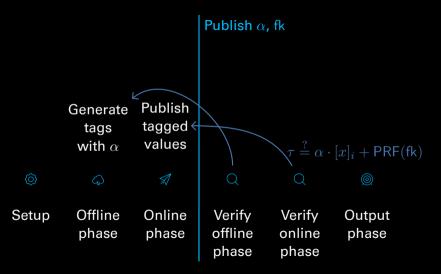


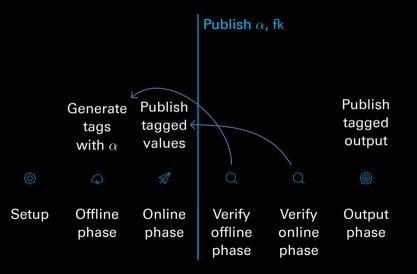
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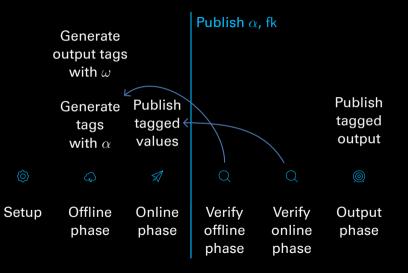


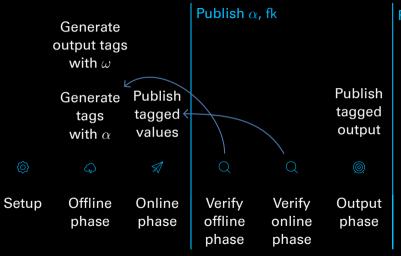




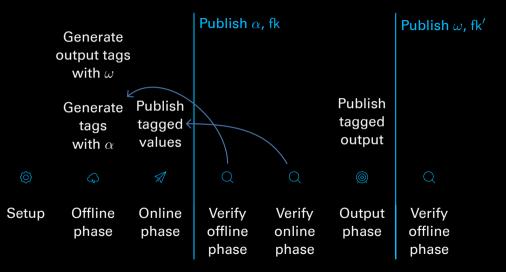


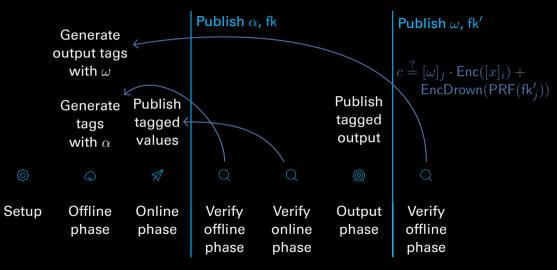


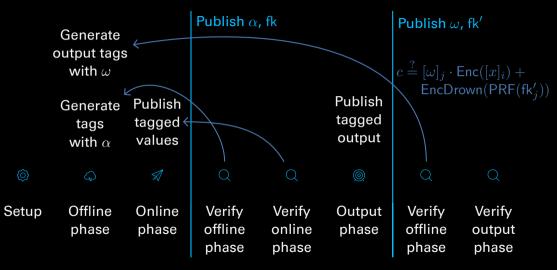


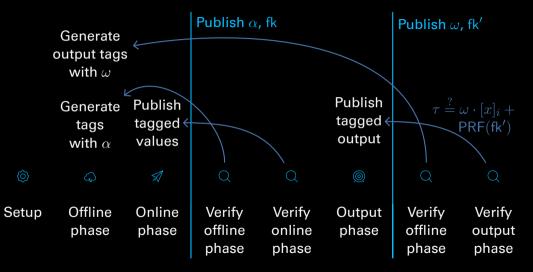


Publish ω , fk'

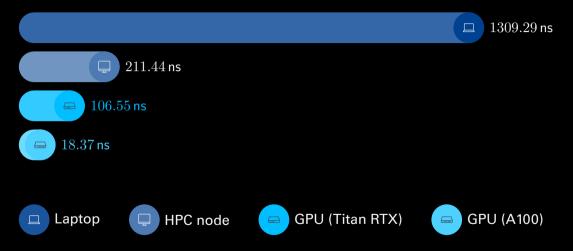




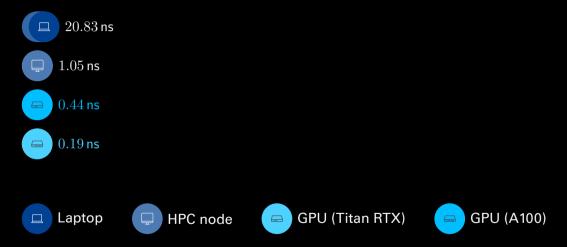




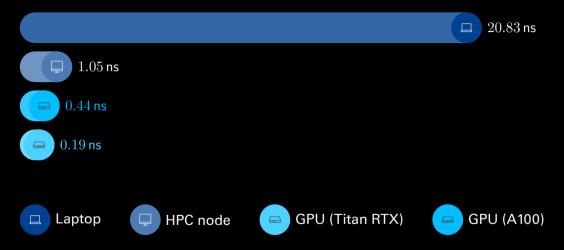
Evaluation: Homomorphic Encryption Verification



Evaluation: MAC Verification

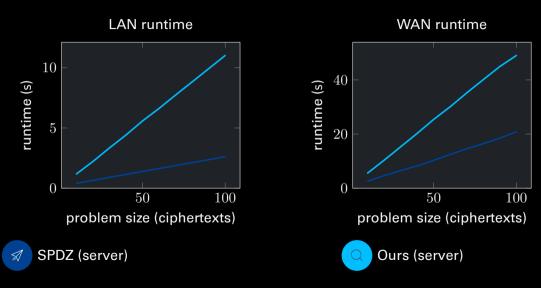


Evaluation: MAC Verification

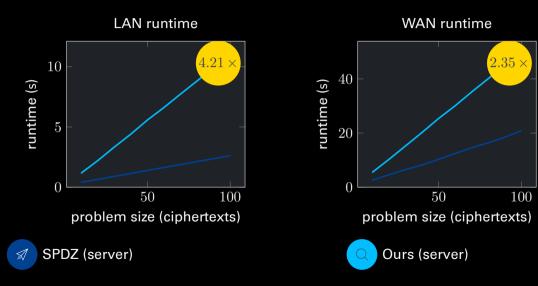


 \oplus

Evaluation: Multiplication (Online)



Evaluation: Multiplication (Online)



Parties want to train an ML model



- Parties want to train an ML model
 - on private data
 - sharing the same model



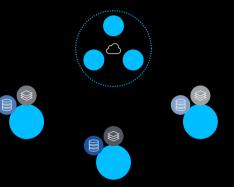
- Parties want to train an ML model
 - on private data
 - sharing the same model
- Parties train model with local data



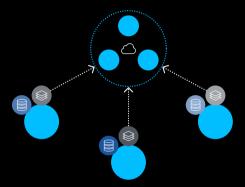
- Parties want to train an ML model
 - on private data
 - sharing the same model
- Parties train model with local data
- Aggregate model (gradients) securely



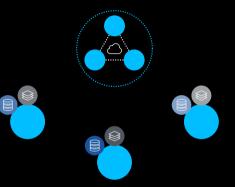
- Parties want to train an ML model
 - on private data
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- Parties train model with local data
- Aggregate model (gradients) securely
 - e.g., via MPC servers



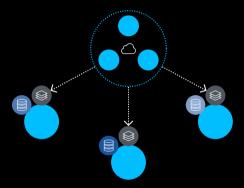
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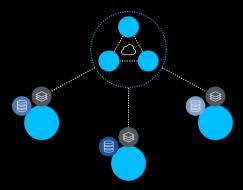
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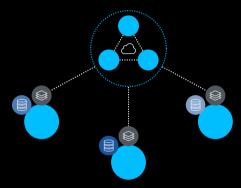
- Parties want to train an ML model
 - on private data
 - sharing the same model
- Parties train model with local data
- Aggregate model (gradients) securely
 - e.g., via MPC servers
- Obtain updated model



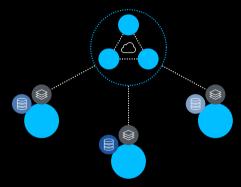
- Parties want to train an ML model
 - on private data
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- Parties train model with local data
- Aggregate model (gradients) securely
 - e.g., via MPC servers
- Obtain updated model
- C Repeat

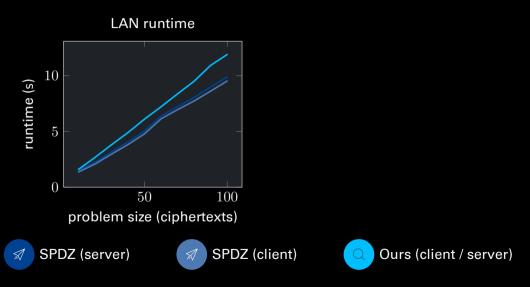


- Parties want to train an ML model
 - on private data
 - sharing the same model
- Parties train model with local data
- Aggregate model (gradients) securely
 - e.g., via MPC servers
- Obtain updated model
- C Repeat
- ightarrow publicly identifiable abort for clients



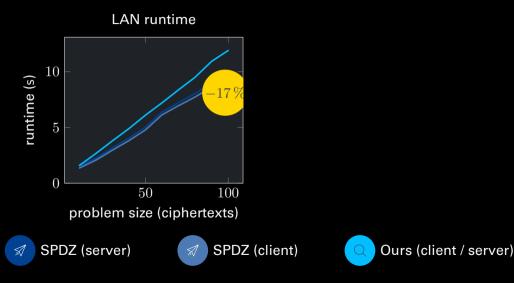
- Parties want to train an ML model
 - on private data
 - sharing the same model
- Parties train model with local data
- Aggregate model (gradients) securely
 - e.g., via MPC servers
- Obtain updated model
- C Repeat
- ightarrow publicly identifiable abort for clients
- ightarrow more efficient client I/O protocols





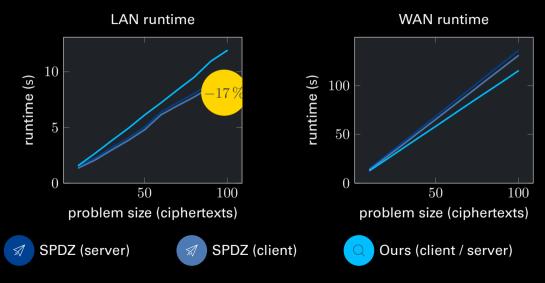
Marc Rivinius, University of Stuttgart, SEC

MPC with Publicly Identifiable Abort from Pseudorandomness and HE 13-1

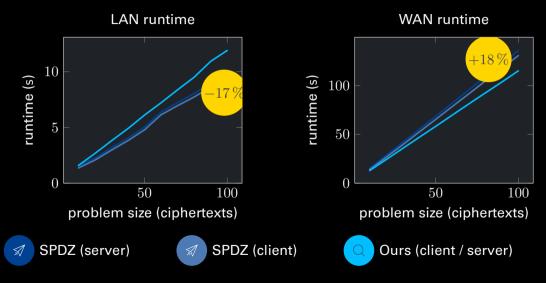


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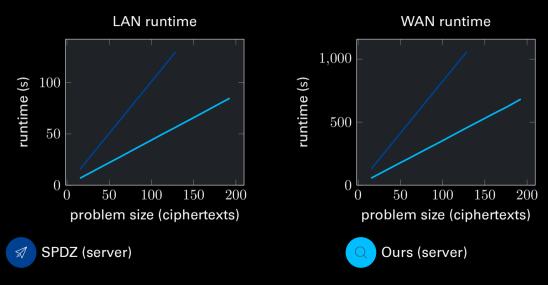
MPC with Publicly Identifiable Abort from Pseudorandomness and HE 13-2



MPC with Publicly Identifiable Abort from Pseudorandomness and HE 13-3

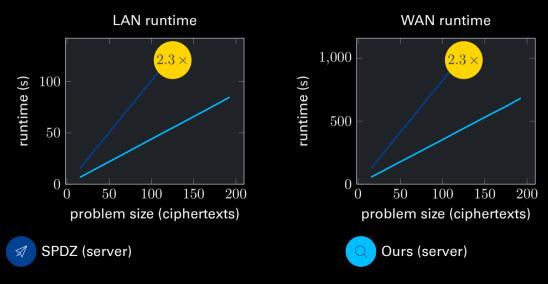


Evaluation: Secure Aggregation (Offline)



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Evaluation: Secure Aggregation (Offline)



• First MPC protocol using global MACs for individual shares

- First MPC protocol using global MACs for individual shares
 - publicly identifiable abort

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 - client-server computations

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 - publicly identifiable abort
 - client-server computations
- Same complexity as HE-based SPDZ
- Low concrete overhead compared to SPDZ
- Efficient input/output for outsourced computation

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[lcons] from 1001FreeDownloads.com





Thank you!

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Paper eprint.iacr.org/2025/258 Code github.com/sec-stuttgart/pia-mpc

Appendix: Online Phase

- Linear operations: directly on shares and tags
- Multiplication of x and y using triple (a, b, c)

• Open
$$\llbracket u
rbracket = \llbracket x - a
rbracket$$
 and $\llbracket v
rbracket = \llbracket y - b
rbracket$

- Use $\llbracket x \cdot y \rrbracket = \llbracket c \rrbracket + \llbracket a \rrbracket \cdot v + u \cdot \llbracket b \rrbracket + u \cdot v \cdot \delta_i$
- Open
 - Broadcast [x] and symmetric encryption to tag of [x]
 - Use $x = \sum_{i=0}^{n-1} [x]_i$

Appendix: Input/Output

- Input
 - Servers use random $\llbracket r \rrbracket$ from the offline phase
 - Servers open $\llbracket r \rrbracket$ to input party
 - Input party broadcasts u = x r for input x
 - Servers use $\llbracket x \rrbracket = \llbracket r \rrbracket + \delta_i \cdot u$
- Output
 - Servers use double authenticated random $\llbracket r \rrbracket$ from offline phase
 - Servers open $[\![u]\!] = [\![x r]\!]$ for output x under α
 - Verification using α
 - Servers open $[\![r]\!]$ under ω
 - Verification using ω